Search for new phenomena in final states with an energetic jet and large missing transverse momentum in pp collisions at $\sqrt{s} = 8$ TeV with the ATLAS detector


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Search for new phenomena in final states with an energetic jet and large missing transverse momentum in $pp$ collisions at $\sqrt{s} = 8$ TeV with the ATLAS detector

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Abstract Results of a search for new phenomena in final states with an energetic jet and large missing transverse momentum are reported. The search uses 20.3 fb$^{-1}$ of $\sqrt{s} = 8$ TeV data collected in 2012 with the ATLAS detector at the LHC. Events are required to have at least one jet with $p_T > 120$ GeV and no leptons. Nine signal regions are considered with increasing missing transverse momentum requirements between $E_T^{\text{miss}} > 150$ GeV and $E_T^{\text{miss}} > 700$ GeV. Good agreement is observed between the number of events in data and Standard Model expectations. The results are translated into exclusion limits on models with either large extra spatial dimensions, pair production of weakly interacting dark matter candidates, or production of very light gravitinos in a gauge-mediated supersymmetric model. In addition, limits on the production of an invisibly decaying Higgs-like boson leading to similar topologies in the final state are presented.

1 Introduction

Events with an energetic jet and large missing transverse momentum in the final state constitute a clean and distinctive signature in searches for new physics beyond the Standard Model (SM) at colliders. Such signatures are referred to as monojet-like in this paper. In particular, monojet-like (as well as monophoton and mono-$W/W$) final states have been studied [1–21] in the context of searches for supersymmetry (SUSY), large extra spatial dimensions (LED), and the search for weakly interacting massive particles (WIMPs) as candidates for dark matter (DM).

The Arkani-Hamed, Dimopoulos, and Dvali (ADD) model for LED [22] explains the large difference between the electroweak unification scale at $O(10^2)$ GeV and the Planck scale $M_{\text{Pl}}^2 \sim O(10^{19})$ GeV by postulating the presence of $n$ extra spatial dimensions of size $R$, and defining a fundamental Planck scale in $4+n$ dimensions, $M_D$, given by

$$M_D^2 \sim M_{\text{Pl}}^2 R^n.$$}

An appropriate choice of $R$ for a given $n$ yields a value of $M_D$ at the electroweak scale. The extra spatial dimensions are compactified, resulting in a Kaluza–Klein tower of massive graviton modes. If produced in high-energy collisions in association with an energetic jet, these graviton modes escape detection leading to a monojet-like signature in the final state.

A non-baryonic DM component in the universe is commonly used to explain a range of astrophysical measurements (see, for example, Ref. [23] for a review). Since none of the known SM particles are adequate DM candidates, the existence of a new particle is often hypothesized. Weakly interacting massive particles are one such class of particle candidates that can be searched for at the LHC [24]. They are expected to couple to SM particles through a generic weak interaction, which could be the weak interaction of the SM or a new type of interaction. Such a new particle would result in the correct relic density values for non-relativistic matter in the early universe [25], as measured by the PLANCK [26] and WMAP [27] satellites, if its mass is between a few GeV and a TeV and if it has electroweak-scale interaction cross sections. Many new particle physics models such as SUSY [28–36] also predict WIMPs.

Because WIMPs interact so weakly that they do not deposit energy in the calorimeter, their production leads to signatures with missing transverse momentum. Here, WIMPs are assumed to be produced in pairs, and the events are identified via the presence of an energetic jet from initial-state radiation (ISR) [37–40] yielding large missing transverse momentum.

The interaction of WIMPs with SM particles is described as a contact interaction using an effective field theory (EFT) approach, mediated by a single new heavy particle or particles with mass too large to be produced directly at the LHC (see Fig. 1a). It is assumed here that the DM particle is either a Dirac fermion or a scalar $\chi$; the only difference for Majorana fermions is that certain interactions are...
Fig. 1 Feynman diagrams for the production of weakly interacting massive particle pairs $\chi \bar{\chi}$ associated with a jet from initial-state radiation of a gluon, $g$. a A contact interaction described with effective operators. b A simplified model with a $Z'$ boson.

Table 1 Effective interactions coupling WIMPs to Standard Model quarks or gluons, following the formalism in Ref. [41], where $M_\epsilon$ is the suppression scale of the interaction. Operators starting with a D describe Dirac fermion WIMPs, the ones starting with a C are for scalar WIMPs and $G_\mu^a$, is the colour field-strength tensor.

<table>
<thead>
<tr>
<th>Name</th>
<th>Initial state</th>
<th>Type</th>
<th>Operator</th>
</tr>
</thead>
<tbody>
<tr>
<td>C1</td>
<td>$q\bar{q}$</td>
<td>Scalar</td>
<td>$\frac{m_\epsilon}{M_\epsilon} \chi \gamma_\mu \bar{\chi} q \gamma_\mu$</td>
</tr>
<tr>
<td>C5</td>
<td>$gg$</td>
<td>Scalar</td>
<td>$\frac{1}{4M_\epsilon^2} \chi \chi a(G_\mu^a)^2$</td>
</tr>
<tr>
<td>D1</td>
<td>$q\bar{q}$</td>
<td>Scalar</td>
<td>$\frac{M_\epsilon}{2} \chi \bar{\chi} q \bar{q}$</td>
</tr>
<tr>
<td>D5</td>
<td>$q\bar{q}$</td>
<td>Vector</td>
<td>$\frac{1}{M_\epsilon^2} \chi \gamma_\mu \bar{\chi} \gamma_\mu q$</td>
</tr>
<tr>
<td>D8</td>
<td>$q\bar{q}$</td>
<td>Axial-vector</td>
<td>$\frac{1}{M_\epsilon^2} \chi \gamma_\mu \chi \bar{\chi} q \gamma_\mu q$</td>
</tr>
<tr>
<td>D9</td>
<td>$q\bar{q}$</td>
<td>Tensor</td>
<td>$\frac{1}{M_\epsilon^2} \chi \chi \alpha \sigma_\mu \bar{\chi} \sigma_\mu q$</td>
</tr>
<tr>
<td>D11</td>
<td>$gg$</td>
<td>Scalar</td>
<td>$\frac{1}{4M_\epsilon^2} \chi \chi a(G_\mu^a)^2$</td>
</tr>
</tbody>
</table>

not allowed and that the cross sections for the allowed interactions are larger by a factor of four. Seven interactions are considered (see Table 1), namely those described by the operators C1, C5, D1, D5, D8, D9, D11, following the naming scheme in Ref. [41]. These operators describe different bilinear quark couplings to WIMPs, $q\bar{q} \rightarrow \chi \bar{\chi}$, except for C5 and D11, which describe the coupling to gluons, $gg \rightarrow \chi \bar{\chi}$. The operators for Dirac fermions and scalars in Ref. [41] fall into six categories with characteristic missing transverse momentum spectral shapes. The representative set of operators for these six categories are C1, C5, D1, D5, D9, and D11, while D8 falls into the same category as D5 but is listed explicitly in Table 1 because it is often used to convert LHC results into limits on DM pair production. In the operator definitions in Table 1, $M_\epsilon$ is the suppression scale of the interaction, after integrating out the heavy mediators particles. The use of a contact interaction to produce WIMP pairs via heavy mediators is considered conservative because it rarely overestimates cross sections when applied to a specific scenario for physics beyond the SM. Cases where this approach is indeed optimistic are studied in Refs. [40,42–46]. Despite the caveats related to the validity of the EFT approach (see Appendix A), this formalism is used here, as it provides a framework for comparing LHC results to existing direct or indirect DM searches. Within this framework, interactions of SM and DM particles are described by only two parameters, the suppression scale $M_\epsilon$ and the DM particle mass $m_\chi$. Besides the EFT operators, the pair production of WIMPs is also investigated within a so-called simplified model, where a pair of WIMPs couples to a pair of quarks explicitly via a new mediator particle, a new vector boson $Z'$ (see Fig. 1b).

In gauge-mediated SUSY-breaking (GMSB) scenarios [47–52], the gravitino $\tilde{G}$ (spin-3/2 superpartner of the graviton) is often the lightest supersymmetric particle and a potential candidate for DM. Its mass is related to the SUSY-breaking scale $\sqrt{F}$ and $M_{Pl}$ via $m_\tilde{G} \propto F/M_{Pl}$ [53]. At hadron colliders, in low-scale SUSY-breaking scenarios with very light gravitinos, the cross section for associated production of gravitino–squark ($pp \rightarrow \tilde{G}q + X$) and gravitino–gluino ($pp \rightarrow \tilde{G}g + X$) processes are relatively large [54], since the cross section depends on $m_\tilde{G}$ as $\sigma \sim 1/m_\tilde{G}^2$. The decay of the gluino or squark into a gravitino and a gluon ($\tilde{g} \rightarrow \tilde{G}g$) or a gravitino and a quark ($\tilde{q} \rightarrow \tilde{G}q$), respectively, dominates [54]. The final state is characterized by the presence of a pair of gravitinos that escape detection and an energetic jet, leading to a monojet-like topology. Previous studies at colliders [16,55] considered the production of gravitinos in association with a photon or a jet and assumed extremely heavy squarks and gluinos. Within this approximation, a lower limit for the gravitino mass of $m_\tilde{G} > 1.37 \times 10^{-5}$ eV was established.

The study of the properties of the Higgs boson discovered by the ATLAS and CMS experiments [56,57] does not exclude a sizeable branching ratio for its decay to invisible particles. It also opens up the question of whether a Higgs-like scalar field plays an important role in describing the interaction between dark and ordinary matter in the
universe. In particular, a sizeable branching ratio to invisible particles could be interpreted in terms of the production of DM. Results from LEP [58] excluded an invisibly decaying Higgs boson, produced in association with a Z boson, for a boson mass \( (m_H) \) below 114.4 GeV. The strongest direct bounds from the LHC experiments on the branching ratio for the Higgs invisible decay mode [59,60] set upper limits of 58\%–65\% at 95\% confidence level (CL), based on the final state in which the Higgs boson is produced either in association with a Z boson or via vector-boson fusion processes. In this analysis, the monojet-like final state is used to search for the production of an invisibly decaying boson with SM Higgs-like properties and a mass in the range between 115 GeV and 300 GeV.

The paper is organized as follows. The ATLAS detector is described in the next section. Section 3 provides details of the simulations used in the analysis for background and signal processes. Section 4 discusses the reconstruction of jets, leptons and missing transverse momentum, while Sect. 5 describes the event selection. The estimation of background contributions and the study of systematic uncertainties are discussed in Sects. 6 and 7. The results are presented in Sect. 8, and are interpreted in terms of the search for ADD DM. Results from LEP [58] excluded an invisibly decaying boson or via vector-boson fusion processes.

3 Monte Carlo simulation

Simulated event samples are used to compute detector acceptance and reconstruction efficiencies, determine signal and background contributions, and estimate systematic uncertainties in the final results.

3.1 Background simulation

The expected background to the monojet-like signature is dominated by \( Z(\rightarrow \nu\bar{\nu})+\text{jets} \) and \( W+\text{jets} \) production (with \( W(\rightarrow \tau \nu)+\text{jets} \) being the dominant among the \( W+\text{jets} \) backgrounds), and includes small contributions from \( Z/\gamma^* \rightarrow \ell^+\ell^-+\text{jets} \) (\( \ell = e, \mu, \tau \)), multijet, \( t\bar{t} \), single-top, and diboson (\( WW, WZ, ZZ, W\gamma, Z\gamma \)) processes.

Samples of simulated \( W+\text{jets} \) and \( Z+\text{jets} \) production events are generated using SHERPA-1.4.1 [63] Monte Carlo (MC) generator, including leading-order (LO) matrix elements for up to five partons in the final state and assuming massive \( b\bar{c} \)-quarks, with CT10 [64] parton distribution functions (PDF) of the proton. The MC expectations are initially normalized to next-to-next-to-leading-order (NNLO) perturbative QCD (pQCD) predictions according to DYNNLO [65, 66] using MSTW2008 90\% CL NNLO PDF sets [67]. The production of top-quark pairs (\( t\bar{t} \)) is simulated using the MC@NLO-4.06 [68,69] MC generator with parton showers and underlying-event modelling as implemented in HERWIG-6.5.20 [70,71] plus JIMMY [72]. Single-top production samples are generated with MC@NLO [73] for the \( s \)- and \( Wt \)-channel [74], while AcerMC-v3.8 [75] is
used for single-top production in the t-channel. A top-quark mass of 172.5 GeV is used consistently. The AUET2C and AUET2B [76] set of optimised parameters for the underlying event description are used for \( tt \) and single-top processes, which use CT10 and CTEQ6L1 [77] PDF, respectively. Approximate NNLO+NNLL (next-to-next-to-leading-logarithm) pQCD cross sections, as determined in TOP++ [78], are used in the normalisation of the \( tt \) [79] and \( Wt \) [80] samples. Multijet and \( \gamma + \text{jet} \) samples are generated using the PYTHIA-8.165 program [81] with CT10 PDF. Finally, diboson samples (\( WW, WZ, ZZ, W\gamma \) and \( Z\gamma \) production) are generated using SHERPA with CT10 PDF and are normalized to NLO pQCD predictions [82].

3.2 Signal simulation

Simulated samples for the ADD LED model with different number of extra dimensions in the range \( n = 2–6 \) and \( M_D \) in the range 2–5 TeV are generated using PYTHIA-8.165 with CT10 PDF. Renormalization and factorization scales are set to \( \sqrt{1/2 \times m_G^2 + p_T^2} \), where \( m_G \) is the graviton mass and \( p_T \) denotes the transverse momentum of the recoiling parton.

The effective field theory of WIMP pair production is implemented in MADGRAPH5-v1.5.2 [83], taken from Ref. [41]. The WIMP pair production plus one or two additional partons from ISR is simulated in two ways. For all operators, samples are generated requiring at least one parton with a minimum \( p_T \) of 80 GeV. Studies simulating up to three additional partons along with the WIMP pair showed no difference in kinematic distributions when compared to the samples with up to two additional partons.

Only initial states of gluons and the four lightest quarks are considered, assuming equal coupling strengths for all quark flavours to the WIMPs. The mass of the charm quark is most relevant for the cross sections of the operator D1 (see Table 1) and it is set to 1.42 GeV. The generated events are interfaced to PYTHIA-6.426 [84] for parton showering and hadronization. The MLM prescription [85] is used for matching the matrix-element calculations of MADGRAPH5 to the parton shower evolution of PYTHIA-6. The samples are subsequently reweighted to the MSTW2008LO [67] PDF set using LHAPDF [86]. The MADGRAPH5 default choice for the renormalization and factorization scales is used. The scales are set to the geometric average of \( m^2 + p_T^2 \) for the two WIMPs, where \( m \) is the mass of the particles. Events with WIMP masses between 10 GeV and 1300 GeV are simulated for six different effective operators (C1, C5, D1, D5, D9, D11). The WIMPs are taken to be either Dirac fermions (\( D \) operators) or scalars (\( C \) operators), and the pair-production cross section is calculated at LO. To study the transition between the effective field theory and a physical renormalizable model for Dirac fermion WIMPs coupling to Standard Model particles via a new mediator particle \( Z' \), a simplified model is generated in MADGRAPH5.

For each WIMP mass point, mediator particle masses \( M_{\text{med}} \) between 50 GeV and 30 TeV are considered, each for two values of the mediator particle width (\( \Gamma = M_{\text{med}}/3 \) and \( M_{\text{med}}/8\pi \)).

Simulated samples for gravitino production in association with a gluino or a squark in the final state, \( pp \rightarrow \tilde{G} \tilde{g} + X \) and \( pp \rightarrow \tilde{G} \tilde{q} + X \), are generated using LO matrix elements in MADGRAPH4.4 [87] interfaced with PYTHIA-6.426 and using CTEQ6L1 PDF. The narrow-width approximation for the gluino and squark decays \( \tilde{g} \rightarrow g\tilde{G} \) and \( \tilde{q} \rightarrow q\tilde{G} \) is assumed. The renormalization and factorization scales are set to the average of the mass of the final-state particles involved in the hard interaction \( (m_{\tilde{G}} + m_{\tilde{g}/\tilde{q}})/2 \simeq m_{\tilde{g}/\tilde{q}}/2 \). Values for \( m_{\tilde{G}} \) in the range between \( 10^{-3} \) eV and \( 10^{-3} \) eV are considered for squark and gluino masses in the range 50 GeV to 2.6 TeV.

Finally, simulated samples for the production of a Higgs boson are generated including the \( gg \rightarrow H, VV \rightarrow H (V = W, Z) \), and \( VH \) production channels. Masses for the boson in the range between 115 GeV and 300 GeV are considered. This Higgs boson is assumed to be produced as predicted in the Standard Model but unlike the SM Higgs it may decay into invisible particles at a significant rate. The signal is modelled using POWHEG-r2262 [88–90], which calculates separately the \( gg \rightarrow H \) and \( VV \rightarrow H \) production mechanisms with NLO pQCD matrix elements. The description of the Higgs boson \( p_T \) spectrum in the \( gg \rightarrow H \) process follows the calculation in Ref. [91], which includes NLO + NNLL corrections. The effects of finite quark masses are also taken into account [92]. For \( gg \rightarrow H \) and \( VV \rightarrow H \) processes, POWHEG is interfaced to PYTHIA-8.165 for showering and hadronization. For \( ZZ \) and \( WH \) processes, POWHEG interfaced to HERWIG++ [93] is used and the \( Z/W \) bosons are forced to decay to a pair of quarks. The invisible decay of the Higgs-like boson is simulated by forcing the boson to decay to two Z bosons, which are then forced to decay to neutrinos. Signal samples are generated with renormalization and factorization scales set to \( \sqrt{(m_H^2 + (p_T^2))^2} \). The Higgs boson production cross sections, as well as their uncertainties, are taken from Refs. [94,95]. For the \( gg \rightarrow H \) process, cross-section calculations at NNLO+NNLL accuracy [96–99] in pQCD are used and NLO electroweak corrections [100,101] are included. The cross sections for \( VV \rightarrow H \) processes are calculated with full NLO pQCD and electroweak corrections [102–104]. The cross sections for the associated production (\( WH \) and \( ZH \)) are calculated at NNLO [105] in pQCD, and include NLO electroweak corrections [106].

Differing pileup (multiple proton–proton interactions in the same or neighbouring bunch-crossings) conditions as
a function of the instantaneous luminosity are taken into account by overlaying simulated minimum-bias events generated with PYTHIA-8 onto the hard-scattering process. The MC-generated samples are processed either with a full ATLAS detector simulation [107] based on the GEANT4 program [108] or a fast simulation of the response of the electromagnetic and hadronic calorimeters [109] and of the trigger system. The results based on fast simulation are validated against fully simulated samples and the difference is found to be negligible. The simulated events are reconstructed and analysed with the same analysis chain as for the data, using the same trigger and event selection criteria.

4 Reconstruction of physics objects

Jets are defined using the anti – k_t jet algorithm [110] with the radius parameter $R = 0.4$. Energy depositions reconstructed as clusters in the calorimeter are the inputs to the jet algorithm. The measured jet $p_T$ is corrected for detector effects, including the non-compensating character of the calorimeter, by weighting energy deposits arising from electromagnetic and hadronic showers differently. In addition, jets are corrected for contributions from pileup, as described in Ref. [111]. Jets with corrected $p_T > 30$ GeV and $|\eta| < 4.5$ are considered in the analysis. Jets with $|\eta| < 2.5$ containing a $b$-hadron are identified using a neural-net-based algorithm [112] with an efficiency of 80% and a rejection factor of 30 (3) against jets originating from fragmentation of light quarks or gluons (jets containing a $c$-hadron), as determined using simulated $t\bar{t}$ events.

The presence of leptons (muons or electrons) in the final state is used in the analysis to define control samples and to reject background contributions in the signal regions (see Sects. 5, 6). Muon candidates are formed by combining information from the muon spectrometer and inner tracking detectors as described in Ref. [113] and are required to have $p_T > 7$ GeV and $|\eta| < 2.5$. In addition, muons are required to be isolated: the sum of the transverse momenta of the tracks not associated with the muon in a cone of size $\Delta R = \sqrt{ (\Delta \eta)^2 + (\Delta \phi)^2 } = 0.2$ around the muon direction is required to be less than 1.8 GeV. The muon $p_T$ requirement is increased to $p_T > 20$ GeV to define the $W(\rightarrow \mu \nu)$+jets and $Z/\gamma^* (\rightarrow \mu^+\mu^-)$+jets control regions.

Electron candidates are initially required to have $p_T > 7$ GeV and $|\eta| < 2.47$, and to pass the medium electron shower shape and track selection criteria described in Ref. [114], which are reoptimized for 2012 data. Overlaps between identified electrons and jets in the final state are resolved. Jets are discarded if their separation $\Delta R$ from an identified electron is less than 0.2. The electron $p_T$ requirement is increased to $p_T > 20$ GeV and the transition region between calorimeter sections $1.37 < |\eta| < 1.52$ is excluded to reconstruct $Z$ and $W$ boson candidates in the $Z/\gamma^* (\rightarrow e^+e^-)$+jets and $W(\rightarrow e\nu)$+jets control regions, respectively. The electron requirements are further tightened for the $W(\rightarrow e\nu)$+jets control sample to constrain the irreducible $Z(\rightarrow \nu\bar{\nu})$+jets background contribution (see below). In this case, electrons are selected to pass tight [114] electron shower shape and track selection criteria, their $p_T$ threshold is raised to 25 GeV, and they are required to be isolated: the sum of the transverse momenta of the tracks not associated with the electron in a cone of radius $\Delta R = 0.3$ around the electron direction is required to be less than 5% of the electron $p_T$. An identical isolation criterion, based on the calorimeter energy deposits not associated with the electron, is also applied.

The missing transverse momentum ($p_T^{\text{miss}}$), the magnitude of which is called $E_T^{\text{miss}}$, is reconstructed using all energy deposits in the calorimeter up to pseudorapidity $|\eta| = 4.9$. Clusters associated with either electrons or photons with $p_T > 10$ GeV and those associated with jets with $p_T > 20$ GeV make use of the corresponding calibrations for these objects. Softer jets and clusters not associated with these objects are calibrated using both calorimeter and tracking information [115].

5 Event selection

The data sample considered in this paper corresponds to a total integrated luminosity of 20.3 fb$^{-1}$. The uncertainty in the integrated luminosity is 2.8%, as estimated following the same methodology as detailed in Ref. [116]. The data were selected online using a trigger logic that selects events with $E_T^{\text{miss}}$ above 80 GeV, as computed at the final stage of the three-level trigger system [62]. With respect to the final analysis requirements, the trigger selection is fully efficient for $E_T^{\text{miss}} > 150$ GeV, as determined using a data sample with muons in the final state. Table 2 summarizes the different event selection criteria applied in the signal regions. The following preselection criteria are applied.

- Events are required to have a reconstructed primary vertex for the interaction consistent with the beamspot envelope and to have at least two associated tracks with $p_T > 0.4$ GeV; when more than one such vertex is found, the vertex with the largest summed $p_T^2$ of the associated tracks is chosen.
- Events are required to have $E_T^{\text{miss}} > 150$ GeV and at least one jet with $p_T > 30$ GeV and $|\eta| < 4.5$ in the final state.
- The analysis selects events with a leading jet with $p_T > 120$ GeV and $|\eta| < 2.0$. Monojet-like topologies in the final state are selected by requiring the leading-jet $p_T$ and the $E_T^{\text{miss}}$ to satisfy $p_T/E_T^{\text{miss}} > 0.5$. An additional requirement on the azimuthal separation
The charged fraction is defined as
\[ f_{\text{ch}} = \sum p_T^{\text{track,jet}} / p_T^{\text{jet}}, \]
where \( p_T^{\text{track,jet}} \) is the scalar sum of the transverse momenta of tracks associated with the primary vertex within a cone of radius \( R = 0.4 \) around the jet axis, and \( p_T^{\text{jet}} \) is the transverse momentum as determined from calorimetric measurements.

\( \Delta \phi (\text{jet}, \mathbf{p}_T^{\text{miss}}) > 1.0 \) between the direction of the missing transverse momentum and that of each of the selected jets is imposed. This requirement reduces the multijet background contribution where the large \( E_T^{\text{miss}} \) originates mainly from jet energy mismeasurement.

Events are rejected if they contain any jet with \( p_T > 20 \) GeV and \( |\eta| < 4.5 \) that presents an electromagnetic fraction in the calorimeter, calorimeter sampling fraction, or charged fraction\(^2\) (for jets with \( |\eta| < 2.5 \)) inconsistent with the requirement that they originate from a proton–proton collision [117]. In the case of the leading (highest \( p_T \)) jet in the event, the requirements are tightened to reject remaining contributions from beam-related backgrounds and cosmic rays. Events are also rejected if any of the jets is reconstructed close to known partially instrumented regions of the calorimeter. Additional requirements based on the timing and the pulse shape of the cells in the calorimeter are applied to suppress coherent noise and electronic noise bursts in the calorimeter producing anomalous energy deposits [118]; these requirements have a negligible effect on the signal efficiency.

Events with muons or electrons with \( p_T > 7 \) GeV are vetoed. In addition, events with isolated tracks with \( p_T > 10 \) GeV and \( |\eta| < 2.5 \) are vetoed to reduce background from non-identified leptons (\( e, \mu \) or \( \tau \)) in the final state. The track isolation is defined such that there must be no additional track with \( p_T > 3 \) GeV within a cone of radius 0.4 around it.

Different signal regions (SR1–SR9) are considered with increasing \( E_T^{\text{miss}} \) thresholds from 150 GeV to 700 GeV.

### 6 Background estimation

The \( W+\text{jets} \) and \( Z(\rightarrow \ell\nu)+\text{jets} \) backgrounds are estimated using MC event samples normalized using data in selected control regions. In particular, the dominant \( Z(\rightarrow \ell\nu)+\text{jets} \) background contribution is constrained using a combination of estimates from \( W+\text{jets} \) and \( Z+\text{jets} \) control regions. The remaining SM backgrounds from \( Z/\gamma^*(\rightarrow \ell^+\ell^-)+\text{jets}, \ell\ell \), single top, and dibosons are determined using simulated samples, while the multijet background contribution is extracted from data. In the case of the \( \ell\ell \) background process, which contributes to both the signal and \( W+\text{jets} \) control regions, dedicated control samples are defined to validate the MC normalization and to estimate systematic uncertainties. Finally, the potential contributions from beam-related background and cosmic rays are estimated in data using jet timing information. The methodology and the samples used for estimating the background are summarised in Table 3. The details are given in the following sections.

#### 6.1 \( W/Z+\text{jets} \) background

Control samples in data, with identified electrons or muons in the final state and with identical requirements on the jet \( p_T \) and \( E_T^{\text{miss}} \), are used to determine the \( W(\rightarrow \ell\nu)+\text{jets} (\ell = e, \mu, \tau) \) and \( Z(\rightarrow \nu\bar{\nu})+\text{jets} \) electroweak background contributions. This reduces significantly the relatively large theoretical and experimental systematic uncertainties, of the order of 20%–40%, associated with purely MC-based expectations. The \( E_T^{\text{miss}} \)-based online trigger used does not include muon information in the \( E_T^{\text{miss}} \) calculation. This allows the collection of \( W(\rightarrow \mu\nu)+\text{jets} \) and \( Z/\gamma^*(\rightarrow \mu^+\mu^-)+\text{jets} \).
control samples with the same trigger as for the signal regions. This is not the case for the $W(\rightarrow e\nu)$+jets and $Z/\gamma^*\rightarrow(e^+e^-)$+jets control samples used to help with constraining the $Z(\rightarrow\nu\bar{\nu})$+jets background (see below).

A $W(\rightarrow \mu\nu)$+jets control sample is defined using events with a muon with $p_T > 20$ GeV and $W$ transverse mass in the range $40$ GeV < $m_T < 100$ GeV. The transverse mass $m_T$ is defined by the lepton ($\ell$) and neutrino ($\nu$) $p_T$ and direction as $m_T = \sqrt{2p_T^{\ell}p_T^{\nu}(1 - \cos(\phi^{\ell} - \phi^{\nu}))}$, where the $(x,y)$ components of the neutrino momentum are taken to be the same as the corresponding $p_T^{miss}$ components. Similarly, a $Z/\gamma^*\rightarrow(\mu^+\mu^-)$+jets control sample is selected, requiring the presence of two muons with $p_T > 20$ GeV and invariant mass in the range $66$ GeV < $m_{\mu\mu}$ < $116$ GeV. In the $W(\rightarrow \mu\nu)$+jets and $Z/\gamma^*\rightarrow(\mu^+\mu^-)$+jets control regions, the $E_T^{miss}$ is not corrected for the presence of the muons in the final state, which are considered invisible, motivated by the fact that these control regions are used to estimate the irreducible $Z(\rightarrow\nu\bar{\nu})$+jets background in the signal regions.

The $W(\rightarrow e\nu)$+jets and $Z/\gamma^*\rightarrow(e^+e^-)$+jets control samples used in constraining the $Z(\rightarrow\nu\bar{\nu})$+jets background are collected using online triggers that select events with an electron in the final state. The $E_T^{miss}$ is corrected by removing the contributions from the electron energy clusters in the calorimeters. In the $Z/\gamma^*\rightarrow(e^+e^-)$+jets control sample, events are selected with exactly two electrons with $p_T > 20$ GeV and dilepton invariant mass in the range $66$ GeV < $m_{ee} < 116$ GeV. In the $W(\rightarrow e\nu)$+jets control sample a tight selection is applied: events are selected to have only a single electron with $p_T > 25$ GeV, transverse mass in the range $40$ GeV < $m_T < 100$ GeV, and uncorrected $E_T^{miss} > 25$ GeV. The latter requirements suppress background contamination from multijet processes where jets are misidentified as electrons.

A separate $W(\rightarrow e\nu)$+jets control sample, collected with the $E_T^{miss}$-based trigger and loose requirements that increase the number of events, is defined to constrain the $W(\rightarrow e\nu)$+jets and $W(\rightarrow \tau\nu)$+jets background contributions. In this case, the electron $p_T$ requirement is reduced to $p_T > 20$ GeV and no further cuts on electron isolation and $m_T$ are applied. In addition, the $E_T^{miss}$ calculation in this case is not corrected for the presence of the electron or $\tau$ leptons in the final state, as they contribute to the calorimeter-based $E_T^{miss}$ calculation in the signal regions.

Figures 2, 3, 4 and 5 show some distributions in the different $W$+jets and $Z$+jets control regions in data compared to MC expectations for the SR1 monojet-like kinematic selection. In this case, the MC expectations are globally normalized to the data in the control regions, using normalization factors as explained below, so that a comparison of the shape of the different distributions in data and MC simulation can be made. The MC expectations provide a fair description of the shapes in data but present harder $E_T^{miss}$ and leading-jet $p_T$ spectra. This is mainly attributed to an inadequate modeling of the boson $p_T$ distribution in the $W/Z$+jets MC samples.

The data in the control regions and MC-based correction factors, determined from the SHERPA simulation, are used for each of the signal selections (SR1–SR9) to estimate the electroweak background contributions from $W$+jets and $Z$+jets in the signal regions. A separate $W(\rightarrow \mu\nu)$+jets and $Z(\rightarrow\nu\bar{\nu})$+jets control sample, respectively, are determined using the $W(\rightarrow \mu\nu)$+jets control sample in data according to

$$N_{W(\rightarrow \mu\nu)}^{signal} = \frac{N_{data}^{W(\rightarrow \mu\nu), control} - N_{non-W/Z}^{data} \times N_{W(\rightarrow \mu\nu), control}^{MC}}{N_{W(\rightarrow \mu\nu), control}^{MC}} \times N_{W(\rightarrow \mu\nu), control}^{MC} \times \xi_\ell \times \xi_{veto} \times \xi_{cut}$$ (1)

and

$$N_{Z(\rightarrow\nu\bar{\nu})}^{signal} = \frac{N_{data}^{W(\rightarrow \mu\nu), control} - N_{non-W/Z}^{data} \times N_{W(\rightarrow \mu\nu), control}^{MC}}{N_{W(\rightarrow \mu\nu), control}^{MC}} \times N_{Z(\rightarrow\nu\bar{\nu})}^{MC} \times \xi_\ell \times \xi_{veto}$$ (2)

where $N_{signal}^{MC(\rightarrow \mu\nu)}$ and $N_{signal}^{MC(\rightarrow\nu\bar{\nu})}$ denote respectively, the $W(\rightarrow \mu\nu)$+jets and $Z(\rightarrow\nu\bar{\nu})$+jets background predicted by the MC simulation in the signal region, and $N_{data}^{W(\rightarrow \mu\nu), control}$, $N_{signal}^{W(\rightarrow \mu\nu), control}$, and $N_{non-W/Z}^{W(\rightarrow \mu\nu), control}$ denote in the control region, the number of $W(\rightarrow \mu\nu)$+jets candidates in data and $W/Z$+jets MC simulation, and the non-$W/Z$ background contribution, respectively.
The latter include the global normalization factors extracted from the data. Where appropriate, the last bin of the distribution includes over-flows. The lower panels represent the ratio of data to MC expectations. The error bands in the ratios include the statistical and experimental uncertainties in the background expectations.

As already mentioned, the different background contributions in the signal regions from $W(\rightarrow \ell \nu)+$jets processes (with $\ell = e, \mu$) are constrained using correction factors obtained from the corresponding control regions. In the case of the $W(\rightarrow \tau \nu)+$jets contributions, the correction factors from the $W(\rightarrow e \nu)+$jets control regions are used. For each of the signal regions, four separate sets of correction factors are considered to constrain the dominant $Z(\rightarrow \nu \bar{\nu})+$jets background contribution, following Eq. (2), as determined separately using $Z/\gamma^*(\rightarrow \ell^+\ell^-)+$jets and $W(\rightarrow \ell \nu)+$jets control samples. The four resulting $Z(\rightarrow \nu \bar{\nu})+$jets background estimations in each signal region are found to be consistent within uncertainties and are statistically combined using the Best Linear Unbiased Estimate (BLUE) method, which takes into account correlations of systematic uncertainties.
6.2 Multijet background

The multijet background with large $E_{\text{T}}^{\text{miss}}$ mainly originates from the misreconstruction of the energy of a jet in the calorimeter and to a lesser extent from the presence of neutrinos in the final state due to heavy-flavour decays. The multijet background is determined from data, using a jet smearing method as described in Ref. [120], which relies on the assumption that the $E_{\text{T}}^{\text{miss}}$ of multijet events is dominated by fluctuations in the detector response to jets measured in the data. For the SR1 and SR2 selections, the multijet background constitutes about 2% and 0.7% of the total background, respectively, and is below 0.5% for the rest of the signal regions with higher $E_{\text{T}}^{\text{miss}}$ thresholds.

6.3 Non-collision background

Detector noise, beam-halo and cosmic muons leading to large energy deposits in the calorimeters represent a significant portion of data acquired by $E_{\text{T}}^{\text{miss}}$ triggers. These non-collision backgrounds resemble the topology of monojet-like final states and require a dedicated strategy to suppress them. The selection described in Sect. 5 is expected to maintain the non-collision background below the percent level. The rate of the fake jets due to cosmic muons surviving the selection criteria, as measured in dedicated cosmic datasets, is found negligible with respect to the rate of data in the monojet-like signal regions. The major source of the non-collision backgrounds is thus beam-halo muons. Since jets due to collisions are expected to be in time with the bunch crossing,
an assumption is made that all events containing a leading jet within the out-of-time window are due to beam-induced backgrounds. The characteristic shape of the fake jets due to beam-halo muons is extracted from signal-region events identified as beam-induced backgrounds based on the spatial alignment of the signals in the calorimeter and the muon system [117]. The level of non-collision background in the signal region is extracted as

\[ N_{\text{NCB}}^{\text{SR}} - 10 < t < -5 \times N_{\text{NCB}}^{\text{NCB}} \],

where \( N_{\text{NCB}}^{\text{SR}} \) denotes the number of events in the signal region with a leading jet in the range \(-10 \text{ ns} < t < -5 \text{ ns}\), \( N_{\text{NCB}}^{\text{NCB}} \) is the number of identified beam-induced background events there and \( N_{\text{NCB}}^{\text{NCB}} \) represents all identified events extracted from the data. Where appropriate, the last bin of the distribution includes overflows. The lower panels represent the ratio of data to MC expectations. The error bands in the ratios include the statistical and experimental uncertainties in the background expectations in the signal region. The results of this study indicate that the non-collision background in the different signal regions is negligible.

### 7 Systematic uncertainties

Several sources of systematic uncertainty are considered in the determination of the background contributions. Uncertainties in the absolute jet energy scale and resolution [111] translate into an uncertainty in the total background which varies from 0.2 % for SR1 and 1 % for SR7 to 3 % for SR9. Uncertainties in the \( E_T^{\text{miss}} \) reconstruction introduce an uncertainty in the total background which varies from 0.2 % for SR1 and 0.7 % for SR7 to 1 % for SR9. Uncertainties of the order of 1 %–2 % in the simulated lepton identification...
Fig. 5 Distributions of the measured a dilepton invariant mass, b $E_{T}^{\text{miss}}$, c leading jet $p_T$ and d jet multiplicity distributions in the $Z/\gamma^*\rightarrow e^+e^-$+jets control region for the inclusive SR1 selection, compared to the background expectations. The latter include the global normalization factors extracted from the data. Where appropriate, the last bin of the distribution includes overflows. The lower panels represent the ratio of data to MC expectations. The error bands in the ratios include the statistical and experimental uncertainties in the background expectations and reconstruction efficiencies, energy/momentum scale and resolution, and a 0.5%–1% uncertainty in the track isolation efficiency translate, altogether, into a 1.4%, 1.5%, and 2% uncertainty in the total background for the SR1, SR7, and SR9 selections, respectively. Uncertainties of the order of 1% in the $E_T^{\text{miss}}$ trigger simulation at low $E_T^{\text{miss}}$ and in the efficiency of the lepton triggers used to define the electron and muon control samples translate into uncertainties in the total background of about 0.1% for SR1 and become negligible for the rest of the signal regions.

The top-quark-related background contributions, as determined from MC simulations (see Sect. 3), are validated in dedicated validation regions defined similarly to the $W\rightarrow e\nu+\text{jets}$ and $W\rightarrow \mu\nu+\text{jets}$ control regions with $\Delta\phi(p_T^{\text{miss}}, \text{jet}) > 0.5$ and by requiring the presence of two $b$-tagged jets in the final state with jet $|\eta| < 2.4$. The comparison between data and MC expectations in those validation regions leads to uncertainties in the top-quark background yields which increase from 20% for SR1 to 100% for SR7 and SR9. This translates into uncertainties in the total background expectations which vary from 0.7% for SR1 and 2.7% for SR7 to 4% for SR9. Similarly, uncertainties in the simulated diboson background yields include uncertainties in the MC generators and the modelling of parton showers employed, variations in the set of parameters that govern the parton showers and the amount of initial- and final-state soft gluon radiation, and uncertainties due to the choice of renormalization and factorization scales and PDF. This introduces an uncertainty in the diboson background expectation which increases from 20% for SR1 to 30% for SR7 and 80% for
SR9. This results in an uncertainty in the total background of 0.7 %, 2.3 %, and 3 % for the SR1, SR7, and SR9 selections, respectively.

Uncertainties in the W/Z+jets modelling include: variations of the renormalization, factorization, and parton-shower matching scales and PDF in the SHERPA W/Z+jets background samples; and uncertainties in the parton-shower model considered. In addition, the effect of NLO electroweak corrections on the W+jets to Z+jets ratio is taken into account [121–123]. Altogether, this translates into an uncertainty in the total background of about 1 % for SR1 and SR7 and 3 % for SR9.

Uncertainties in the multijet and $\gamma$+jets background contamination of 100 % and 50 %, respectively, in the W$(\rightarrow e\nu)$+jets control region, propagated to the Z$(\rightarrow \nu\bar{\nu})$+jets background determination in the signal regions, introduce an additional 1 % uncertainty in the total background for the SR9 selection. The uncertainty in the multijet background contamination in the signal regions leads to a 2 % and 0.7 % uncertainty in the total background for the SR1 and SR2 selections, respectively. Finally, the impact of the uncertainty in the total integrated luminosity, which partially cancels in the data-driven determination of the SM background, is negligible.

After including statistical uncertainties in the data and MC expectations in control regions and in the MC expectations in the signal regions, the total background in the signal regions is determined with uncertainties that vary from 2.7 % for SR1 and 6.2 % for SR7 to 14 % for SR9.

7.1 Signal systematic uncertainties

Several sources of systematic uncertainty in the predicted signal yields are considered for each of the models for new physics. The uncertainties are computed separately for each signal region by varying the model parameters (see Sect. 8).

Experimental uncertainties include: those related to the jet and $E_T^{\text{miss}}$ reconstruction, energy scales and resolutions; those in the proton beam energy, as considered by simulating samples with the lower and upper allowed values given in Ref. [124]; a 1 % uncertainty in the trigger efficiency, affecting only SR1; and the 2.8 % uncertainty in the integrated luminosity. Other uncertainties related to the track veto or the jet quality requirements are negligible (<1 %).

Uncertainties affecting the signal acceptance times efficiency $A \times \epsilon$, related to the generation of the signal samples, include: uncertainties in the modelling of the initial- and final-state gluon radiation, as determined using simulated samples with modified parton-shower parameters, by factors of two and one half, that enhance or suppress the parton radiation; uncertainties due to PDF and variations of the $\alpha_s(m_Z)$ value employed, as computed from the envelope of CT10, MRST2008LO and NNPDF21LO error sets; and the choice of renormalization/factorization scales, and the parton-shower matching scale settings, varied by factors of two and one half.

In addition, theoretical uncertainties in the predicted cross sections, including PDF and renormalization/factorization scale uncertainties, are computed separately for the different models.

8 Results and interpretation

The data and the SM expectations in the different signal regions are presented in Tables 4 and 5. In general, good agreement is observed between the data and the SM expectations. The largest difference between the number of events in data and the expectations is observed in the signal region SR9, corresponding to a 1.7$\sigma$ deviation with a $p$ value of 0.05, consistent with the background-only hypothesis. Figures 6 and 7 show several measured distributions in data compared to the SM expectations for SR1, and SR7 and SR9, respectively. For illustration purposes, the distributions include the impact of different ADD, WIMP, and GMSB SUSY scenarios.

The agreement between the data and the SM expectations for the total number of events in the different signal regions is translated into model-independent 90 % and 95 % confidence level (CL) upper limits on the visible cross section, defined as the production cross section times acceptance times efficiency $\sigma \times A \times \epsilon$, using the $CL_s$ modified frequentist approach [125] and considering the systematic uncertainties in the SM backgrounds and the uncertainty in the integrated luminosity. The results are presented in Table 6. Values of $\sigma \times A \times \epsilon$ above 599 fb–2.9 fb (726 fb–3.4 fb) are excluded at 90 % CL (95 % CL) for SR1–SR9 selections, respectively. Typical event selection efficiencies $\epsilon$ varying from 88 % for SR1 and 83 % for SR3 to 82 % for SR7 and 81 % for SR9 are found in simulated Z$(\rightarrow \nu\bar{\nu})$+jets background processes.

8.1 Large extra spatial dimensions

The results are translated into limits on the parameters of the ADD model. The typical $A \times \epsilon$ of the selection criteria vary, as the number of extra dimensions $n$ increases from $n = 2$ to $n = 6$, between 23 % and 33 % for SR1 and between 0.3 % and 1.4 % for SR9, and are approximately independent of $M_D$.

The experimental uncertainties related to the jet and $E_T^{\text{miss}}$ scales and resolutions introduce, when combined, uncertainties in the signal yields which vary between 2 % and 0.7 % for SR1 and between 8 % and 5 % for SR9, with increasing $n$. The uncertainties in the proton beam energy result in uncertainties in the signal cross sections which vary between 2 % and 5 % with increasing $n$, and uncertainties in the signal acceptance of about 1 % for SR1 and 3 %–4 % for SR9. The
individual uncertainties for the different background processes can be correlated, and do not necessarily add in quadrature to the total background uncertainty.

Table 4 Data and SM background expectation in the signal region for the SR1–SR5 selections. For the SM expectations both the statistical and systematic uncertainties are included. In each signal region, the observed events are SR1: 364378, SR2: 123228, SR3: 44715, SR4: 18020, SR5: 7988.

<table>
<thead>
<tr>
<th>Signal region</th>
<th>Observed events</th>
<th>SR1</th>
<th>SR2</th>
<th>SR3</th>
<th>SR4</th>
<th>SR5</th>
</tr>
</thead>
<tbody>
<tr>
<td>SM expectation</td>
<td>4000 ± 160</td>
<td>372100 ± 9900</td>
<td>126000 ± 2900</td>
<td>45300 ± 1100</td>
<td>18000 ± 500</td>
<td>8300 ± 300</td>
</tr>
<tr>
<td>Z(→νν)</td>
<td>3000 ± 150</td>
<td>217800 ± 3900</td>
<td>80000 ± 1700</td>
<td>30000 ± 800</td>
<td>12800 ± 410</td>
<td>6000 ± 240</td>
</tr>
<tr>
<td>W(→τν)</td>
<td>540 ± 60</td>
<td>79300 ± 3300</td>
<td>24000 ± 1200</td>
<td>7700 ± 500</td>
<td>2800 ± 200</td>
<td>1200 ± 110</td>
</tr>
<tr>
<td>W(→ev)</td>
<td>170 ± 20</td>
<td>23500 ± 1700</td>
<td>7100 ± 560</td>
<td>2400 ± 200</td>
<td>880 ± 80</td>
<td>370 ± 40</td>
</tr>
<tr>
<td>W(→μν)</td>
<td>780 ± 320</td>
<td>28300 ± 1600</td>
<td>8200 ± 500</td>
<td>2500 ± 200</td>
<td>850 ± 80</td>
<td>330 ± 40</td>
</tr>
<tr>
<td>Z/γ*(→μ^+μ^-)</td>
<td>3 ± 1</td>
<td>530 ± 220</td>
<td>97 ± 42</td>
<td>19 ± 8</td>
<td>7 ± 3</td>
<td>4 ± 2</td>
</tr>
<tr>
<td>Z/γ*(→τ^+τ^-)</td>
<td>2 ± 1</td>
<td>780 ± 320</td>
<td>190 ± 80</td>
<td>45 ± 19</td>
<td>14 ± 6</td>
<td>5 ± 2</td>
</tr>
<tr>
<td>τt, single top</td>
<td>3 ± 1</td>
<td>6900 ± 1400</td>
<td>2300 ± 500</td>
<td>700 ± 160</td>
<td>200 ± 70</td>
<td>80 ± 40</td>
</tr>
<tr>
<td>Dibosons</td>
<td>3 ± 1</td>
<td>8000 ± 1700</td>
<td>3500 ± 800</td>
<td>1500 ± 400</td>
<td>690 ± 200</td>
<td>350 ± 120</td>
</tr>
<tr>
<td>Multijets</td>
<td>3 ± 1</td>
<td>6500 ± 6500</td>
<td>800 ± 800</td>
<td>200 ± 200</td>
<td>44 ± 44</td>
<td>15 ± 15</td>
</tr>
</tbody>
</table>

Table 5 Data and SM background expectation in the signal region for the SR6–SR9 selections. For the SM expectations both the statistical and systematic uncertainties are included. In each signal region, the observed events are SR6: 3813, SR7: 1028, SR8: 318, SR9: 126.

<table>
<thead>
<tr>
<th>Signal region</th>
<th>Observed events</th>
<th>SR6</th>
<th>SR7</th>
<th>SR8</th>
<th>SR9</th>
</tr>
</thead>
<tbody>
<tr>
<td>SM expectation</td>
<td>4000 ± 160</td>
<td>372100 ± 9900</td>
<td>126000 ± 2900</td>
<td>45300 ± 1100</td>
<td>18000 ± 500</td>
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<td>30000 ± 800</td>
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</tr>
<tr>
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<td>540 ± 60</td>
<td>79300 ± 3300</td>
<td>24000 ± 1200</td>
<td>7700 ± 500</td>
<td>2800 ± 200</td>
</tr>
<tr>
<td>W(→ev)</td>
<td>170 ± 20</td>
<td>23500 ± 1700</td>
<td>7100 ± 560</td>
<td>2400 ± 200</td>
<td>880 ± 80</td>
</tr>
<tr>
<td>W(→μν)</td>
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<td>28300 ± 1600</td>
<td>8200 ± 500</td>
<td>2500 ± 200</td>
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</tr>
<tr>
<td>Z/γ*(→μ^+μ^-)</td>
<td>3 ± 1</td>
<td>530 ± 220</td>
<td>97 ± 42</td>
<td>19 ± 8</td>
<td>7 ± 3</td>
</tr>
<tr>
<td>Z/γ*(→τ^+τ^-)</td>
<td>2 ± 1</td>
<td>780 ± 320</td>
<td>190 ± 80</td>
<td>45 ± 19</td>
<td>14 ± 6</td>
</tr>
<tr>
<td>τt, single top</td>
<td>3 ± 1</td>
<td>6900 ± 1400</td>
<td>2300 ± 500</td>
<td>700 ± 160</td>
<td>200 ± 70</td>
</tr>
<tr>
<td>Dibosons</td>
<td>3 ± 1</td>
<td>8000 ± 1700</td>
<td>3500 ± 800</td>
<td>1500 ± 400</td>
<td>690 ± 200</td>
</tr>
<tr>
<td>Multijets</td>
<td>3 ± 1</td>
<td>6500 ± 6500</td>
<td>800 ± 800</td>
<td>200 ± 200</td>
<td>44 ± 44</td>
</tr>
</tbody>
</table>

uncertainties related to the modelling of the initial- and final-state gluon radiation translate into uncertainties in the ADD signal acceptance which vary with increasing n between 2 % and 3 % in SR1 and between 11 % and 21 % in SR9. The uncertainties due to PDF, affecting both the predicted signal cross section and the signal acceptance, result in uncertainties in the signal yields which vary with increasing n between 18 % and 30 % for SR1 and between 35 % and 41 % for SR9. For the SR1 selection, the uncertainty in the signal acceptance itself is about 8 %–9 %, and increases to about 30 % for the SR9 selection. Similarly, the variations of the renormalization and factorization scales introduce a 9 % to 30 % change in the signal acceptance and a 22 % to 40 % uncertainty in the signal yields with increasing n and $E_T^{miss}$ requirements.

The signal region SR7 provides the most stringent expected limits and is used to obtain the final results. Figure 8 shows, for the SR7 selection, the ADD $\sigma \times A \times \epsilon$ as a function of $M_D$ for n = 2, n = 4, and n = 6, calculated at LO. For comparison, the model-independent 95 % CL limit is shown. Expected and observed 95 % CL lower limits are set on the value of $M_D$ as a function of the number of extra dimensions considered in the ADD model. The $CL_s$ approach is used, including statistical and systematic uncertainties. For the latter, the uncertainties in the signal acceptance times efficiency, the background expectations, and the luminosity are considered, and correlations between systematic uncertainties in signal and background expectations are taken into account. In addition, observed limits are computed taking into account the ±1σ LO theoretical uncertainty. Values of $M_D$ below 5.25 TeV (n = 2), 4.11 TeV (n = 3), 3.57 TeV (n = 4), 3.27 TeV (n = 5), and 3.06 TeV (n = 6) are excluded at 95 % CL, which extend significantly the exclusion from previous results using 7 TeV data [12]. The observed limits decrease by about 6 %–8 % after considering the −1σ uncertainty from PDF and scale variations in the ADD theoretical predictions (see Table 7; Fig. 9).

As discussed in Ref. [12], the analysis partially probes the phase-space region with $\hat{s} > M^2_D$, where $\sqrt{\hat{s}}$ is the centre-of-mass energy of the hard interaction. This challenges the validity of model implementation and the lower bounds on $M_D$, as they depend on the unknown ultraviolet behaviour of the effective theory. For the SR7 selection, the fraction of signal events with $\hat{s} > M^2_D$ is negligible for n = 2, but increases with increasing n from 1 % for n = 3 and 6 % for n = 4, to about 17 % for n = 5 and 42 % for n = 6. The observed 95 % CL limits are recomputed after suppressing, with a weighting factor $M^2_D/\hat{s}^2$, the signal events with $\hat{s} > M^2_D$, here referred to as damping. This results in a decrease
Fig. 6  Measured distributions of a the jet multiplicity, b $E_T^{miss}$, c leading jet $p_T$, and d the leading jet $p_T$ to $E_T^{miss}$ ratio for the SR1 selection compared to the SM expectations. The $Z$($\rightarrow \nu\bar{\nu}$)+jets contribution is shown as constrained by the $W$($\rightarrow \mu\nu$)+jets control sample. Where appropriate, the last bin of the distribution includes overflows. For illustration purposes, the distribution of different ADD, WIMP and GMSB scenarios are included. The error bands in the ratios shown in lower panels include both the statistical and systematic uncertainties in the background expectations.

of the quoted 95 % CL on $M_D$ which is negligible for $n = 2$ and about 3 % for $n = 6$ (see Fig. 9).

8.2 Weakly interacting massive particles

In the following, the results are converted into limits on the pair production of WIMPs. As illustrated in Fig. 1, this is done both in the EFT framework and in a simplified model where the WIMP pair couples to Standard Model quarks via a $Z'$ boson.

For each EFT operator defined in Table 1, the limits on $M_\chi$ are extracted from those signal regions that exhibit the best expected sensitivity: these are SR4 for C1, SR7 for D1, D5, D8, and SR9 for C5, D9, D11. These are translated into corresponding 95 % CL limits on the suppression scale $M_\star$ as a function of $m_\chi$. To derive these lower limits on $M_\star$, the same $CL_s$ approach as in the case of the ADD LED model is used. The uncertainties in the WIMP signal acceptance include: a 3 % uncertainty from the uncertainty in the beam energy; a 3 % uncertainty from the variation of the renormalization and factorization scales and a 5 % uncertainty from the variation of the parton-shower matching scale; a 1 % to 10 % uncertainty from uncertainties in jet and $E_{T}^{miss}$ energy scale and resolution; and a 5 % to 29 % uncertainty due to PDF, depending on the operator and WIMP mass.

Similarly, the uncertainties in the signal cross section are: a 2 % to 17 % (40 % to 46 %) uncertainty due to the variation of the renormalization and factorization scales in D1, D5 and D9 (C5 and D11) operators; and a 19 % to 70 % (5 % to 36 %) uncertainty due to the PDF for C5, D11 and D1 (D5
Fig. 7 Measured distributions of the jet multiplicity, leading jet $p_T$, and the leading jet $p_T$ to $E_T^{miss}$ ratio for a SR7 and b SR9 selections compared to the SM expectations. The $Z(\rightarrow \nu\bar{\nu})+jets$ contribution is shown as constrained by the $W(\rightarrow \mu\nu)+jets$ control sample. Where appropriate, the last bin of the distribution includes overflows. For illustration purposes, the distribution of different ADD, WIMP and GMSB scenarios are included. The error bands in the ratios shown in lower panels include both the statistical and systematic uncertainties in the background expectations.
Table 6 Observed and expected 90 % CL and 95 % CL upper limits on the product of cross section, acceptance and efficiency, \( \sigma \times A \times \epsilon \), for the SR1–SR9 selections

<table>
<thead>
<tr>
<th>Signal region</th>
<th>90% CL observed (expected)</th>
<th>95% CL observed (expected)</th>
</tr>
</thead>
<tbody>
<tr>
<td>SR1</td>
<td>599 (788)</td>
<td>726 (935)</td>
</tr>
<tr>
<td>SR2</td>
<td>158 (229)</td>
<td>194 (271)</td>
</tr>
<tr>
<td>SR3</td>
<td>74 (89)</td>
<td>90 (106)</td>
</tr>
<tr>
<td>SR4</td>
<td>38 (43)</td>
<td>45 (51)</td>
</tr>
<tr>
<td>SR5</td>
<td>17 (24)</td>
<td>21 (29)</td>
</tr>
<tr>
<td>SR6</td>
<td>10 (14)</td>
<td>12 (17)</td>
</tr>
<tr>
<td>SR7</td>
<td>6.0 (6.0)</td>
<td>7.2 (7.2)</td>
</tr>
<tr>
<td>SR8</td>
<td>3.2 (3.0)</td>
<td>3.8 (3.6)</td>
</tr>
<tr>
<td>SR9</td>
<td>2.9 (1.5)</td>
<td>3.4 (1.8)</td>
</tr>
</tbody>
</table>

Fig. 8 The predicted ADD product of cross section, acceptance and efficiency, \( \sigma \times A \times \epsilon \), for the SR7 selection as a function of the fundamental Planck scale in 4 + \( n \) dimensions, \( M_D \), for \( n = 2, n = 4, \) and \( n = 6 \), where \( bands \) represent the uncertainty in the theory. For comparison, the model-independent observed (solid line) and expected (dashed line) 95 % CL limits on \( \sigma \times A \times \epsilon \) are shown. The shaded areas around the expected limit indicate the expected \( \pm 1\sigma \) and \( \pm 2\sigma \) ranges of limits in the absence of a signal.

Various authors have investigated the kinematic regions in which the effective field theory approach for WIMP pair production breaks down [43–46]. The problem is addressed in detail in Appendix A, where the region of validity of this approach is probed for various assumptions about the underlying unknown new physics. Here, the EFT framework is used as a benchmark to convert the measurement, and in the absence of any deviation from the SM backgrounds, to a limit on the pair production of DM (with the caveat of not complete validity in the full kinematic phase space). These are the central values of the observed and expected limits in Fig. 10. A basic demonstration of the validity issue is also included in the figure. This is done by relating the suppression scale \( M_\star \) to the mass of the new particle mediating the interaction, \( M_\text{med} \), and the coupling constants of the interaction, \( g_i \), by

\[
M_\text{med} = f(g_i, M_\star) .
\]

For such a relation, an assumption has to be made about the interaction structure connecting the initial state to the final state via the mediator particle. The simplest interaction structures are assumed in all cases. The form of the function \( f \) connecting \( M_\text{med} \) and \( M_\star \) depends then on the operator (see Appendix A). For a given operator, one possible validity criterion is that the momentum transferred in the hard interaction, \( Q_{tr} \), is below the mediator particle mass: \( Q_{tr} < M_\text{med} \). According to this criterion, events are omitted where the interaction energy scale exceeds the mediator particle mass. This depends on the values adopted for the couplings. Two values (one and the maximum possible value for the interaction to remain perturbative) are used. After reducing the signal cross section to the fraction of remaining events, the mass suppression scale \( M_\star \) can be rederived yielding potentially two additional expected truncated limit lines in Fig. 10. The truncated limits fulfill the respective validity criteria wherever the lines are drawn in the figure. For D9 for example, the maximum couplings criterion is fulfilled for all WIMP masses, the coupling equal to one criterion is fulfilled for WIMP masses up to 200 GeV. For C5 on the other hand, the validity criterion for a coupling value of one is violated over almost the whole WIMP mass range, and a truncated limit line is only drawn up to a WIMP mass of 10 GeV.

Figure 10 also includes thermal relic lines (taken from Ref. [41]) that correspond to a coupling, set by \( M_\star \), of WIMPs to quarks or gluons such that WIMPs have the correct relic abundance as measured by the WMAP satellite, in the absence of any interaction other than the one considered. The thermal relic line for D8 has a bump feature at the top-quark mass where the annihilation channel to top quarks opens. Under the assumption that DM is entirely composed of thermal relics, the limits on \( M_\star \) which are above the...
Table 7 The 95 % CL observed and expected limits on the fundamental Planck scale in $4 + n$ dimensions, $M_D$, as a function of the number of extra dimensions $n$ for the SR7 selection and considering LO signal cross sections. The impact of the ±1σ theoretical uncertainty on the observed limits and the expected ±1σ range of limits in the absence of a signal are also given. Finally, the 95 % CL observed limits after damping of signal cross section for $\tilde{s} > M_D^2$ (see body of the text) are quoted between parentheses.

<table>
<thead>
<tr>
<th>$n$ extra dimensions</th>
<th>95 % CL observed limit</th>
<th>95 % CL expected limit</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>+1σ (theory)</td>
<td>Nominal (nominal after damping)</td>
</tr>
<tr>
<td>2</td>
<td>+0.31</td>
<td>5.25 (5.25)</td>
</tr>
<tr>
<td>3</td>
<td>+0.25</td>
<td>4.11 (4.11)</td>
</tr>
<tr>
<td>4</td>
<td>+0.20</td>
<td>3.57 (3.56)</td>
</tr>
<tr>
<td>5</td>
<td>+0.17</td>
<td>3.27 (3.24)</td>
</tr>
<tr>
<td>6</td>
<td>+0.13</td>
<td>3.06 (2.96)</td>
</tr>
</tbody>
</table>

Fig. 9 Observed and expected 95 % CL limit on the fundamental Planck scale in $4 + n$ dimensions, $M_D$, as a function of the number of extra dimensions. In the figure the two results overlap. The shaded areas around the expected limit indicate the expected ±σ and ±2σ ranges of limits in the absence of a signal. Finally, the thin dashed line shows the 95 % CL observed limits after the suppression of the events with $\tilde{s} > M_D^2$ (damping) is applied, as described in the body of the text. The results from this analysis are compared to previous results from ATLAS at 7 TeV [12] without any damping applied.

A vector mediator particle (such as a $Z'$ boson, corresponding to the operator D5) of a given mass and width ($M_{\text{med}}$ and $\Gamma$, respectively) is probed. Given the cross-section limit and using simulations at fixed values of $M_{\text{med}}$ and $\Gamma$, the product of the coupling constants of the $Z'$ boson to quarks and WIMPs, $\sqrt{E_T E_X}$, can be constrained. This constraint corresponds to one value in the $M_\star - M_{\text{med}}$ plane as shown in Fig. 11a, since the mass suppression scale can be calculated exactly in this model, $M_\star = M_{\text{med}}/\sqrt{E_T E_X}$. The figure demonstrates how, for a given mediator particle mass and two values of the width $\Gamma$, the real value of the mass suppression scale would compare to the $M_\star$ value derived assuming a contact interaction (shown as dashed lines in the figure). This contact interaction regime is reached for $M_{\text{med}}$ values larger than 5 TeV in the figure. In the intermediate range (700 GeV < $M_{\text{med}}$ < 5 TeV), the mediator would be produced resonantly and the actual $M_\star$ value is higher than in the contact interaction regime. In this case the contact interaction limits would be pessimistic: they would underestimate the actual values. Finally, the small mediator mass regime below 700 GeV has very small $M_\star$ limits because the WIMP would be heavier than the mediator, and WIMP pair production via this mediator would thus be kinematically suppressed. In this region, the contact interaction limits would be optimistic and overestimate the actual $M_\star$ values.

In Fig. 11b the observed 95 % CL upper limits on the product of couplings of the simplified model vertex are shown in the plane of mediator and WIMP mass ($M_{\text{med}}$ versus $m_\chi$). Within this model, the regions to the left of the relic density line lead to values of the relic density larger than measured and are excluded.

Another way to avoid the validity issues discussed above is to use a simplified model to explicitly parameterize the interaction of quarks or gluons with WIMP pairs via generic interactions with real mediator particles. With this approach, the coupling of pairs of Dirac fermion WIMPs to quarks via a vector mediator particle (such as a $Z'$ boson, corresponding to the operator D5) of a given mass and width ($M_{\text{med}}$ and $\Gamma$, respectively) is probed. Given the cross-section limit and using simulations at fixed values of $M_{\text{med}}$ and $\Gamma$, the product of the coupling constants of the $Z'$ boson to quarks and WIMPs, $\sqrt{E_T E_X}$, can be constrained. This constraint corresponds to one value in the $M_\star - M_{\text{med}}$ plane as shown in Fig. 11a, since the mass suppression scale can be calculated exactly in this model, $M_\star = M_{\text{med}}/\sqrt{E_T E_X}$. The figure demonstrates how, for a given mediator particle mass and two values of the width $\Gamma$, the real value of the mass suppression scale would compare to the $M_\star$ value derived assuming a contact interaction (shown as dashed lines in the figure). This contact interaction regime is reached for $M_{\text{med}}$ values larger than 5 TeV in the figure. In the intermediate range (700 GeV < $M_{\text{med}}$ < 5 TeV), the mediator would be produced resonantly and the actual $M_\star$ value is higher than in the contact interaction regime. In this case the contact interaction limits would be pessimistic: they would underestimate the actual values. Finally, the small mediator mass regime below 700 GeV has very small $M_\star$ limits because the WIMP would be heavier than the mediator, and WIMP pair production via this mediator would thus be kinematically suppressed. In this region, the contact interaction limits would be optimistic and overestimate the actual $M_\star$ values.

In Fig. 11b the observed 95 % CL upper limits on the product of couplings of the simplified model vertex are shown in the plane of mediator and WIMP mass ($M_{\text{med}}$ versus $m_\chi$). Within this model, the regions to the left of the relic density line lead to values of the relic density larger than measured and are excluded.

In the effective operator approach, the bounds on $M_\star$ for a given $m_\chi$ (see Fig. 10) can be converted to bounds on WIMP–nucleon scattering cross sections, which are probed by direct DM detection experiments. These bounds describe...
Fig. 10 Lower limits at 95 % CL on the suppression scale $M_*$ are shown as a function of the WIMP mass $m_\chi$ for (a) D1, (b) D5, (c) D8, (d) D9, (e) D11 and (f) C5 operators, in each case for the most sensitive SR (SR7 for D1, D5, D8, SR9 for D9, D11 and C5). The expected and observed limits are shown as dashed black and solid blue lines, respectively. The rising green lines are the $M_*$ values at which WIMPs of the given mass result in the relic density as measured by WMAP [27], assuming annihilation in the early universe proceeded exclusively via the given operator. The purple long-dashed line is the 95 % CL observed limit on $M_*$ imposing a validity criterion with a coupling strength of 1, the red dashed thin lines are those for the maximum physical coupling strength (see Appendix A for further details).
scattering of WIMPs from nucleons at a very low momentum transfer of the order of a keV. Depending on the type of interaction, contributions to spin-dependent or spin-independent WIMP–nucleon interactions are expected. As in Ref. [12], the limits are converted here to bounds on the WIMP–nucleon scattering cross sections and the results are displayed in Fig. 12. Under the assumptions made in the EFT approach, the ATLAS DM limits are particularly relevant in the low DM mass region, and remain important over the full $m_{\chi}$ range covered. The spin-dependent limits in Fig. 12 are based on D8 and D9, where for D8 the $M_{\chi}$ limits are calculated using the D5 acceptances (as they are identical) together with D8 production cross sections. Both the D8 and D9 cross-section limits are significantly stronger than those from direct-detection experiments. The DM limits are shown as upper limits on the WIMP annihilation rate, calculated using the same approach as in Ref. [12], in the bottom panel of Fig. 12. The operators describing the vector and axial-vector annihilations of WIMPs to the four light-quark flavours are shown in this plot. For comparison, limits on the annihilation to $u\bar{u}$ and $q\bar{q}$ from galactic high-energy gamma-ray observations by the Fermi-LAT [126] and H.E.S.S. [127] telescopes are also shown. The gamma-ray limits are for Majorana fermions and are therefore scaled up by a factor of two for comparison with the ATLAS limits for Dirac fermions (see Ref. [12] and references therein for further discussions and explanations). The annihilation rate that corresponds to the thermal relic density measured by WMAP [27] and PLANCK [26] satellites is also shown for comparison in the figure.

Finally, Fig. 12 also demonstrates the impact of the EFT validity and the truncation procedure explained above on the quoted upper limits for the WIMP–nucleon scattering and WIMP annihilation cross sections. The effect depends strongly on the operator and the values for the couplings considered. In general, the limits remain valid for WIMP masses up to $O(100)$ GeV. The variation of the coupling strengths considered leads to changes in the quoted cross-section limits of up to one order of magnitude.

8.3 Associated production of a light gravitino and a squark or gluino

The results are also expressed in terms of 95 % CL limits on the cross section for the associated production of a gravitino and a gluino or a squark. As already discussed, a SUSY simplified model is used in which the gluino and squark decays lead to a gravitino and a gluon or a quark, respectively, producing a monojet-like signature in the final state. Squark and gluino masses up to 2.6 TeV are considered. The acceptance and efficiency $A \times \epsilon$ for the SUSY signal depends on the mass of the squark or gluino in the final state and also on the relation between squark and gluino masses. As an example, in the case of squarks and gluinos degenerate in mass ($m_{\tilde{g}} = m_{\tilde{q}}$), the signal $A \times \epsilon$ for the SR7 (SR9) selection criteria is in the range 25 %–45 % (10 %–35 %) for squark and gluino masses of about 1–2 TeV.

The systematic uncertainties in the SUSY signal yields are determined as in the case of the ADD and WIMP models. The
Fig. 12 Inferred 90 % CL limits on a the spin-independent and b spin-dependent WIMP–nucleon scattering cross section as a function of DM mass \( m_\chi \) for different operators (see Sect. 1). Results from direct-detection experiments for the spin-independent [128–134] and spin-dependent [135–139] cross section, and the CMS (untruncated) results [14] are shown for comparison. c The inferred 95 % CL limits on the DM annihilation rate as a function of DM mass. The annihilation rate is defined as the product of cross section \( \sigma \) and relative velocity \( v \), averaged over the DM velocity distribution \( \langle \sigma v \rangle \). Results from gamma-ray telescopes [126,127] are also shown, along with the thermal relic density annihilation rate [26,27].

uncertainties related to the jet and \( E_T^{\text{miss}} \) scales and resolutions introduce uncertainties in the signal yields which vary between 2 % and 16 % for different selections and squark and gluino masses. The uncertainties in the proton beam energy introduce uncertainties in the signal yields which vary between 2 % and 6 % with increasing squark and gluino masses. The uncertainties related to the modelling of initial- and final-state gluon radiation translate into a 10 % to 15 % uncertainty in the signal yields, depending on the selection and the squark and gluino masses. The uncertainties due to PDF result in uncertainties in the signal yields which vary between 5 % and 60 % for squark and gluino masses increasing from 50 GeV and 2.6 TeV. Finally, the variations of the renormalization and factorization scales introduce a 15 % to 35 % uncertainty in the signal yields with increasing squark and gluino masses.

Figure 13 presents, for the SR7 and SR9 selections and in the case of degenerate squarks and gluinos, \( \sigma A \epsilon \) as a function of the squark/gluino mass for different gravitino masses. For comparison, the model-independent 95 % CL limits are shown. For each SUSY point considered in the gravitino–squark/gluino mass plane, observed and expected 95 % CL limits are computed using the same procedure as in the case of the ADD and WIMPs models. This is done sepa-
lower limits on the gravitino mass $m_{\tilde{g}}$ in the case of degenerate squarks and gluinos and different

The corresponding dotted line indicates the impact on the observed limit of the $-1\sigma$ LO theoretical uncertainty. The shaded bands around the expected limit indicate the expected $\pm 1\sigma$ and $\pm 2\sigma$ ranges of limits in the absence of a signal. The region above the red dotted line defines the validity of the narrow-width approximation (NWA) for which the decay width is smaller than 25\% of its mass and the narrow-width approximation employed is not valid any more. In this case, other decay channels for the gluino and squarks should be considered, leading to a different final state. The corresponding region of validity of this approximation is indicated in the figure. Finally, limits on the gravitino mass are also computed in the case of non-degenerate squarks and gluinos (see Fig. 15). Scenarios with $m_{\tilde{g}} = 4 \times m_{\tilde{g}}$, $m_{\tilde{g}} = 2 \times m_{\tilde{g}}$, $m_{\tilde{g}} = 1/2 \times m_{\tilde{g}}$, and $m_{\tilde{g}} = 1/4 \times m_{\tilde{g}}$ have been considered. In this case, 95\% CL lower bounds on the gravitino mass in the range between $1 \times 10^{-4}$ eV and $5 \times 10^{-4}$ eV are set depending on the squark and gluino masses.

8.4 Invisibly decaying Higgs-like boson

The results are translated into 95\% CL limits on the production cross section times the branching ratio for a Higgs boson decaying into invisible particles as a function of the boson mass. The SR3 selection provides the best sensitivity to the signal and it is used for the final results. The $A \times \epsilon$ of the selection criteria depends on the production mechanism and the boson mass considered. In the case of the $gg \rightarrow H$ process, the $A \times \epsilon$ varies between 0.1\% and 0.7\% with increasing boson mass from 115 GeV to 300 GeV. It varies between 1\% and 2\% for the $V V \rightarrow H$ production process, and varies between 1\% and 12\% in the $V H$ case. The $gg \rightarrow H$ process dominates the signal yield and constitutes more than 52\% and 67\% of the boson signal for a boson mass of 125 GeV and 300 GeV, respectively.
The uncertainties related to the jet and $E_T^{\text{miss}}$ scales and resolutions introduce uncertainties in the signal yields for the SR3 signal region which vary between 10% and 6% for the $gg \to H$ and $VV \to H$ processes as the boson mass increases. Similarly, in the case of $VH$ production processes, these uncertainties vary between 8% and 4% with increasing mass. The variations of the renormalization and factorization scales introduce a 8% to 6%, 0.2% to 0.8%, and 1% to 3% uncertainty in the boson signal yields for $gg \to H$, $VV \to H$, and $VH$ processes, respectively, as the mass increases. The uncertainties due to PDF result in uncertainties in the signal yields which vary between 7% and 8%, 2% and 4%, and 2% and 4% for $gg \to H$, $VV \to H$, and $VH$ processes, respectively. The uncertainty in the parton shower modelling results in a 7% uncertainty in the signal yields for the different channels.

Figure 16 shows the observed and expected 95% CL limits on the cross section times branching ratio $\sigma \times \text{BR}(H \to \text{invisible})$ as a function of the boson mass, for masses in the range between 115 GeV and 300 GeV. Values for $\sigma \times \text{BR}(H \to \text{invisible})$ above 44 pb for $m_H = 115$ GeV and 10 pb for $m_H = 300$ GeV are excluded. This is compared with the expectation for a Higgs boson with $\text{BR}(H \to \text{invisible}) = 1$. For a mass of 125 GeV, values for $\sigma \times \text{BR}(H \to \text{invisible})$ 1.59 times larger than the SM predictions are excluded at 95% CL, with an expected sensitivity of 1.91 times the SM predictions. This indicates that, for a mass of 125 GeV, this result is less sensitive than that in Ref. [59] using $ZH (Z \to \ell^+\ell^-)$ final states, and it does not yet have the sensitivity to probe the SM Higgs boson couplings to invisible particles. Nevertheless, for a Higgs boson mass above 200 GeV this analysis gives comparable results.
![Diagram](image-url)

**Fig. 16** The observed (solid line) and expected (dashed line) 95% CL upper limit on \( \sigma \times \text{BR}(H \rightarrow \text{invisible}) \) as a function of the boson mass \( m_H \). The shaded areas around the expected limit indicate the expected \( \pm 1\sigma \) and \( \pm 2\sigma \) ranges of limits in the absence of a signal. The expectation for a Higgs boson with \( \text{BR}(H \rightarrow \text{invisible}) = 1 \), \( \sigma_H \), is also shown.

### 9 Conclusions

In summary, results are reported from a search for new phenomena in events with an energetic jet and large missing transverse momentum in proton–proton collisions at \( \sqrt{s} = 8 \) TeV at the LHC, based on ATLAS data corresponding to an integrated luminosity of 20.3 fb\(^{-1}\). The measurements are in agreement with the SM expectations. The results are translated into model-independent 90% and 95% confidence-level upper limits on \( \sigma \times A \times \epsilon \) in the range 599–2.9 fb and 726–3.4 fb, respectively, depending on the selection criteria considered. The results are presented in terms of limits on the fundamental Planck scale, \( M_D \), versus the number of extra spatial dimensions in the ADD LED model, upper limits on the spin-independent and spin-dependent contributions to the WIMP–nucleon elastic cross section as a function of the WIMP mass, and upper limits on the production of very light gravitinos in gauge-mediated supersymmetry. In addition, the results are interpreted in terms of the production of an invisibly decaying Higgs boson for which the analysis shows a limited sensitivity.

### Acknowledgments

We thank CERN for the very successful operation of the LHC, as well as the support staff from our institutions without whom ATLAS could not be operated efficiently. We acknowledge the support of ANPCyT, Argentina; YerPhI, Armenia; ARC, Australia; BMWFW and FWF, Austria; ANAS, Azerbaijan; SSTC, Belarus; CNPq and FAPESP, Brazil; NSERC, NRC and CFI, Canada; CERN; CONICYT, Chile; CAS, MOST and NSFC, China; COLCIENCIAS, Colombia; MSMT CR, MPO CR and VSC CR, Czech Republic; DNRF, DNSRC and Lundbeck Foundation, Denmark; EPLANET, ERC and NSRF, European Union; IN2P3-CNRS, CEA-DSM/IRFU, France; GNSF, Georgia; BMBF, DFG, HGF, MPG and AvH Foundation, Germany; GSRT and NSRF, Greece; RGC, Hong Kong SAR, China; ISF, MINERVA, GIF, I-CORE and Benoziyo Center, Israel; INFN, Italy;...
Appendix A: On the validity of the effective field theory used to describe dark-matter pair production

Appendix A.1: Introduction

The effective field theories (EFTs) used here are based on the assumption that a new mediator particle couples Standard Model particles to pairs of DM particles and that the mediator particle mass is considerably larger than the energy scale of the interaction. In such a case the mediator cannot be produced directly in LHC collisions and can be integrated out with an EFT formalism. This heavy-mediator assumption is indeed justifiable in direct detection WIMP scattering experiments due to the very low momentum exchange typically of order keV in the scattering interactions. This assumption is not always correct at the LHC, where the momentum transfer reaches the TeV scale [43–46].

A minimal condition for the EFT to be valid is that the momentum transferred in the hard interaction at the LHC does not exceed the mediator particle mass, thus ensuring that the mediator cannot be produced directly: $Q_{tr} < M_{med}$. To probe this validity, further assumptions have to be made about the actual form of the interaction vertex, and thereby about the (unknown) interaction structure itself, connecting quarks or gluons to WIMPs.

The simplest of such assumptions are made below for all the operators used here to derive expressions for $M_{med}$, $M_\star$, and the interaction coupling constants, to probe the minimal validity criterion.

Appendix A.2: Connecting $M_\star$ to $M_{med}$

The simplest interaction structure for the operators D5, D8, and D9 is an $s$-channel diagram, where the mediator particle couples to the initial-state quarks and the final-state WIMPs. This interaction is described by three parameters, the mediator mass $M_{med}$, the quark–mediator coupling constant $g_q$, and the mediator–WIMP coupling constant $g_\chi$. The relation of these parameters to $M_\star$ is

$$M_{med} = \sqrt{g_q g_\chi} M_\star.$$  

The theory is no longer in the perturbative regime if the couplings are outside of the range $0 < \sqrt{g_q g_\chi} < 4 \pi$.

The simplest $s$-channel diagram for the operators D1 and C1 involves the exchange of a scalar mediator particle where the quark–mediator coupling constant is a Yukawa coupling $\nu_q$. In this case, the mediator particle masses can be expressed as:

$$M_{med}^{D1} = \sqrt{\frac{\nu_q g_\chi}{4\pi}} \cdot \sqrt{M_\star^2/m_q} \quad M_{med}^{C1} = \frac{\nu_q^2 g_\chi \sigma_q}{4\pi} \cdot \frac{M_\star^2}{m_q}$$

In the above, $\lambda_\chi$ is used for scalar coupling strengths. The vacuum expectation value (VEV) of the trilinear scalar vertex is represented by $\nu_q$. The VEV is then related to the mediator mass scale by $\nu_q = \zeta_\lambda M_{med}$, where the common assumption of $\zeta_\lambda \approx 1$ is used. The perturbative range is then $0 < \sqrt{\frac{\nu_q g_\chi}{4\pi}} < 4 \pi$ for D1 and $0 < \nu_q^2 g_\chi \sigma_q < (4\pi)^2 \zeta_\lambda$ for C1.

The operators D11 and C5 describe gluons coupling to WIMPs through a loop diagram, requiring different expressions relating $M_\star$ to $M_{med}$:

$$\frac{\alpha_s}{4 M_\star^3} = \frac{\alpha_s \nu_q g_\chi}{M_{med}^2 \sigma_q} \quad \frac{\alpha_s}{4 M_\star^3} = \frac{\alpha_s \nu_q^2 \sigma_q}{M_{med}^2 \sigma_q}$$

$$M_{med} = \sqrt{\frac{4 g_\chi}{b}} M_\star \quad M_{med} = \sqrt{\frac{4 \sigma_q g_\chi}{b}} M_\star$$

Let $a = 4 b^{-1}$

$$M_{med}^{D11} = \sqrt{a \nu_q g_\chi} M_\star \quad M_{med}^{C5} = \sqrt{a \nu_q^2 \sigma_q} M_\star$$

$\Lambda_\lambda = b M_{med} (b > 1)$ is another mass suppression scale of the loop connected to the initial-state gluons. The coupling terms differ from the other operators, as $b > 1 \implies 0 < a < 4$.

As before, $\nu_q = \zeta_\lambda M_{med}$, and the assumption of $\zeta_\lambda \approx 1$ is used for C5. The perturbative range for the gluon operators is thus $0 < \sqrt{\frac{\nu_q g_\chi}{4\pi}} < 16 \pi$ or $0 < \sqrt{\frac{\nu_q^2 g_\chi \sigma_q}{4\pi \zeta_\lambda}}$ for D11 and C5 respectively.

A summary of the different relations between $M_{med}$ and $M_\star$ for each operator of interest and the associated coupling ranges is provided in Table 8.
The fraction of valid events and the truncated limits on $M_\star$ can be used to assess the validity of the EFT approach. In Figs. 17 and 18, this is shown for D1 and C1. The majority of the parameter space is invalid. The operators D1 and C1 are still valid for regions of parameter space with large coupling values and low WIMP masses.

The validity of the vector, axial-vector, and tensor couplings to quarks via the D5, D8, and D9 operators, respectively, are much more justifiable, as shown for D9 in Fig. 18. The operator D9 is valid for the majority of parameter space, across couplings and WIMP masses, except for the highest values of $m_\chi$ considered. While only D9 is valid for

The second alternative procedure used to cross-check the simple truncation is an iterative procedure that scans through $M_\star$ until a convergence point is reached.

1. The starting point is the nominal expected limit on $M_\star$, assuming 100 % validity, named $M_\star^{\exp}$. $M_\star^{\exp}$ is set to $M_\star^{\text{in}}$ before executing step 2 for the first time.

2. For each step $i$, obtain the relative fraction of valid events $R_{M_{\text{med}}}^i$ satisfying $Q_{tr}^i < M_{\text{med}}^{\star}$, where $M_{\text{med}}^{\star}$ is the mediator mass limit obtained in the previous step (depending on $M_{\star}^{\text{in}}$).

3. Truncate $M_{\star}$ following Ref. [44]: $M_{\star}^{\text{out}} = [R_{M_{\text{med}}}^i]_{(d-4)}^{1/2}$ $M_{\star}^{\text{in}}$, noting that D1 and D11 are dimension $d = 7$ operators, while D5, D8, D9, C1, and C5 are dimension $d = 6$.

4. Go to step 2, using the current $M_{\star}^{\text{out}}$ as the new $M_{\star}^{\text{in}}$, repeating until the fraction of valid events at a given step $R_{M_{\text{med}}}^i$ reaches 0 or 1.

5. Calculate the total validity fraction $R_{M_{\text{med}}}^{\text{tot}} = \prod_i R_{M_{\text{med}}}^i$ and the truncated limit on the suppression scale $M_{\star}^{\text{valid}} = [R_{M_{\text{med}}}^{\text{tot}}]_{(d-4)}^{1/2} M_{\star}^{\exp}$.

The fraction of valid events and the truncated limits on $M_\star$ can be used to assess the validity of the EFT approach. In Figs. 17 and 18, this is shown for D1 and C1. The majority of the parameter space is invalid. The operators D1 and C1 are still valid for regions of parameter space with large coupling values and low WIMP masses.

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### Appendix A.3: Regions of validity

Given a relation between the mediator mass and the suppression scale, $Q_{tr}^i < M_{\text{med}}^{\star}$ can be evaluated and the fraction of events fulfilling this validity criterion can be determined. Two different procedures are then followed (which were shown to yield the same results). The nominal procedure is a simple truncation, in which the signal cross section is rescaled by the fraction of valid events. With this truncated signal cross section, new valid limits on the suppression scale are derived, $M_{\star}^{\text{valid}}$.

The second alternative procedure used to cross-check the simple truncation is an iterative procedure that scans through $M_{\star}$ until a convergence point is reached.

1. The starting point is the nominal expected limit on $M_{\star}$, assuming 100 % validity, named $M_{\star}^{\exp}$. $M_{\star}^{\exp}$ is set to $M_{\star}^{\text{in}}$ before executing step 2 for the first time.

2. For each step $i$, obtain the relative fraction of valid events $R_{M_{\text{med}}}^i$ satisfying $Q_{tr}^i < M_{\text{med}}^{\star}$, where $M_{\text{med}}^{\star}$ is the mediator mass limit obtained in the previous step (depending on $M_{\star}^{\text{in}}$).

3. Truncate $M_{\star}$ following Ref. [44]: $M_{\star}^{\text{out}} = [R_{M_{\text{med}}}^i]_{(d-4)}^{1/2}$ $M_{\star}^{\text{in}}$, noting that D1 and D11 are dimension $d = 7$ operators, while D5, D8, D9, C1, and C5 are dimension $d = 6$.

4. Go to step 2, using the current $M_{\star}^{\text{out}}$ as the new $M_{\star}^{\text{in}}$, repeating until the fraction of valid events at a given step $R_{M_{\text{med}}}^i$ reaches 0 or 1.

5. Calculate the total validity fraction $R_{M_{\text{med}}}^{\text{tot}} = \prod_i R_{M_{\text{med}}}^i$ and the truncated limit on the suppression scale $M_{\star}^{\text{valid}} = [R_{M_{\text{med}}}^{\text{tot}}]_{(d-4)}^{1/2} M_{\star}^{\exp}$.

The fraction of valid events and the truncated limits on $M_{\star}$ can be used to assess the validity of the EFT approach. In Figs. 17 and 18, this is shown for D1 and C1. The majority of the parameter space is invalid. The operators D1 and C1 are still valid for regions of parameter space with large coupling values and low WIMP masses.

The validity of the vector, axial-vector, and tensor couplings to quarks via the D5, D8, and D9 operators, respectively, are much more justifiable, as shown for D9 in Fig. 19. The operator D9 is valid for the majority of parameter space, across couplings and WIMP masses, except for the highest values of $m_\chi$ considered. While only D9 is valid for

### Table 8 Relations between the mediator mass $M_{\text{med}}$ and the suppression scale $M_{\star}$ for the simplest interaction vertices matching the EFT operators considered here

<table>
<thead>
<tr>
<th>Operator(s)</th>
<th>Relation between $M_{\text{med}}$ and $M_{\star}$</th>
<th>Coupling term range</th>
</tr>
</thead>
<tbody>
<tr>
<td>D1</td>
<td>$M_{\text{med}} = \sqrt{g_q g_y M_{\star}/m_q}$</td>
<td>$0 &lt; \sqrt{g_q g_y} &lt; 4\pi$</td>
</tr>
<tr>
<td>C1</td>
<td>$M_{\text{med}} = \sqrt{g_q^2 M_{\star}/m_q}$</td>
<td>$0 &lt; \sqrt{g_q^2} &lt; 4\pi$</td>
</tr>
<tr>
<td>D5, D8, D9</td>
<td>$M_{\text{med}} = \sqrt{g_q y M_{\star}/\zeta}$</td>
<td>$0 &lt; \sqrt{g_q y} &lt; 4\pi$</td>
</tr>
<tr>
<td>D11</td>
<td>$M_{\text{med}} = \sqrt{g_q y M_{\star}/\zeta}$</td>
<td>$0 &lt; \sqrt{g_q y} &lt; 4\pi$</td>
</tr>
<tr>
<td>C5</td>
<td>$M_{\text{med}} = \sqrt{g_q y M_{\star}/\zeta}$</td>
<td>$0 &lt; \sqrt{g_q y} &lt; 4\pi$</td>
</tr>
</tbody>
</table>

dependence on a coupling term, where the value of these couplings is impossible to know without knowledge of the complete theory. Scans over the coupling-parameter space are therefore performed below to quantify valid phase-space regions.

While these relations were derived for s-channel completions, similar validity arguments can be applied to the t-channel as a sum of s-channel operators (see Ref. [45] for further details and caveats).

### Fig. 17 (a) The fraction of valid events and (b) truncated limits for D1 at 95 % CL as a function of the WIMP mass $m_\chi$ and couplings. The white numbers correspond to the minimum coupling value for which $M_{\star}^{\text{valid}}/M_{\star}^{\exp} > 99 \%$. The upper perturbative coupling limit for D1 is $4\pi$. 

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*Image Credit: Springer*
Fig. 18  a The fraction of valid events and b truncated limits for C1 at 95 % CL as a function of the WIMP mass $m_\chi$ and couplings. The white numbers correspond to the minimum coupling value for which $M^\text{valid}_s/M^\text{exp}_s > 99 \%$. The upper perturbative coupling limit for C1 is $(4\pi)^2 \zeta_\lambda$, where $\zeta_\lambda$ is taken to be 1.

Fig. 19  a The fraction of valid events and b truncated limits for D9 at 95 % CL as a function of the WIMP mass $m_\chi$ and couplings. The white numbers correspond to the minimum coupling value for which $M^\text{valid}_s/M^\text{exp}_s > 99 \%$. The upper perturbative coupling limit for D9 is $4\pi$.

Fig. 20  a The fraction of valid events and b truncated limits for D11 at 95 % CL as a function of the WIMP mass $m_\chi$ and couplings. The white numbers correspond to the minimum coupling value for which $M^\text{valid}_s/M^\text{exp}_s > 99 \%$. The upper perturbative coupling limit for D11 is $\sqrt{16 \pi}$. 
the common canonical choice of $g\eta = g_x = 1$, the other two operators are valid for only slightly larger couplings.

An assessment of the validity of the gluon EFT operators requires the most assumptions, and has a very different coupling range under the assumptions discussed in Appendix A.2. Under these assumptions, D11 and C5 operators are valid for regions of parameter space with large coupling values and low WIMP masses, as shown in Figs. 20 and 21, respectively.

In general, the validity of the EFT operators is better for low WIMP masses. This is important, as collider searches are most competitive with other types of experiments at low $m_\chi$. Additionally, Figs. 17, 18, 19, 20 and 21 show how the truncated limit $M^\text{valid}$ quickly approaches the nominal limit $M^\text{exp}$ on some operators have larger validity regions than others because the $M^\pi$ limits are larger, and it is thus more likely that $Q_\pi < M^\text{med}$. Stronger limits therefore remain strong, while weak limits are in fact even further diminished by validity considerations.

Truncated limits are more conservative than the corresponding simplified model used for the completion, so long as $M^\text{med}$ in the model is greater than or equal to the value used for the truncation. This can be seen comparing the D5 operator in Fig. 10 with the corresponding simplified model in Fig. 11.

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