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Indirect and direct detection prospect for TeV dark matter in the nine parameter MSSM

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We investigate the prospects of indirect and direct dark matter searches within the minimal supersymmetric standard model with nine parameters (MSSM-9). These nine parameters include three gaugino masses, Higgs, slepton and squark masses, all treated independently. We perform a Bayesian Monte Carlo scan of the parameter space taking into consideration all available particle physics constraints such as the Higgs mass of 126 GeV, upper limits on the scattering cross section from direct-detection experiments, and assuming that the MSSM-9 provides all the dark matter abundance through a thermal freeze-out mechanism. Within this framework we find the two most probable regions for dark matter: 1-TeV Higgsino-like and 3-TeV Wino-like neutralinos. We discuss prospects for future indirect [in particular the Cherenkov Telescope Array (CTA)] and direct detection experiments. We find that for slightly contracted dark matter profiles in our Galaxy, which can be caused by the effects of baryonic infall in the Galactic center, CTA will be able to probe a large fraction of the remaining allowed region in synergy with future direct detection experiments like XENON-1T.

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I. INTRODUCTION

Identifying the particle nature of dark matter is one of the most pressing goals of modern astrophysics and cosmology. If dark matter is made of weakly interacting massive particles (WIMPs) [1,2], where the relic dark matter abundance is naturally explained with the thermal freeze-out mechanism, a particularly promising avenue is the search for signatures from the self-annihilation of dark matter particles in gamma rays [3]. The required average velocity-weighted annihilation cross section during freeze-out is of the order of \( \langle \sigma v \rangle = 3 \times 10^{-26} \text{ cm}^3 \text{ s}^{-1} \) [1,4]. Upper limits from modern gamma-ray instruments, such as the Large Area Telescope (LAT) aboard the Fermi satellite, start to exclude this canonical annihilation cross section for WIMP masses below 100 GeV [5]. At the same time, the hunt for signatures of physics beyond the standard model of particle physics, especially of supersymmetry, is ongoing at the Large Hadron Collider (LHC). Supersymmetric models provide interesting candidate particles for WIMP dark matter (in most cases the lightest neutralino). Although there has been no claim of positive signatures of supersymmetry yet, some outstanding conclusions can be drawn from several measurements at the LHC. One of them comes from the mass measurement of the Higgs boson of about 126 GeV [6,7].

Since particle masses and couplings are subject to loop corrections, the Higgs mass measurement can provide indirect information about yet undiscovered particles. Therefore, this measurement already significantly constrains the parameter space of supersymmetric models. Reference [8] studied the implications of the Higgs mass measurement for the minimal supersymmetric standard model (MSSM) with five parameters (the constrained MSSM), and found that the posterior probabilities for these parameters are narrowly distributed. Reference [9] further extended the model to include the nonuniversality in gaugino and Higgs masses, and found qualitatively similar results. The most probable masses of neutralino dark matter were found to be around 1 TeV, for Higgsino dark matter, and 3 TeV, for Wino dark matter [10–12].

The Wino dark matter case is already in some tension with searches for gamma-ray lines [13–15]. The Wino dark matter annihilation cross section is significantly larger than the canonical value for WIMPs due to a nonperturbative effect known as Sommerfeld enhancement (SE) [16–20]. The SE calculation for heavy WIMPs is subject to large logarithmic corrections due to the large hierarchy between the dark matter mass and the \( \text{W} \)-boson mass. Reference [21] showed that full one-loop computation makes the cross section smaller up to about 30% with respect to the SE correction at tree level. Even more precise computations using soft collinear effective theory were recently presented [22–25]. Reference [25] found that when calculating leading-log
semi-inclusive rates, the effect of higher order corrections is very modest.

There are several studies in the literature that have incorporated the impact of the Higgs mass measurement, and of XENON-100 [26] and LUX [27] bounds, on the WIMP-nucleon spin-independent scattering cross section on constrained MSSM scenarios (see, e.g., Refs. [8,9,28–33]). Various statistical approaches have been used to infer the most probable regions of these scenarios. The parameter space is often restricted to energies below a few TeV, according to what is expected from “natural” supersymmetry. Interestingly, when performing a proper Bayesian analysis, the fine-tuning penalization arises automatically from very basic statistical arguments (the Bayesian version of “Occam’s razor”), allowing us to explore larger regions of the parameter space while taking the notion of naturalness automatically into account (see, e.g., Ref. [34]).

Reference [9] studied the nonuniversal Higgsino and gaugino masses model within the Bayesian framework. The authors showed that the most probable regions for the neutralino dark matter are around 1 TeV (Higgsino dark matter) and 3 TeV (Wino dark matter), the high masses being mostly due to the Higgs mass and the relic density constraint. Although this leaves a very large portion of the favored superyssmetric parameter space outside the reach of LHC, prospects for future dark matter experiments were shown to be very promising, in particular for XENON-1T [35] for direct detection, and for the Cherenkov Telescope Array (CTA) [36] for indirect searches. Recently, Ref. [37] presented a first study of the detection prospects for CTA and XENON-1T for neutralino dark matter in the 19-parameter phenomenological MSSM. In this study, the SE was effectively included as an extrapolation of the results from Refs. [18,20].

In the present paper, we study consequences of MSSM models with extended nine parameters (MSSM-9), and prospects for indirect and direct dark matter searches. In addition to the nonuniversality of the gaugino and Higgs masses studied in Ref. [9], we investigate the nonuniversality of masses and the trilinear couplings in the sfermion sector (i.e., they are independent between sleptons and squarks). This treatment is more general because constraints from the LHC mainly affect the squark and gluino sector and do not directly reflect on the sleptons. Since the preferred dark matter masses are at 1 TeV and above, we discuss constraints from the Fermi gamma-ray satellite and current generation of Cherenkov telescopes, in particular H.E.S.S. [38]. As mentioned above, the Wino dark matter around 3 TeV is subject to the SE correction of the annihilation cross section [17,20,21,39], and, therefore, we calculate the SE point by point in the scan. In addition, the annihilation of Wino dark matter also yields strong gamma-ray line signals, which are tightly constrained by the H.E.S.S. observations of the Galactic center [38]. Note that our results are based on a full numerical study of the MSSM parameter scan, and do not rely on a simplifying assumption of pure Wino case as adopted in Refs. [13–15]. We will discuss prospects for future indirect and direct detection experiments, most notably for CTA that will have an excellent sensitivity for gamma rays above 100 GeV [40–44].

The paper is organized as follows. In Sec. II, we discuss the model and the adopted scanning technique. We will summarize the results of the scan in Sec. III, and show in Sec. IV prospects for future indirect and direct detection experiments. In Sec. V, we give our conclusions.

II. MSSM MODELS AND HIGGS MASS

The discovery of the Higgs boson [6,7] has completed the picture of the standard model of particle physics, which has proven an extremely good description of particle physics up to the TeV scale. Beyond the crucial importance of this discovery by itself, this result has far-reaching consequences for well-motivated candidates of physics beyond the standard model, such as supersymmetry, and in particular for the MSSM.

The rather high reported Higgs mass $m_h$ shifts the scale of supersymmetry to higher values. In the MSSM, the tree-level Higgs mass is bounded by the mass of the $Z$-boson, and, therefore, large radiative corrections are needed in order to reconcile theory and experiment. An approximate analytic formula for $m_h$ [45,46] reads

$$m_h^2 = M_Z^2 \cos^2 2\beta + \frac{3}{4\pi^2} \frac{m_t^4}{v^2} \left[ \log \frac{M_{SUSY}^2}{m_t^2} \right]$$

$$+ \frac{X_t^2}{M_{SUSY}^2} \left( 1 - \frac{X_t^2}{12M_{SUSY}^2} \right) + \cdots,$$

where $\tan \beta$ is the ratio between the vacuum expectation values of the two Higgs doublets $v_u = \langle H_u^0 \rangle$ and $v_d = \langle H_d^0 \rangle$, $v^2 = v_u^2 + v_d^2$, $m_t$ is the top running mass, and $M_{SUSY}$ represents a certain average of stop squark masses. $X_t = A_t - \mu \cot \beta$, where $\mu$ is the Higgs mass term in the superpotential, and $A_t$ is the trilinear stop squark coupling, both at the electroweak breaking scale. The first term of Eq. (1) is the tree-level Higgs mass, while the second two terms are the dominant radiative and threshold corrections. Note that the radiative corrections grow logarithmically with the stop squark masses while the threshold corrections have a maximum for $X_t = \pm \sqrt{6} M_{SUSY}$. To achieve $m_h \approx 126$ GeV, one typically needs stop squark masses larger than $\sim 3$ TeV, unless $X_t$ is close to its maximum value.

In order to evaluate the sensitivity on dark matter in a more generic context, we parametrize the MSSM with 10 fundamental parameters at the gauge coupling unification scale. After requiring the correct electroweak symmetry breaking, we end up with nine effective parameters:

$$\{ s, M_1, M_2, M_3, m_H^0, m_{H^\pm}, A_0, A_0^\pm, \tan \beta, \text{sgn}(\mu) \},$$
where \( s \) represents the SM nuisance parameters; \( M_1, M_2, M_3 \) are the gaugino masses; \( m_{0\tilde{g}}, m_{0\tilde{q}}, m_{0\tilde{H}} \) are the squark, slepton, and Higgs masses \( (m_{H} = m_{H_u} = m_{H_d}) \); and \( A_0^\text{sgn} \) is the squark and slepton trilinear coupling. The sign of \( \mu \) is fixed to +1. All the soft parameters are defined at the gauge coupling unification scale, except for \( \tan \beta \) and the SM nuisance parameters. Compared with Ref. [9], we further generalize the sfermion sector, by adopting independent values for squarks and sleptons.

We perform a Bayesian analysis to generate a map of the relative probability of different regions of the parameter space. In doing so, the global likelihood is defined as a multiplication of individual likelihood functions, where for each quantity we use a Gaussian function with mean \( \mu \) and standard deviation \( s = \sqrt{\sigma^2 + \tau^2} \), where \( \sigma \) is the experimental uncertainty and \( \tau \) represents our estimate of the theoretical uncertainty. For upper and lower limits we use a Gaussian function to model the drop in the likelihood below or above the experimental bound. The explicit form of the likelihood function is given in Ref. [47], including in particular a smearing out of experimental errors and limits to include an appropriate theoretical uncertainty in the observables. We take into consideration all the available particle physics data described in Table I, including the Z mass, which is effectively included adding a Jacobian factor,\(^1\) electroweak precision measurements [48], B-physics observables [49–53], the Higgs mass [6,7], and constraints on the WIMP-nucleon scattering cross section by XENON-100 [26] and LUX [27]. In addition, we assume a scenario with a single dark matter component that is produced thermally in the early Universe, by including the measured relic density according to the Planck results [54]. For the relic density and \( \langle \sigma v \rangle \) computation, we take the SE into account by creating a grid of the enhancement in the \( M_2 = \mu \) plane using the Hryczuk et al. computation method implemented in DarkSE [20,21]. For the computation of \( \langle \sigma v \rangle \) in the present day we implemented a function in DarkSE to extract the enhancement for \( v = 10^{-3} \) from the Hryczuk et al. computation (we validated the results with the pure Wino case shown in [21]).

For the priors of the parameters, we adopted both standard and “improved” log priors (S-log and I-log, respectively), defined in Refs. [8,9], with ranges described in Table II. In the case of the I-log priors, we effectively assume that the parameters are associated with a common scale (motivated by a common underlying supersymmetry

\small

<table>
<thead>
<tr>
<th>Observable</th>
<th>Mean value</th>
<th>( \mu )</th>
<th>( \sigma ) (exper)</th>
<th>( \tau ) (theor)</th>
<th>Ref.</th>
</tr>
</thead>
<tbody>
<tr>
<td>( M_{W} ) (GeV)</td>
<td>80.399</td>
<td>0.023</td>
<td>0.015</td>
<td>[48]</td>
<td></td>
</tr>
<tr>
<td>( \sin^2 \theta_{\text{eff}} )</td>
<td>0.23153</td>
<td>0.00016</td>
<td>0.00015</td>
<td>[48]</td>
<td></td>
</tr>
<tr>
<td>( BR(B \to X_{s} \gamma) \times 10^{4} )</td>
<td>3.55</td>
<td>0.26</td>
<td>0.30</td>
<td>[55]</td>
<td></td>
</tr>
<tr>
<td>( R_{\Delta M_{bb}} )</td>
<td>1.04</td>
<td>0.11</td>
<td>( \ldots )</td>
<td>[49]</td>
<td></td>
</tr>
<tr>
<td>( BR(B_{s} \to \mu^{+} \mu^{-}) \times 10^{5} )</td>
<td>1.63</td>
<td>0.54</td>
<td>( \ldots )</td>
<td>[55]</td>
<td></td>
</tr>
<tr>
<td>( \Delta_{0\tau} \times 10^{2} )</td>
<td>3.1</td>
<td>2.3</td>
<td>( \ldots )</td>
<td>[56]</td>
<td></td>
</tr>
<tr>
<td>( BR(B_{S} \to D_{s} \tau \nu) \times 10^{2} )</td>
<td>41.6</td>
<td>12.8</td>
<td>3.5</td>
<td>[50]</td>
<td></td>
</tr>
<tr>
<td>( R_{\tau,23} )</td>
<td>0.999</td>
<td>0.007</td>
<td>( \ldots )</td>
<td>[51]</td>
<td></td>
</tr>
<tr>
<td>( BR(D_{s} \to \tau \nu) \times 10^{2} )</td>
<td>5.38</td>
<td>0.32</td>
<td>0.2</td>
<td>[55]</td>
<td></td>
</tr>
<tr>
<td>( BR(D_{s} \to \mu \nu) \times 10^{3} )</td>
<td>5.81</td>
<td>0.43</td>
<td>0.2</td>
<td>[55]</td>
<td></td>
</tr>
<tr>
<td>( BR(D \to \mu \nu) \times 10^{3} )</td>
<td>3.82</td>
<td>0.33</td>
<td>0.2</td>
<td>[55]</td>
<td></td>
</tr>
<tr>
<td>( \Omega_{\chi_{0}^{0}} h^{2} )</td>
<td>0.1196</td>
<td>0.0031</td>
<td>0.012</td>
<td>[57]</td>
<td></td>
</tr>
<tr>
<td>( m_{A_{0}} ) (GeV)</td>
<td>125.66</td>
<td>0.41</td>
<td>2.0</td>
<td>[58]</td>
<td></td>
</tr>
<tr>
<td>( BR(B_{s} \to \mu^{+} \mu^{-}) )</td>
<td>( 3.2 \times 10^{-9} )</td>
<td>( 1.5 \times 10^{-9} )</td>
<td>10%</td>
<td>[52]</td>
<td></td>
</tr>
</tbody>
</table>

**TABLE II.** Ranges of model parameters adopted in the scan.

<table>
<thead>
<tr>
<th>Parameters</th>
<th>Range scanned</th>
</tr>
</thead>
<tbody>
<tr>
<td>( M_1, M_2, M_3 ) (GeV)</td>
<td>(-10^{6}, 10^{6})</td>
</tr>
<tr>
<td>( m_{0\tilde{g}}, m_{0\tilde{q}}, m_{0\tilde{H}} ) (GeV)</td>
<td>(10, 10^{3})</td>
</tr>
<tr>
<td>( A_{0}^{0, \text{sgn}} ) (GeV)</td>
<td>(-10^{6}, 10^{6})</td>
</tr>
<tr>
<td>( \tan \beta )</td>
<td>(2, 60)</td>
</tr>
<tr>
<td>( \text{sgn}(\mu) )</td>
<td>(+1)</td>
</tr>
</tbody>
</table>

\footnotesize\(^1\)The Jacobian factor arises after we perform a change of variable \( \{y, \mu, B\} \rightarrow \{m_{0}, M_{1}, \tan \beta\} \) and integrate \( M_{1} \) in the posterior probability density function, as explained in detail in Ref. [34].
TABLE III. Nuisance parameters adopted in the scan.

<table>
<thead>
<tr>
<th>Parameter</th>
<th>Gaussian prior</th>
<th>Range scanned</th>
<th>Ref.</th>
</tr>
</thead>
<tbody>
<tr>
<td>$M_1$ (GeV)</td>
<td>173.2 ± 0.9</td>
<td>167.0, 178.2</td>
<td>[58]</td>
</tr>
<tr>
<td>$m_0$ ($m_0^{\text{MS}}$) (GeV)</td>
<td>4.20 ± 0.07</td>
<td>3.92, 4.48</td>
<td>[67]</td>
</tr>
<tr>
<td>$[\alpha_\text{em}(M_Z^{\text{MS}})]^{-1}$</td>
<td>127.955 ± 0.030</td>
<td>127.835, 128.075</td>
<td>[67]</td>
</tr>
<tr>
<td>$\alpha_s(M_Z^{\text{MS}})$</td>
<td>0.1176 ± 0.0020</td>
<td>0.1096, 0.1256</td>
<td>[68]</td>
</tr>
</tbody>
</table>

regions correspond to those found in Ref. [9] with an efficient for heavier particles. We note that these two causing the distortion of the wave functions, it is more constraining. For the SM parameters, we used Gaussian priors described in Table III. For the numerical analysis, we use the SuperBayeS code [59], which uses the nested sampling algorithm implemented in Multinest [60], and integrates SoftSusy [61], SusyBSG [62], SuperIso [63], DarkSusy [64], MicrOMEGAs [65], and DarkSE [20] for the computation of the experimental observable. The full likelihood function is the product of the individual Gaussian likelihoods associated to each piece of experimental data. In particular, for Xenon100 we use the likelihood defined in [66]. The LUX limit is applied as a step function only for the 2σ confidence level points. For a more detailed explanation of the Bayesian analysis relevant for the results in this paper, we refer the reader to Ref. [9].

III. RESULTS OF THE SCAN

In Fig. 1, we show two-dimensional contours that represent 68% and 95% credible regions of the most relevant parameters for CTA: the dark matter neutralino mass and annihilation cross section. The posterior has two peaks in the mass distribution. The largest peak is located around 1 TeV, where the neutralino mostly consists of Higgsino. There is a weaker peak around 3 TeV, where it is mostly Wino. The Wino dark matter features a significantly larger annihilation cross section around $10^{-24}$ cm$^3$ s$^{-1}$ due to SE correction. Since the SE is a nonrelativistic effect causing the distortion of the wave functions, it is more efficient for heavier particles. We note that these two regions correspond to those found in Ref. [9] with a seven-parameter MSSM study. In fact, the most probable regions in the posterior distributions for the mass of the lightest particles (the neutralino) are only mildly changed compared to [9]. This shows the robustness of the procedure against the number of parameters.

Figure 1 also shows, as points, regions in the parameter space that reproduce all experimental observables within 2σ of confidence level. We remind the reader that the posterior probability distribution function (PDF) shows relative probabilities within a model, given the experimental data, under the hypothesis that the model is correct. The 68% and 95% credibility regions show that it is much more likely to find neutralinos with a mass of $\sim$1 TeV and $\sim$3 TeV; however, these contours do not necessarily cover all the regions that respect the experimental observables. The scattered points outside the contours show regions that require more tuning to reproduce the experimental observables and, therefore, their integrated probability is small. These less probable regions, with dark matter between 1 TeV and 3 TeV, correspond to Wino-Higgsino and Wino-Bino neutralinos.

An additional region around hundreds GeV, corresponding to Bino-like neutralinos, is not shown in the figure. Unlike Higgsinos and Winos, Bino neutralinos cannot self-annihilate; therefore, a specific mass relation with other mass eigenstate is required to have an efficient enough annihilation to reproduce the correct relic density, for example, a Bino quasidegenerate with the stau, or a Bino mass equal to half of the lightest Higgs or pseudoscalar mass. On the other hand, as we mentioned above, unless we are in the maximal mixing scenario (which is also subject to certain tuning; see Ref. [72]) the Higgs mass measurement tends to push the spectrum to higher masses. For few hundreds GeV neutralinos, a fine-tuning is necessary to reproduce the Higgs mass and the relic density.
FIG. 2 (color online). The same as Fig. 1, but for annihilation into monochromatic photons. The cyan diamond represents the pure Higgsino case from [13,21], and the blue triangle the pure Wino case [18]. Colors indicate the Higgsino fraction of the lightest neutralino. The green lines show the line sensitivity of CTA as derived from [73], while purple lines are the H.E.S.S. upper limits. This is in agreement with the findings of Refs. [13–15], while supernova feedback can cause the profiles to be shallower (see, e.g., Refs. [80–83]). To illustrate this point,

**IV. GAMMA-RAY UPPER LIMITS AND PROSPECTS**

The Galactic center is one of the most promising places to search for signals from WIMP annihilation, as it is locally the densest region of dark matter, even though it is often challenging to address astrophysical foregrounds (see, e.g., Ref. [75]). In general, the gamma-ray intensity from neutralino annihilation towards a direction $\psi$ away from the Galactic center is given by

$$I(\psi, E_\gamma) = \frac{\langle \sigma v \rangle}{8\pi m_\chi^2} \frac{dN_{\gamma,\text{ann}}}{dE_\gamma} J(\psi),$$

where $dN_{\gamma,\text{ann}}/dE_\gamma$ represents the annihilation spectrum, $r(l, \psi)^2 = r_0^2 + l^2 - 2r_0 l \cos \psi$, $r_0 = 8.5$ kpc is the Galactocentric radius of the solar system, and $l_{\text{max}}$ corresponds to the virial radius of the Milky Way. The dark matter density profile in the Galactic halo $\rho_\chi$ is widely assumed to be given by phenomenological fits to results of dark-matter-only N-body simulations, such as the Navarro-Frenk-White (NFW) [76] or Einasto [77,78] functions. We note, however, that these profiles are observationally confirmed only at relatively large radii, and are far less constrained in the inner regions [79], where the strongest annihilation signals are expected. We will comment again on this point below.

**A. Current status**

Figures 1 and 2 show the predicted annihilation cross section into continuum photons (dominated by $W^+W^-$, ZZ and $\bar{q}q$ final states) and gamma-ray lines, respectively, compared to different experimental limits and reaches. Our fiducial density profile is given by an Einasto profile (with parameters $\alpha = 0.17$, $\rho_0 = 0.4$ GeV/cm$^3$ and $r_s = 20$ kpc). The current upper limits on the Galactic center from H.E.S.S. searches for gamma rays from $b\bar{b}$ final states (Fig. 1) [70,74] and for gamma-ray lines (Fig. 2) [74] are already very tight. We find that the Wino dark matter region around 3 TeV is almost completely excluded by the H.E.S.S. upper limits. This is in agreement with the findings of Refs. [13–15], while interpolating in the $\sigma v$ enhancement from a $M_2 - \mu$ grid instead of extrapolated from existing pure Wino calculations as in Ref. [37].

We note, however, that upper limits are still subject to uncertainties mainly related to the density profile [13]. While state-of-the-art N-body simulations prefer either NFW or Einasto profiles, baryonic effects can potentially modify the density profiles significantly. For example, baryonic adiabatic contraction can compress the dark matter profiles, while supernova feedback can cause the profiles to be shallower (see, e.g., Refs. [80–83]).
we show in Figs. 1 and 2 how the H.E.S.S. limits weaken when a shallower dark matter profile is adopted. To this end, we use a generalized NFW profile with an inner slope of \( \gamma = 0.7 \) (and \( r_s = 20 \text{ kpc}, \rho_0 = 0.4 \text{ GeV/cm}^3 \)), which is still in agreement with kinematic and microlensing observations \cite{79}. In this case, the limits indeed are weakened and part of the Wino best-fit region is still allowed. A similar effect will occur for cored profiles.

In Fig. 1, we also show the Fermi-LAT limits from the observation of dwarf spheroidal galaxies from Ref. \cite{71}, which already include the uncertainties in the dark matter profile and can be hence considered robust (i.e., this represents the upper end of the uncertainty band). They exclude most of the Wino parameter space.

**B. Prospects for CTA**

Current constraints leave the 1-TeV Higgsino dark matter as the most interesting dark matter candidate in the MSSM-9. The CTA sensitivities for both the total annihilation cross section \cite{43} and for the gamma-ray lines \cite{73} are shown in Figs. 1 and 2, respectively. These figures show that, for standard Einasto profiles, it will be challenging for CTA to reach the 1-TeV Higgsino parameter space, unless background systematics are under control at the subpercent level \cite{43}. However, as explained above, baryonic effects could potentially increase the chances for a CTA discovery of Higgsino dark matter as baryons can drag dark matter towards the Galactic center during their cooling, leading to a more cuspy profile \cite{80}. To illustrate this effect, we additionally show in Fig. 1 the reach of CTA when a slightly contracted NFW profile, with an inner slope of \( \gamma = 1.3 \) (and otherwise parameters as above), is adopted. In this case, CTA has the potential to rule out (or discover) a large part of the best-fit Higgsino dark matter region. Our results are less stringent than the results found in Ref. \cite{37}, since our estimates for the CTA sensitivity also include an estimated 1% systematic uncertainty. Note also that a more accurate treatment of the cosmic ray background in Ref. \cite{44} leads, for dark matter masses above 1 TeV, to slightly less stringent projected limits than what we show here, within a factor of 2.

**C. Direct detection**

Figure 3 shows the most probable regions plotted for the annihilation cross section and the spin-independent scattering cross section \( \sigma_p^{SI} \) at tree level. To give a reference of the size of \( \sigma_p^{SI} \) for pure cases, we also show Higgsino neutralino (cyan diamond) and Wino neutralino (blue triangle) one-loop computation performed by \cite{84,85}.\(^3\) In the pure Higgsino case, the perturbative QCD and hadronic input uncertainties only allow us to set a maximum value for \( \sigma_p^{SI} \), which is represented in the figure by an arrow.\(^3\) Hence, the mixing of the neutralino has a crucial role for the computation of \( \sigma_p^{SI} \). The colored points in Fig. 3 represent the Higgsino composition of the lightest neutralino, and show how the value of \( \sigma_p^{SI} \) decreases with the Higgsino fraction in the Wino-like region. We remind the reader that this computation was performed at tree level in our scan. However, almost pure Wino points appear in the region where \( \sigma_p^{SI} \) is smaller than \(~10^{-11} \text{ pb} \) and \( \sigma_V \) larger than \(~10^{-25} \text{ cm}^3 \text{ s}^{-1} \) in Fig. 3. Comparing these \( \sigma_p^{SI} \) values with the one of the pure Wino case (blue triangle), it is clear that the one-loop contribution is the dominant one. Therefore, we would expect that after including higher order corrections those points will get \( \sigma_p^{SI} \) values of \(~10^{-11} \text{ pb} \).

Figure 3 also shows the sensitivities of XENON-1T \cite{35} and CTA \cite{43} (both for \( m_{\chi} = 1 \text{ TeV} \)), showing that both direct and indirect searches are very important for the potential discovery of TeV dark matter, that is, at the

\(^2\)The tree level scattering of the neutralino with the nucleon, through the Higgs boson, requires a neutralino with non-negligible Higgsino-Bino or Higgsino-Wino mixing. The other possibility is the scattering via squarks; in that case squarks should be light enough to give a sizable contribution.

\(^3\)The computation of \( \sigma_p^{SI} \) we have used the s-quark nucleon form factor derived from measurements of the pion-nucleon sigma term \cite{86}. On the other hand, Refs. \cite{84,85} use the lattice calculation value. Using the lattice value the tree level cross section drops by a factor of 4 \cite{87}. 

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moment, the most probable solution in the context of MSSM-9. Note also that the region around the almost-pure and pure Wino and Higgsino neutralinos will be probed by CTA only.

V. CONCLUSIONS

We studied the prospects for indirect and direct dark matter searches in the context of the MSSM-9 by means of a Bayesian Monte Carlo scan. We find as the two most likely regions the 1-TeV Higgsino and 3-TeV Wino dark matter. Current limits from dwarf spheroidal observations as well as observations of the Galactic center with Fermi-LAT and H.E.S.S. exclude almost all the models with Wino-like dark matter, even for flattened profiles of the dark matter halo. However, models with 1-TeV Higgsino-like dark matter remain unconstrained. We find that for regular dark matter profiles, it will be challenging for CTA to probe the Higgsino dark matter parameter space, both for continuum and gamma-ray line searches. However, a mildly contracted profile would improve the prospects significantly, and make most of the Higgsino dark matter parameter space testable in the upcoming years, providing complementary constraints to future direct detection experiments like XENON-1T.

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