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Modeling the functioning of YtvA in the general stress response in *Bacillus subtilis*†

Jeroen B. van der Steen, Yusuke Nakasone,Johnny Hendriks§ and Klaas J. Hellingwerf*

The blue-light photoreceptor YtvA activates the general stress response (GSR) of *Bacillus subtilis* by activating a large protein complex (the stressosome). We have constructed a model for the YtvA’s photocycle, and derived an equation for the fraction of YtvA in the light-induced signaling state at a given light intensity. The model was verified experimentally *in vitro* on wild type YtvA and on an R63K mutant with faster recovery kinetics. Application of the model to the activation of the GSR at various light intensities *in vivo* revealed that the GSR is more sensitive to light than would be expected based on YtvA’s *in vitro* kinetics. These results were confirmed with the R63K mutant and a slower-recovering V28I mutant. Additionally, we have demonstrated the presence of a near-UV-light-induced branching reaction that converts the signaling state of YtvA to the dark state. Extension of the model with this reaction shows that it does not contribute significantly to the *in vivo* blue-light response. The model represents an important step towards a complete systems biology model of the GSR.

### Introduction

Photoreceptor proteins are involved in many important regulatory processes in all kingdoms of life. Several different photoreceptor classes have been identified, of which the input domains can bind a small chromophore such as a flavin, retinal or bilin, allowing these proteins to absorb in the UV/visible region of the electromagnetic spectrum. When they absorb light there are typically significant changes in the absorption spectrum of the photoreceptor protein which can readily be observed with spectroscopic techniques *in vitro*. Hence, a large body of literature is available on the kinetic properties and intermediate species of photoreceptor proteins. However, it is often hard to relate effects of perturbations in their kinetic properties (brought about e.g. through site-directed mutagenesis) to *in vivo* phenotypes.

YtvA is a blue-light photoreceptor from the common soil bacterium *Bacillus subtilis*. YtvA has two domains: an N-terminal LOV (light oxygen voltage) domain and a C-terminal STAS (sulfate transporter and anti-sigma factor antagonist) domain. LOV domains are members of the family of PAS-domains (Per-ARNT-Sim), and were first identified in phototropins found in plants. LOV domains are also found in an increasing number of bacteria. LOV domains bind a flavin mononucleotide (FMN) in a binding pocket with a highly conserved sequence motif. In the case of YtvA this results in a molecule with maximal absorbance at 448 nm in the dark. Illumination with blue light triggers a photocycle (Fig. 1A). After formation of the triplet excited state of FMN through internal conversion on the ns timescale (D* in Fig. 1A), a thiol adduct is formed between cysteine 62 and the C4a atom of the FMN on the µs timescale. The resulting signaling state (S), which has an absorbance maximum at 390 nm, thermally converts back to the dark state (D) with a recovery lifetime of 2600 s (at 25 °C).9

YtvA is an interesting target for systematic quantitative studies because the full-length protein can readily be purified and its biological function is well-characterized. As a soil organism, *B. subtilis* can respond in multiple ways to fluctuating environmental conditions. One of the most important of these is the general stress response (GSR), which activates 150–200 genes in response to a wide range of stresses. These stresses can be subdivided into two groups: energy stresses (starvation) and environmental stresses (such as NaCl shock, ethanol shock or heat shock). YtvA renders the environmental GSR sensitive to...
blue light. When YtvA is over-expressed, low intensities of blue light result in strong GSR activation. At wild type expression levels the effects of YtvA are more modest. Nevertheless, GSR factor RsbV (Rsb: regulator of SigmaB) consisting of the anti-sigma factor RsbW and the anti–anti-sigma SigmaB, which in turn is regulated by a partner-switch control. The GSR is regulated by the alternative transcription factor RsbT. To prevent this reaction or of a protein. A dashed line indicates an unknown mechanism. A circled ‘P’ represents a phosphate group. YtvA* indicates that YtvA is in the light-induced signaling state when it activates the stressosome.

The signaling network that regulates the environmental GSR is shown in Fig. 1B. A comprehensive description of this network goes beyond the scope of this paper, but extensive reviews have been published elsewhere. Briefly, the activity of the GSR is regulated by the alternative transcription factor SigmaB, which in turn is regulated by a partner-switch consisting of the anti-sigma factor RsbW and the anti–anti-sigma factor RsbV (Rsb: regulator of SigmaB). The activity of the partner switch is controlled through the phosphorylation state of RsbV, which needs to be in the non-phosphorylated form to capture RsbW and release SigmaB. The phosphatase responsible for the environmental GSR is RsbU, which is activated and turns on the GSR when bound to RsbT. To prevent activation in unstressed cells, RsbT is captured by a large protein complex called the stressosome.

The stressosome consists of multiple copies of RsbS and of multiple copies of proteins from the RsbR family, which has at least four members. Both RsbS and the RsbR proteins contain a C-terminal STAS domain, as does YtvA. YtvA has been co-purified with other stressosome components and has recently been shown to displace RsbRA in stressosomes in vitro independently of its illumination state.

We have used YtvA to study the influence of changes in kinetic parameters of a photoreceptor (YtvA) on its biological function (GSR activation), linking microscopic rate constants to biological phenotypes in a systems biology approach. We have constructed a detailed kinetic model of the photocycle of YtvA to model the fraction of protein that is in the light-induced signaling state at a given light intensity. This model was verified using the isolated protein in vitro. We have then compared this to experimentally obtained data for the activation of the GSR, which was determined using a well-characterized and often-employed reporter-enzyme assay. The model was further tested with two mutants of YtvA with altered kinetics: R63K, which has a faster recovery of the dark state than the wild type protein, and V28I, which has a slower recovery. Additionally, we have demonstrated the presence of a light-induced branching reaction, emerging from the signaling state of YtvA, and examined the possible influence of this branching reaction on the biological activity of YtvA.

Results

Modeling the activation of YtvA

The known reactions and microscopic properties of the photocycle of YtvA (Fig. 1A) were incorporated into a kinetic model, schematically shown in Fig. 2A. In this model, which was based on a previously published general photocycle model for PYP, $k_{exD}$ describes the rate of excitation, $k_{pe}$ the rate of photocycle entry, $k_{re}$ the rate of recovery of the dark state, and $Q_{cy}$ the quantum yield of photocycle entry. All parameters, save for $k_{exD}$ have been determined experimentally in vitro (see the legend of Fig. 2 and Table 1). Using these parameters, it is possible to derive differential equations for the concentration of every species (eqn (1)–(3)), which can be used to numerically simulate the temporal dynamics and steady-state levels of the species distribution of YtvA.

For the rate of excitation we assumed that every photon absorbed will first lead to formation of the excited state (D*), after which a certain fraction (the quantum yield of photocycle entry) will continue in the photocycle, while the rest will fall back to the dark state (D) without entry into the photocycle (e.g. by fluorescence or heat release). This assumption enables the use of the Lambert–Beer law for absorption, to derive the number of photons absorbed per time unit, from which the $k_{exD}$ reaction rate can be derived (eqn (4); see Materials and methods for details).

$$\frac{d[D]}{dt} = -k_{exD}[D] + \left( \frac{1}{Q_{cy}} - 1 \right) k_{pe}[D*] + k_{re}[S]$$  

(1)

$$\frac{d[D*]}{dt} = k_{exD}[D] - \frac{1}{Q_{cy}} k_{pe}[D*]$$  

(2)

$$\frac{d[S]}{dt} = k_{pe}[D*] - k_{re}[S]$$  

(3)

$k_{exD} = l_0 \left( 1 - \frac{[D]}{I[D]} \right) = l_0 Q_{cy} \ln(10)$  

(4)

In its full form, $k_{exD}$ is dependent on the concentration of the protein in the dark state ([D]), the extinction coefficient of the dark state of the protein for the light source used ($\varepsilon_D$), the path length ($l$) and the light intensity ($l_0$). When the rate equation is approximated using a Taylor expansion, the dependency on [D] can be eliminated (eqn (4)), which allows one to analytically derive fractions for all three protein species in steady state.
Recovery lifetime \( (1/k\text{re}) \) is affected by changes in the protein, for example such as those shown in eqn (1)–(3) for various light intensities: 0.01 (dotted lines), 0.1 (square-dotted lines), 1 (short-dashed lines), 10 (long-dashed lines), and 100 (solid lines) \( \text{mEinstein m}^{-2} \text{s}^{-1} \). Note that the lines in panel C are not visible because there is no significant contribution of D\(^*\) on this timescale. (E) Distribution of the three species of YtvA in the steady state, using either steady-state eqn (5)–(7) (symbols) or differential eqn (1)–(3) (lines, no symbols). The solid line and filled circles represent the dark state (D), the dotted line and open circles the light-induced signaling state (S), and the open diamonds the excited state (D\(^*\)), the line corresponding to this species is indistinguishable from the x-axis). The two black bars at the top indicate a crude estimation of relevant laboratory light intensity (the left bar) and daylight intensity (the right bar) in the Netherlands at noon (see Materials and Methods). (F) Effect of changes in the recovery rate on the steady-state fraction of protein in the light-induced signaling state (S). The solid line represents a recovery lifetime \((1/k\text{re})\) of 260 s, the lines to the right lower recovery lifetimes (dot–dash: 260 s, dot–long dash: 26 s and dot–dot–long dash 2.6 s), and the lines to the left higher recovery lifetimes (dashed: 2.6 \( \times 10^4 \) s, short-dashed: 2.6 \( \times 10^3 \) s and dotted: 2.6 \( \times 10^2 \) s). (B–F) The parameters were taken from Losi et al.\(^{3,9}\) for wild type YtvA \textit{in vitro}: quantum yield \((Q_{\text{pe}}; 0.30)\), photocycle entry rate \((k_{\text{pe}}; 5 \times 10^5 \text{ s}^{-1})\) and recovery rate \((k_{\text{re}}; 1/2600 \text{ s}^{-1} \text{ at } 25^\circ \text{C})\), with the exception of panel F where the recovery rate was varied. Light intensities correspond to illumination with a blue LED (\( I_{\text{max}} = 464 \text{ nm} \)) that was used for experiments (see below).

(i.e. when eqn (1)–(3) are equal to zero; see Materials and methods for the derivation).

\[
f_D = \frac{1}{1 + Q_{D}k_{\text{exD}} \left( \frac{1}{k_{\text{pe}}} + \frac{1}{k_{\text{re}}} \right)}
\]

\[
f_{D^*} = \frac{1}{1 + k_{\text{pe}} \left( \frac{1}{Q_{D}k_{\text{exD}}} + \frac{1}{k_{\text{re}}} \right)}
\]

\[
f_S = \frac{1}{1 + k_{\text{re}} \left( \frac{1}{Q_{D}k_{\text{exD}}} + \frac{1}{k_{\text{pe}}} \right)}
\]

When eqn (1)–(3) are applied using the parameters for YtvA, determined by Losi et al. during their initial \textit{in vitro} characterization of the protein,\(^{3,9}\) results such as those shown in Fig. 2B–D are obtained. In these simulations, all proteins at time point zero are in the dark state. It is then illuminated with different light intensities (the different lines). The results of the simulations match expectations. For example, higher light intensities result in greater accumulation of the light-induced signaling state S. Furthermore, the contribution of the excited state D\(^*\) to the protein species distribution can be neglected, as expected based on its rapid conversion to the dark state (D) or the light-induced signaling state (S).

Fig. 2E summarizes the results of the numerical simulations by taking only the protein species distribution at equilibrium (lines). The symbols in this figure show the results of the application of the simplified steady-state eqn (5)–(7) to the same parameters. Since both simulations overlap, the validity of the simplification of \( k_{\text{exD}} \) for a protein with properties like YtvA is confirmed.

One of the advantages of this model is its ability to predict the consequences of changes in parameters. For example,
Fig. 2F shows the predicted influence of changes in the recovery rate on the accumulation of the signaling state at various light intensities. Such predictions are relevant in view of the availability of mutants of YtvA with altered recovery rates (see below).

Application of the model to in vitro light titrations

To validate the model, purified YtvA was incubated in a temperature-controlled cuvette at 37 °C under illumination with different light intensities. When a steady state was reached, the fraction of YtvA in the light-induced signaling state (S) was determined from the spectrum of the sample by treating the spectrum as a linear combination of the dark state and the light-induced signaling state (symbols in Fig. 3A).

To simulate the predicted behavior of the protein, the quantum yield and photocycle entry rate were taken from the literature, while the recovery rate was measured in our experimental setup since it strongly depends on temperature (Table 1). The analytical solutions (eqn (5)–(7)) were applied to simulate the predicted fraction of the protein in each of the three states (lines in Fig. 3A). It is clear from the figure that the simulations match the observed values very well without the need for a fit for any of the parameters.

To assess the robustness of the model, a mutant of YtvA with drastically altered recovery kinetics was assayed as well. The R63K mutation was previously shown to accelerate recovery at 20 °C by approximately 8-fold. The mutation was transferred to the same full-length YtvA construct used for the wild type protein, and the process was repeated on purified R63K protein (Fig. 3B). The quantum yield and photocycle entry rate were assumed to be the same as for wild type, and the recovery rate was again determined under the same conditions as the light-intensity titration. As predicted by our model, the very fast recovery kinetics of this mutant did not allow saturation of formation of the light-induced signaling state (S) with our light intensity titration. As predicted by our model, the very fast recovery rate was measured in our experimental setup since it strongly depends on temperature (Table 1).

Fig. 3A shows the quantum yield and photocycle entry rate, and Fig. 3B shows the recovery rate on the accumulation of the signaling state at various light intensities in vitro. (A) Wild type YtvA at 37 °C. (B) The R63K mutant at 19 °C (diamonds) and 37 °C (circles). (A-B) Open symbols show the measured fractions of the light-induced signaling state; filled symbols the measured fractions of the dark state. Dotted and short-dashed lines show simulated fractions of the light-induced signaling state; solid and long-dashed lines simulated fractions of the dark state. Note that, for display purposes, the data obtained without light (i.e. at a light intensity of 0) have been plotted at a light intensity of 0.01 because a logarithmic scale cannot display 0. The data are a composite of multiple measurement series on different days and on different samples.

Light-intensity dependence of YtvA-mediated GSR activation

Next, we wanted to investigate the behavior of YtvA in vivo. YtvA transmits a signal to the stressosome when illuminated by blue light, which in turn activates the general stress response (GSR). We showed previously that there is a correlation between light intensity and the level of GSR activation. However, the precise shape of this correlation was not investigated. Using our model, we can now investigate if the fraction of YtvA in the light-induced signaling state correlates with the activation of the GSR.

An established reporter-enzyme assay, based on the genomic insertion of a fusion of the GSR-dependent ctc promoter with the gene coding for the β-galactosidase, was used for these experiments. With this system we previously showed the light-dependent activation of the GSR by over-expressed YtvA and by YtvA at wild type expression levels under selected conditions, which was confirmed by microarray analysis. Cells were grown in the presence of IPTG to induce over-expression of YtvA. After serial dilutions (see Materials and methods for details) the light was turned on, and a sample was taken after 120 min to ensure that the species distribution of YtvA had enough time to reach a steady state. Dark controls were always included to ensure that there was no light-independent activation of the GSR.

Again, we used both wild type YtvA and the R63K mutant with an approximately 10-fold accelerated recovery rate under our conditions (Table 2). A third mutant, V28I, was included as well. The V28I mutation was previously shown to slow down recovery by approximately 4-fold in the isolated LOV domain of YtvA. The mutation was transferred to the full-length construct and its recovery was determined to be approximately 8-fold slower in vitro under our experimental conditions (Table 2).

The results (Fig. 4, symbols) resemble the shape of the predictions from our model for all three mutants. Fits of the model with only the recovery rate as a variable—since this parameter is most likely to be influenced by intracellular
The presence of such a branching reaction has also been shown in vivo. A model qualitatively describes the effect of the altered kinetics of YtvA in vivo.

The signaling state of YtvA shows a light-induced branching reaction

Above, we have modeled the photocycle of YtvA as a three-step process. However, the light-induced signaling state also absorbs visible light. Many other photoreceptors have photoactive signaling states, leading to processes that are often referred to as ‘branching’ reactions (e.g. in PYP, rhodopsins, and phytochromes). The presence of such a branching reaction has also been shown for another LOV domain, in which absorption of a near-UV photon results in very fast recovery of the absorption spectrum to the dark state. While Losi and co-workers did not detect a similar reaction during their initial characterization of YtvA, they did state that it may have escaped detection if the yield of this reaction is low. Therefore, we wondered if the presence of such a reaction could explain the different recovery rates in vitro and in vivo.

To first prove the existence of the light-induced branching reaction, the light state of YtvA was accumulated by illumination with blue light while its absorption at 450 nm was monitored with low-intensity probe light. The blue lamp was then turned off, resulting in characteristic slow thermal recovery of the dark state (Fig. 5, dotted line). At this point, the sample was illuminated with a 6 ns flash of 355 nm laser light, a wavelength at which both the dark state and the light state absorb well. Since the dark state was almost fully depleted prior to the laser flash the majority of the light was absorbed by the signaling state. This resulted in very fast recovery of the dark state spectrum in a small fraction of the sample (dashed line), demonstrating the presence of a photo-induced branching reaction.

The quantum yield of this branching reaction was estimated to be 0.2 in the LOV2 domain of phy3 from Adiantum. However, its contribution appears to be much lower in YtvA, consistent with the fact that this reaction escaped attention in the original characterization of YtvA.

To make a quantitative estimate of this quantum yield we examined the equilibrium between the dark state and the light-induced signaling state of YtvA under conditions where the thermal recovery can be neglected (i.e. at high light intensity and/or at low temperature). Under such conditions, the photocycle of

<table>
<thead>
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<th>Mutant</th>
<th>In vitro $k_{re}$</th>
<th>In vitro (fit) $k_{re}$</th>
<th>In vivo (fit) $k_{re}$</th>
<th>In vivo (fit) $1/k_{re}$</th>
</tr>
</thead>
<tbody>
<tr>
<td>Wild</td>
<td>$1.52 \times 10^{-3}$ s$^{-1}$</td>
<td>$658$ s</td>
<td>$3.47 \times 10^{-4}$ s$^{-1}$</td>
<td>$2881$ s</td>
</tr>
<tr>
<td>R63K</td>
<td>$1.50 \times 10^{-2}$ s$^{-1}$</td>
<td>$66$ s</td>
<td>$9.34 \times 10^{-4}$ s$^{-1}$</td>
<td>$1071$ s</td>
</tr>
<tr>
<td>V28I</td>
<td>$1.98 \times 10^{-3}$ s$^{-1}$</td>
<td>$5059$ s</td>
<td>$9.61 \times 10^{-5}$ s$^{-1}$</td>
<td>$10405$ s</td>
</tr>
</tbody>
</table>

Fig. 4 Light-intensity dependence of GSR activation with wild type YtvA and two site-directed mutants (open circles), and fits with the photocycle model with only the recovery rate as free variable (dashed lines). YtvA was over-expressed prior to the experiment in all strains (see text). Note that, for display purposes, the data obtained without light (i.e. at a light intensity of 0) have been plotted at a light intensity of 0.01 because a logarithmic scale cannot display 0. (A) Wild type YtvA. (B) The R63K mutant. (C) The V28I mutant.

Fig. 5 The signaling state of YtvA displays a light-induced branching reaction. Absorption at 450 nm in time was recorded after accumulation of the signaling state (S) by prolonged illumination with blue light (464 nm). The blue light was switched off at time zero, after which the light-induced branching reaction was induced with a short (6 ns) laser pulse of 355 nm after 7 s. The dotted line displays thermal recovery of the dark state without the laser-induced branching reaction, the dashed line the recovery with laser-induction of the branching reaction, and the solid line shows the difference between both traces.
YtvA is purely driven by the light source, with the conversion of the dark state to the light-induced signaling state competing with the back-conversion to the dark state. In equilibrium, both rates must be equal so that eqn (8) must hold, in which \(N_D\) and \(N_S\) represent the number of photons absorbed by the dark state and the light-induced signaling state, respectively. From this, one can derive eqn (9) which yields the quantum yield of the light-induced branching reaction \(Q_{YS}\). Note that the ratio of the population of the dark state and the light-induced signaling state can easily be determined from the UV/Vis absorption spectrum in equilibrium at saturating light intensities, and that the ratio between absorbed photons is equal to the ratio of spectral overlap between the two states and the actinic light.

\[
[S] \times N_S \times Q_{YS} = [D] \times N_D \times Q_{YD} \tag{8}
\]

\[
Q_{YS} = \frac{[D]}{[S]} \times \frac{N_D}{N_S} \times Q_{YD} \tag{9}
\]

To estimate the quantum yield of the light-induced branching reaction we used a light source centered at 401 nm for which the ratio \(N_D/N_S\) is equal to 0.92, indicating that both species absorb its light almost equally well. YtvA was illuminated with saturating light intensities, from which a \([D]/[S]\) of \(\sim 0.06\) was derived. Together with the known value for \(Q_{YD}\) (0.3) we used eqn (9) to estimate the value of \(Q_{YS}\) to be 0.02.

**The light-induced branching reaction of YtvA does not significantly contribute to its in vivo function**

It is straightforward to extend our photocycle model with the light-induced branching reaction. As shown in Fig. 6A three additional reactions and parameters have to be included, with \(k_{exS}\) as the rate of excitation of \(S\) (similar to \(k_{exD}\), \(Q_{YS}\) as the quantum yield of the branching reaction and \(k_{be}\) as the rate of branching entry. These additional reactions complicate the differential equations (eqn (10)–(13)). Using the same assumption for \(k_{exD}\) and \(k_{exS}\) as made previously, they can nevertheless be solved into equations for the steady-state fractions of the different species of YtvA (eqn (14)–(16)).

\[
\frac{d[D]}{dt} = -k_{exD}[D] + \left(\frac{1}{Q_{YD}} - 1\right)k_{pe}[D^*] + k_{re}[S] + k_{be}[S^*] \tag{10}
\]

\[
\frac{d[D^*]}{dt} = k_{exD}[D] - \frac{k_{pe}[D^*]}{Q_{YD}} \tag{11}
\]

\[
\frac{d[S]}{dt} = k_{pe}[D^*] - (k_{re} + k_{exS})[S] + \left(\frac{1}{Q_{YS}} - 1\right)k_{be}[S^*] \tag{12}
\]

\[
\frac{d[S^*]}{dt} = k_{exS}[S] - \frac{k_{be}[S^*]}{Q_{YS}} \tag{13}
\]

\[
f_D = \frac{1}{1 + k_{exD}Q_{YD} \left(\frac{1}{k_{pe}} + \frac{k_{be} + k_{exS}Q_{YS}}{k_{be}(k_{re} + k_{exS}Q_{YS})}\right)} \tag{14}
\]

\[
f_{D^*} = \frac{1}{1 + k_{pe} \left(\frac{1}{k_{exD}Q_{YD}} + \frac{k_{be} + k_{exS}Q_{YS}}{k_{be}(k_{re} + k_{exS}Q_{YS})}\right)} \tag{15}
\]

\[
f_S = \frac{1}{1 + (k_{re} + k_{exS}Q_{YS}) \left(\frac{1}{k_{exD}Q_{YD}} + \frac{1}{k_{pe}}\right) + \frac{k_{exS}Q_{YS}}{k_{be}}} \tag{16}
\]

\[
f_{S^*} = \frac{1}{1 + k_{be} \left(k_{re} + k_{exS}Q_{YS}\right) \left(\frac{1}{k_{exD}Q_{YD}} + \frac{k_{be} + k_{exS}Q_{YS}}{k_{be}}\right) + \frac{1}{k_{pe}}} \tag{17}
\]

To simulate the influence of the branching reaction on the proteins’ species distribution the model was applied using the same parameters as in Fig. 2F. The value of \(k_{be}\) was taken to be equal to \(k_{pe}\)–the laser flash experiment revealed very fast kinetics and faster kinetics do not influence the outcome significantly (data not shown). The quantum yield \(Q_{YS}\) was taken to be 0.02 (see above). The simulation shows an effect at high light intensities that effectively lowers the fraction of the light-induced signaling state \(S\) that can be accumulated (Fig. 6B). However, the effect is so small that application of this branching model to the in vivo light titration data (Fig. 4) results in less than 1% change of the fitted recovery rate for all three mutants (data not shown).

**Discussion**

**Construction of a model for the photocycle of YtvA**

We have constructed a mathematical model for the photocycle of the blue-light photoreceptor YtvA based on its known properties and kinetics. Differential equations were used to simulate the temporal changes in protein species distribution during illumination (eqn (1)–(3); Fig. 2). From this model we analytically derived equations for the fraction of the protein in each species in steady state (eqn (5)–(7)). These equations were applied to light-intensity titration experiments in vitro to...
validate the assumptions made in the model. The model predicted the behavior of wild type YtvA in vitro extremely well without a need for fitting, which was also true for a mutant with altered recovery kinetics (Fig. 3).

It is interesting to note that the steady-state equations for the dark state and the signaling state (eqn (1) and (3)) can be simplified to eqn (28) and (29). Also, when some reasonable assumptions are made, a simple analytical expression can be derived to approximate the temporal changes in protein species distribution when light conditions change (eqn (30)). From there another expression can be derived to determine the time it takes to reach a certain percentage of a new steady-state value after a change in light conditions (eqn (31)). Together, these equations form a toolkit for the prediction of required conditions for a given experiment that involves a photoreceptor (see Materials and methods and ESI† for the derivation and notes on usage).

Application of the model to in vivo data

YtvA has the added advantage of having a well-resolved biological role in inducing the general stress response (GSR) of B. subtilis. This enabled us to indirectly measure the activation of YtvA through a reporter-enzyme. The results (Fig. 4) closely resemble the shape the model predicts. Most variation likely derives from biological variation and inaccuracy in the determination of the average light intensity in a shaking Erlenmeyer flask. The data show a clear correlation with in vitro data: the strain with the faster-recovering R63K mutant of YtvA is less sensitive to light than wild type, while the strain with the slower-recovering V28I mutant is more sensitive instead.

Intriguingly, the sensitivity of the in vivo response to light is quantitatively different from the sensitivity of YtvA itself to light. The results of the fits suggest slower recovery kinetics in vivo than in vitro. As a result, the GSR is more light-sensitive than would be predicted based on the in vitro kinetics of YtvA (Table 2). This is exciting, because it suggests that the signal transduction network of the GSR may be highly optimized to increase its sensitivity to harmful high-energy light, while still maintaining a reasonable time resolution. A rationale for this may be the relatively modest molar extinction coefficient of oxidized flavins (≈1.25 × 10^4 M⁻¹ cm⁻¹ at the absorption maximum) compared to other photoreceptors that mostly have a several fold higher extinction coefficient.34–36

We cannot derive the in vivo feature responsible for this effect from our data because our model does not include all reactions of the signaling pathway. One of the possibilities is that the response to blue light is a cooperative response, as suggested for other environmental stresses that are signaled through the stressosome.37 Alternatively, the curve may be shifted, or its shape may be altered, by the involvement of signal-amplification and feedback loops such as the induction of expression of SigmaB (and its primary regulators RsBV and RsBW) upon stress, the induction of RsBX (a negative regulator of the environmental GSR) or the stressosome component RsBRD.12,14,38 A third possibility is involvement of stress-induced degradation of the reporter enzyme (LacZ), as was recently suggested based on an artificial system,39 which may also alter the shape of the curve. Finally, the environment of YtvA in the cell may not be well-represented by in vitro buffer conditions. In general, buffers do not necessarily resemble in vivo conditions.40–42 However, we observed variations in the recovery rate of less than 10% in vitro when the salt concentration was increased up to 300 mM (enough for a GSR stress in vivo) or when the pH was varied between 7 and 10 (data not shown), suggesting that YtvA is relatively insensitive to buffer conditions. Still, YtvA is proposed to be a part of the stressosome in vivo, which may significantly alter its local environment and consequently its microscopic rate constants, e.g. by stabilization of the light-induced state.

Our results also imply that most experiments on the GSR in B. subtilis for which the light climate was not specified, presumably had a significant fraction of YtvA in the light-activated signaling state (Fig. 2E). Thus, this work emphasizes the need to define the light climate in future experiments—even if those experiments do not directly deal with light. The basic eqn (28)–(31) are intended to help with the definition of the optimal experimental light climate.

YtvA has a light-induced branching reaction that does not significantly impair its function

Previously, YtvA was not thought to have a light-induced branching reaction such as found in the LOV2 domain of phy3 of Adiantum.9,33 Our data clearly show the presence of such a reaction (Fig. 5), although its quantum yield is low (approximately 0.02).

An extension to our model shows that the effect of this branching reaction in vivo, when YtvA is illuminated with a blue LED such as in our experiments, can be neglected (Fig. 6). However, it is worthwhile to note that illumination of YtvA with a light source closer to the UV is predicted to have larger effects. Thus, UV light may have a significant effect on the biological function of YtvA. Additionally, our model predicts that the function of LOV domains such as LOV2 of phy3 of Adiantum, which was reported to have a quantum yield of the branching reaction of 0.2,23 would be significantly affected (Fig. 6, dashed line).

Future directions for GSR research

We consider YtvA the ideal tool for the study of the GSR in B. subtilis because it is the only stress signal which can easily, rapidly and reversibly be controlled. The construction of a model for its photocycle is a significant step towards a kinetic model of the entire signal transduction pathway that regulates the GSR. At present, this is not feasible because there are still too many unknown factors, including the nature and strength of other input signal(s) of the stressosome. Nevertheless, progress has been made with computational models of the RsBV-RsBW-SigmaB partner switch module and the energy stress response,43,44 and it will be interesting to combine these two approaches to generate a full systems biology model. Ultimately, such quantitative models for the GSR may contribute to a better understanding of the process of...
signal integration, as much as—and complementary to—the chemotaxis system.\textsuperscript{45,46}

**Conclusion**

Our model is constructed such that it is applicable to every photoreceptor which can be described with a three-state cyclic model. However, the ease of extension of the model with the light-induced branching reaction also shows that the model can easily be modified to accommodate photoreceptors with more complicated photodynamics. This means that the model will be useful e.g. for estimation of the light intensity required to achieve a desired effect (given a photoreceptor with known characteristics), and estimation of key kinetics based on preliminary experiments. Additionally, the model will be useful to estimate which parameter can be most effectively changed to achieve a desired effect, which will be useful for e.g. application in optogenetics.

**Materials and methods**

**Derivation of the photocycle model**

The model for the photocycle of YtvA was based on the approach outlined in Hendriks and Hellingwerf (2009)\textsuperscript{25} for PYP, with modifications where required. Our model is schematically shown in Fig. 2A. The parameters are: $k_{\text{exD}}$, the rate of excitation; $k_{\text{pe}}$, the rate of photocycle entry; $k_{\text{re}}$, the rate of recovery of the dark state; and $Q_{\text{yD}}$, the quantum yield of photocycle entry. Using this, it is possible to derive differential equations for every species (eqn (1)-(3)), which can be used to numerically simulate the species distribution of YtvA.

The model is based on the assumption that every absorbed photon leads to the formation of the excited state (D*), which then continues into the photocycle to an extent depending on the quantum yield.\textsuperscript{25} This allows the application of the Lambert–Beer law for absorption (eqn (18) and (19)) with $A$ the absorption, $I_0$ and $I$ the light intensities before and after absorption by the sample, $\varepsilon_D$ the molar extinction coefficient of the protein, $I$ the path length and $[D]$ the concentration of the dark state of the protein.

\[
A = \log \frac{I_0}{I} = \varepsilon_D I [D] \quad (18)
\]

\[
I = I_0 \times 10^{-\varepsilon_D I [D]} \quad (19)
\]

The number of photons absorbed is equal to the difference between the light intensity before and after the sample. This light intensity can most easily be expressed in mEinstein cm$^{-2}$ s$^{-1}$ (10$^6$ mEinstein m$^{-2}$ s$^{-1}$). Thus, to obtain the rate of formation of D* ($\nu_{\text{D*}}$), the light intensity can be multiplied by the illuminated area ($a$). Dividing this by the volume of the sample ($al$) gives the rate of formation of D* in M s$^{-1}$ (eqn (20)).

\[
\nu_{\text{D*}} = \frac{\alpha_a I_0 - I}{al} = \frac{I_0 - I}{I} \frac{I_0(1 - 10^{-\varepsilon_D I [D]})}{I} \quad (20)
\]

Taking into account that the rate of formation of D* is equal to $k_{\text{exD}}[D]$, this results in eqn (21) for $k_{\text{exD}}$. The dependence of $k_{\text{exD}}$ on $[D]$ makes it impossible to obtain analytical solutions for the fraction of protein in any of the three states at steady state. Thus, $k_{\text{exD}}$ was approximated by converting the power 10 part of this equation to an exponent (eqn (21)), after which a Taylor expansion for an exponential function (eqn (22)) was used to obtain eqn (23).

\[
k_{\text{exD}} = \frac{I_0(1 - 10^{-\varepsilon_D I [D]})}{[D]} = \frac{I_0(1 - e^{-\varepsilon_D I [D] \ln 10})}{[D]} \quad (21)
\]

\[
e^x = \sum_{n=0}^{\infty} \frac{x^n}{n!} = 1 + x + \frac{x^2}{2!} + \frac{x^3}{3!} + \frac{x^4}{4!} + ... \quad (22)
\]

\[
k_{\text{exD}} \approx \frac{I_0(1 - (1 - \varepsilon_D I [D] \ln 10))}{[D]} = I_0 \varepsilon_D I [D] \ln 10 \quad (23)
\]

In this equation, the molar extinction coefficient ($\varepsilon_D$) has to be calculated for the entire spectrum of the light source (see below).

With the dependency of $k_{\text{exD}}$ on [D] removed, it is possible to derive equations for the steady-state fraction of YtvA in any of the three states (when eqn (1)-(3) are zero). For example, setting eqn (3) to zero, results in eqn (24). Similarly, setting eqn (2) to zero results in eqn (25), and setting eqn (1) to zero and expressing $[D^*]$ in $[S]$ via eqn (24) therein leads to eqn (26).

\[
\frac{d[S]}{dt} = k_{\text{pe}} [D^*] - k_{\text{re}} [S] = 0 \quad (24)
\]

\[
[D^*] = \frac{k_{\text{re}} [S]}{k_{\text{pe}}} \quad (25)
\]

\[
[S] = \frac{Q_{\text{yD}} k_{\text{exD}} [D^*]}{k_{\text{re}}} \quad (26)
\]

The fraction in any of the three states is given by the concentration in that state divided by the total concentration, as in eqn (27) for the dark state (D).

\[
f_D = \frac{[D]}{[D^*] + [S]} \quad (27)
\]

Expressing concentrations [D*] and [S] in [D] using eqn (25) and (26) allows one to divide out the concentration [D], which simplifies to eqn (5). A similar approach leads to eqn (6) and (7).

Simulations of steady-state fractions of each of the YtvA species, as well as of time traces based on the differential equations (such as in Fig. 2), were done using Matlab R2010b (MathWorks).

Eqn (5) and (7) can be further simplified by noting that the term $1/k_{\text{pe}}$ is in general much smaller than the term next to it ($1/k_{\text{re}}$ in eqn (5) and $1/(Q_{\text{yD}} k_{\text{exD}})$ in eqn (7)), and can therefore
be neglected. Reorganizing the resulting equations results in eqn (28) and (29).

\[
\begin{align*}
  f_D &= \frac{1}{1 + Q_D^\text{exD}(k_e + k_r)} \approx \frac{k_{re}}{Q_D^\text{exD} + k_{re}} \\
  f_S &= \frac{1}{1 + k_r(Q_D^\text{exD} + k_r)} \approx \frac{Q_D^\text{exD}}{Q_D^\text{exD} + k_{re}}
\end{align*}
\]

As the contribution of \([D^*]\) is negligible (see Fig. 2C), one can make the approximation that the total amount of protein is equal to \([D] + [S]\). In addition, it is reasonable to assume that the change in \([D]\) mirrors the change in \([S]\) (\(d[D]/dt = -d[S]/dt\)). Using these approximations it is possible to derive a simple analytical expression for the temporal changes in protein species distribution for a specific light condition (eqn (30)).

From this, an expression can be derived for the time it takes to reach a certain percentage of the new steady-state value after a change in light conditions (eqn (31)). In eqn (30), \(\epsilon_{tot}\) represents the total concentration of protein and \([D]_0\) the concentration of the dark state at time zero. In eqn (31), \(t\) represents the time (in seconds) until \(f_D\) (the fraction of protein in the dark state) has reached a fraction of \(f_{\text{steady state}}\) of the steady-state value of \(f_D\). For example, if \(f_{\text{steady state}}\) is 0.95, \(t\) represents the time it takes for 95% of the change in \(f_D\) due to the new light intensity to have taken place.

\[
\begin{align*}
  f_D &= \frac{[D]_0}{\epsilon_{tot}} - \frac{k_{re}}{Q_D^\text{exD} + k_{re}} e^{-(Q_D^\text{exD} + k_{re})t} + \frac{k_{re}}{Q_D^\text{exD} + k_{re}} \\
  t &= \frac{\ln(1 - f_{\text{steady state}})}{-Q_D^\text{exD} + k_{re}}
\end{align*}
\]

For a detailed derivation and notes on how to use these equations, see the ESI. Note that these simplified equations were not used for the simulations shown in the manuscript.

**Extension of the photocycle model to include a light-induced branching reaction**

The addition of a light-induced branching reaction to our model extends it with three additional reactions (Fig. 6A). Compared to the full basic model outlined above, the extra parameters are: \(k_{exS}\), the rate of excitation of \(S\); \(Q_{exS}\), quantum yield of the branching reaction; and \(k_{be}\), the rate of branching entry. Similar to before, this can be used to set up differential equations to describe the temporal dynamics of each protein species involved (eqn (10)–(13)).

In this model, the form of \(k_{exS}\) is equal to \(k_{exD}\), with the exception that now the molar extinction coefficient of the light-induced signaling state (\(\epsilon_S\)) is used (see below for the calculation). In steady state, when eqn (10)–(13) are zero, it is again possible to express the concentrations of the protein species in each other, resulting in equations for the steady-state fractions (eqn (14)–(17)). For example, the steady-state fraction of the light-induced signaling state \(S\) can be derived by expressing \(S^*\) in \(S\) through eqn (13), resulting in eqn (32). Substituting this result in eqn (12) allows the expression of \(D^*\) in \(S\) (eqn (33)), and substituting both results in eqn (10) allows the expression of \(D\) in \(S\) (eqn (34)). These three equations can then be combined to derive the fraction of the protein that is in state \(S\) in steady state (eqn (16)).

\[
\begin{align*}
  [S^*] &= \frac{k_{exS}Q_S}{k_{be}} [S] \\
  [D^*] &= \frac{k_{re} + k_{exS}Q_S}{k_{re}} [S] \\
  [D] &= \frac{k_{re} + k_{exS}Q_S}{k_{exD}Q_S} [S]
\end{align*}
\]

A similar approach can be used to derive the other steady-state fractions (eqn (14)–(17)).

**Determination of the effective extinction coefficient of YtvA for a given light source**

The rates of excitation for the dark state (\(k_{exD}\)) and the light-induced signaling state (\(k_{exS}\) in the branching model) depend on the extinction coefficient for the respective protein species (\(\epsilon\)) and the light intensity used (\(I_0\)). However, as is often the case, the light source used emits a peak over a range of wavelengths for which the extinction coefficient is not constant. Thus, both \(\epsilon\) and \(I_0\) are functions of the wavelength (\(\lambda\)), and the expression should be an integral over \(\epsilon(\lambda)I_0(\lambda)\).

The wavelength-dependent extinction coefficient for the dark spectrum was determined by normalizing the absorption spectrum to \(k_{exD} = 12,500 \text{ M}^{-1} \text{ cm}^{-1}\): the extinction coefficient of FMN that was also used for the quantum yield determination by ref. 3. An isosbestic point was used to normalize the light-induced spectrum to the dark spectrum to obtain \(\epsilon(\lambda)\) for this species.

The emission spectrum of the blue LED with a \(\lambda_{\text{max}}\) of 464 nm that was used for all experiments was determined using an Ocean Optics USB4000 spectrophotometer. Because the total light intensity over all emitted wavelengths \((I_0(\text{total}))\) was measured experimentally, \(I_0(\lambda)\) was split into two factors: \(I_0(\text{total})/f(\lambda)\), where \(f(\lambda)\) represents the fractional contribution of wavelength \(\lambda\) to the total intensity. In effect \(f(\lambda)\) is the emission spectrum of the light source normalized to a total area of 1. The area of overlap between \(\epsilon(\lambda)\) and \(f(\lambda)\) was used as the ‘effective molar extinction coefficient’, resulting in \(\epsilon_{\text{eff}} = 9516 \text{ M}^{-1} \text{ cm}^{-1}\) and \(\epsilon_S = 963 \text{ M}^{-1} \text{ cm}^{-1}\) for the light source used in these experiments.

The two black bars that denote a crude estimate of relevant light intensities in the lab and of sunlight in the Netherlands at noon in Fig. 2E were included for comparative purposes. The light intensity of the lighting in our lab was estimated using a LI-COR LI-250 light meter and a LI-COR Quantum Sensor, and its spectrum was measured using an Ocean Optics USB4000 spectrophotometer. The measured light intensity was then corrected to represent a light intensity with comparable activity.
with regard to YtvA activation as the blue LED for which the data in the figure was simulated. Similarly, the solar light intensities were estimated based on the average solar irradiance at noon in De Bilt, the Netherlands in December (lower limit) and June (upper limit), combined with the solar irradiation spectrum from ASTM Standard G173-03 (global tilted) reproduced with SMARTS v2.9.2.

**Plasmid and strain constructions**

Strains, plasmids and primers used in this study are listed in Table 3. DNA manipulations and other molecular genetic techniques were carried out using standard procedures. The sequences of all constructed plasmids were verified.

Plasmids suitable for expression and isolation of YtvA mutants were constructed using *E. coli* XL1-Blue as cloning host. *E. coli* M15/pREP4 was then transformed with the constructed plasmids to create production strains. The ytvA(R63K) mutation was amplified using primers pQE30ytvAFW and pQE30ytvARV from a template plasmid carrying the mutation (a kind gift of Wolfgang Gärtner). The PCR product was then digested with BamHI and SalI and ligated into similarly digested pQE-30 to create pYN006. The ytvA(V28I) mutation was constructed using the QuickChange method. Template pQE-30-ytvA was amplified using primers JBS190 and JBS191 to create plasmid pJA024.

Plasmids suitable for expression of YtvA in *B. subtilis* were also constructed using *E. coli* XL1-Blue as cloning host. *E. coli* MC1061, a strain that creates plasmid multimers, was subsequently transformed with the constructed plasmids. The ytvA gene carrying the R63K mutation was amplified from pYN006 with primers OB1 and OB2, digested with Sall and SphI, and ligated into similarly digested pDG148 to create pYN012. The ytvA(V28I) mutation was constructed in a two-step PCR procedure. First, overlapping fragments of the mutated gene were amplified using primers OB1 and JBS191 and JBS190 and OB2. Second, both fragments were used as a template in a PCR with flanking primers OB1 and OB2. The fragment was digested with Sall and SphI and ligated into similarly digested pDG148 to generate pJBS1140 (V28I).

*B. subtilis* strain PB565, a derivative of the wild-type PB2, contains a ytvA null mutation and an integration in a neutral site (the amyE gene) of a fusion between the SigmaB-dependent ctc promoter and the lacZ reporter gene (which encodes for a β-galactosidase). This strain was transformed with pYtvA, pYN012 or pJBS1140, isolated from *E. coli* MC1061, to generate the strains used for GSR activation assays.

**Protein isolation**

*E. coli* M15/pREP4 with the appropriate plasmid (pQE-30-ytvA for wild type YtvA, pYN006 for the R63K mutant or pJA024 for the V28I mutant) was grown overnight in 20 ml of Production Broth (PB: 20 g l⁻¹ Bacto-tryptone, 10 g l⁻¹ yeast extract, 5 g l⁻¹ NaCl, 8.7 g l⁻¹ K₂HPO₄ and 5 g l⁻¹ glucose) supplemented with 50 μg ml⁻¹ kanamycin and 100 μg ml⁻¹ ampicillin. The next day, 1 l of PB was inoculated with the overnight culture and grown at 37 °C, with shaking at 250 rpm. When an optical density (OD) at 600 nm of 0.4–0.6 was reached, 1 mM (final concentration) of IPTG was added to induce expression, and the culture was allowed to grow overnight at room temperature. Cell-free extracts were prepared by sonication in buffer A.

### Table 3 Strains, plasmids and primers, used in this study

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<th>Strain, plasmid or primer</th>
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*a* Resistance cassettes: *bla* for ampicillin resistance, *cat* for chloramphenicol resistance, *ery* for erythromycin resistance, and *kan* for kanamycin resistance. MCS: multiple cloning site. In primer sequences, restriction sites are underlined while altered bases for mutagenesis are in bold.
Applications of efflux pumps in the clinical setting

Efflux pumps are known to play a crucial role in antibiotic resistance, particularly in Gram-negative bacteria. In this study, we aimed to evaluate the effectiveness of efflux pump inhibitors in the treatment of infections caused by multidrug-resistant strains. Several inhibitors were tested against a panel of clinical isolates, and the results indicated that these compounds could significantly enhance the bactericidal activity of antibiotics.

Materials and methods

The isolates were obtained from patients with clinically confirmed infections, and their susceptibility to various antibiotics was determined using the disk diffusion method. The efflux pump inhibitors (EPIs) were synthesized and characterized for their chemical properties. The bacterial growth inhibition was measured using the broth microdilution method.

Results

The results showed that the combination of antibiotics with EPIs led to a significant increase in the zone of inhibition, indicating the reversal of the multidrug resistance. The MICs of these combinations were lower than those of antibiotics alone, demonstrating the synergistic effect of the inhibitors.

Conclusion

The study highlights the potential of EPIs in enhancing the efficacy of antibiotics against multidrug-resistant bacteria. Further research is needed to optimize the formulation and delivery of these compounds to improve their clinical applicability.

Acknowledgments

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References


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light-induced signaling state (S) at saturating light intensities of a light source absorbed by both species, as explained in the Results section. Experiments were carried out in the same setup as described above for the in vitro photocycle measurements. A temperature of 25 °C was used to ensure that thermal recovery would be negligible. As the light source, a custom-made LED with a \( \lambda_{\text{max}} \) of 401 nm (FWHM of 12 nm) and a variable intensity was used. Data was processed analogous to the blue light in vitro experiments described above, using Matlab R2010b (MathWorks) and Microsoft Excel 2010.

**Note added in preparation**

While this paper was in the preparation and submission process Losi et al. published an intriguing paper on super-resolution microscopy using YtvA in which the existence of the branching reaction is also convincingly demonstrated.\(^2\) Their data confirms our observation that the quantum yield of this branching reaction is low, which further solidifies our conclusions with respect to the biological implications.

**Author contributions**

JBvdS and YN performed experiments; JH, JBvdS, KJH and YN developed models; JBvdS, YN and KJH designed experiments; and JBvdS wrote the paper.

**Conflict of interest**

The authors declare that they have no conflict of interest.

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**References**