Sharpness in motion corrected quantitative imaging at 7T


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\section*{A B S T R A C T}

Sub-millimeter imaging at 7T has opened new possibilities for qualitatively and quantitatively studying brain structure as it evolves throughout the life span. However, subject motion introduces image blurring on the order of magnitude of the spatial resolution and is thus detrimental to image quality. Such motion can be corrected for, but widespread application has not yet been achieved and quantitative evaluation is lacking. This raises a need to quantitatively measure image sharpness throughout the brain. We propose a method to quantify sharpness of brain structures at sub-voxel resolution, and use it to assess to what extent limited motion is related to image sharpness.

The method was evaluated in a cohort of 24 healthy volunteers with a wide and uniform age range, aiming to arrive at results that largely generalize to larger populations. Using 3D fat-excited motion navigators, quantitative $R_1$, $R_2^*$ and Quantitative Susceptibility Maps and $T_1$-weighted images were retrospectively corrected for motion. Sharpness was quantified in all modalities for selected regions of interest (ROI) by fitting the sigmoidally shaped error function to data within locally homogeneous clusters. A strong, almost linear correlation between motion and sharpness improvement was observed, and motion correction significantly improved sharpness. Overall, the Full Width at Half Maximum reduced from 0.88 mm to 0.70 mm after motion correction, equivalent to a 2.0 times smaller voxel volume. Motion and sharpness were not found to correlate with the age of study participants. We conclude that in our data, motion correction using fat navigators is overall able to restore the measured sharpness to the imaging resolution, irrespective of the amount of motion observed during scanning.

\section*{1. Introduction}

Throughout the life span, the brain develops and ages both on the macro- and microscopic level, with large variations in volume of brain structures, myelination and iron deposition (Acosta-Cabronero et al., 2016; Lebel et al., 2012; Yeatman et al., 2014). In vivo sub-millimeter imaging at ultra-high field strength (7T and higher) has opened up new possibilities for studying these processes quantitatively at an unprecedented level of detail (Caan et al., 2019; Keukens et al., 2017; Waehnert et al., 2016). With the increase in spatial resolution and consequently longer scanning times, subject motion is clearly an increasingly important topic of study. Examples of unavoidable motion are breathing, cardiac motion, sneezing and blinking. In other cases, such as anxiety, discomfort or hyperactivity, motion can be minimized by proper preparation and instruction (Godenschweger et al., 2016). Still, involuntary subject motion is on the order of magnitude of the imaging resolution and therefore degrading image quality (Herbst et al., 2014; Stucht et al., 2015). Ultra-high resolution imaging therefore often requires motion correction embedded in acquisition and reconstruction. Extreme examples include imaging at 350 μm resolution using retrospective FatNav motion correction (Federau and Gallichan, 2016), as well as 250 μm resolution $T_1$-weighted imaging and 150 μm resolution Time-of-Flight angiography using prospective marker-based motion correction (Läsebrink et al., 2017; Mattern et al., 2018).

To allow for reliable application of motion correction techniques, their robustness in larger cohorts with a varying age range needs to...
be demonstrated. In addition to visual inspection, quantitative information on the relation between the extent of motion and the improvement in image quality is needed. Such information can come from entropy minimization (Atkinson et al., 1999), the relative improvement in the metric used for motion correction (McGee et al., 2000) or signal in the air background (Mortamet et al., 2009). Other studies compared intensity differences before and after correction (Gallichan and Marques, 2017), computed the normalized gradient squared of the images (Gretsch et al., 2019; McGee et al., 2000), or studied segmentation repeatability (Keckemeti and Alexander, 2020). These metrics enable to demonstrate an apparent improvement in image quality, but fail to quantify the actual improvement in apparent spatial resolution, perceived as the sharpness of the image.

Early work on super-resolution proposed fitting a sigmoid function to obtain the edge width as a measure of image resolution (Greenspan et al., 2002), an approach that was also followed in the field of electron microscopy (Rieger and van Veen, 2008). Here image sharpness was not defined as a physical measure related to distance but rather a rise in image intensity. Hence, it required constant-intensity objects to be applied on. Clearly, the human brain is a highly complex and anatomically variable organ, for which these conditions are not met. This raises a need for a method to measure image sharpness as in (Schoormans et al., 2020), applicable throughout the brain.

We propose a method to quantify sharpness over the edge width of specific brain structures, and use it to assess the improvement in resolution after motion correction. Our focus lies on assessing the effect of limited motion, i.e., around or below the imaging resolution, on image sharpness. We further aim to study to what extent motion is correlated with image sharpness. To this end, motion correction is performed retrospectively, such that differences between uncorrected and corrected data can be studied. Here we evaluate motion correction using 3D fat-excitation motion navigators (FatNavs) (Gallichan and Marques, 2017; Gretsch et al., 2019), an imaging based method exploiting the sparse fat signal circumscribing the brain as a proxy to determine rigid brain motion. The method is evaluated in a cohort of 24 healthy volunteers with a wide and uniform age range, aiming to arrive at results that mostly generalize to larger populations.

2. Theory

Obtaining a global measure for image sharpness in high resolution brain data is challenging for a number of reasons. First, since myelination and iron deposition patterns vary within anatomical structures (de Hollander et al., 2014; Marques and Norris, 2018; Tardif et al., 2015), quantitative parameters will not be constant. Second, variations in tissue signal can result in that only part of the tissue boundary will have sufficient contrast for image sharpness to be measurable.

Third, limited Signal-to-Noise Ratio (SNR) challenges a robust estimate of sharpness in imaging data.

Fig. 1 provides an overview of our proposed method to address these challenges. Given a region of interest (ROIs), being a (sub)cortical brain structure, sharpness is defined along the transition boundary to the surrounding tissue. A sigmoidal function used to model the intensity transition and sharpness estimation over the ROI’s edge is fitted to signal values, allowing for accurate estimation of the edge width and its uncertainty, given the amount of noise present in the data. The resulting sharpness estimate is defined in terms of physical distance, thus being invariant to scaling of input signal values. To account for local variability in tissue signal, a clustering approach is followed to define sharpness within sub-regions of similar tissue. Furthermore, calculations are restricted to clusters where sufficient contrast with the surrounding tissue is available, assessed by the model fit quality.

We now proceed by introducing our target function for sharpness estimation, followed by the clustering approach used to arrive at locally precise sharpness estimates, and our parameterization of motion.

2.1. Target function

While in the ideal situation the PSF of MRI can be considered to be an isotropic sinc(·) function (Wang et al., 2007), sequence limitations may introduce a directionality to the PSF. In the context of this work, the MP2RAGE-sequence, when acquired with Cartesian sequential partition-encoding, is presumed to have a directionality to its PSF due to $T_1$ relaxation (Marques et al., 2010). Subject motion during scanning is assumed to impose an additional detrimental effect on image resolution,
with additional possibly anisotropic image blur and ghosting artifacts as a result (Hedley and Yan, 1992). Finally, given that sharpness is to be determined over tissue boundaries, a potential gradual change of tissue will further reduce the local apparent sharpness in the image.

Rather than explicitly modeling these additive effects on the PSF for our data, we are taking a utilitarian approach for the purpose of assessing the hypothesized improved sharpness after retrospective motion correction. First, the PSF is estimated locally, and here assumed to be Gaussian and isotropic, $PSF = G(\sigma^2)$, with standard deviation $\sigma$. Second, motion is assumed to only increase $\sigma$ and otherwise not affect the distribution. Third, a tissue boundary is assumed to be an edge function, which after undergoing the blurring effect of a Gaussian PSF yields a sigmoid function. Its profile can under these assumptions be described by a cumulative Gaussian function, also known as the error function ($\text{erf}(\cdot)$). The measured signal as a function of distance $S(d)$ is then modeled as:

$$S(d) = S_0 + \frac{h}{2} \cdot \text{erf}\left(\frac{d - d_e}{\sqrt{2}\sigma}\right) + N(0, \tau^2).$$

(1)

Here $S_0$ is the signal offset, $h$ is a scaling factor denoting the contrast difference over the edge width and $d_e$ is a spatial offset to account for a possible local segmentation offset with respect to the current model. Additive normally distributed noise with variance $\tau^2$ is assumed.

The standard deviation of uncorrected and corrected data $\sigma_{uncorr,corr}$ is computed first. Sharpness is then inferred from the corresponding full width at half maximum, $\text{FWHM}_{uncorr,corr} = 2.36 \cdot \sigma_{uncorr,corr}$, such that $\Delta\text{FWHM} = \text{FWHM}_{uncorr} - \text{FWHM}_{corr}$ yields the improvement in sharpness.

2.2. Clustering

Selecting the data for error function fitting over the edge of a given ROI is commonly done along one dimension (1D). The procedure is then to select a point at the edge, determine the normal to the internal ROI surface in that point and sample data along a line. This approach has been implemented successfully for super-resolution in MRI (Greenspan et al., 2002) and in other fields of science, e.g., electron microscopy (Rieger and van Veen, 2008). A downside is that, given the low signal-to-noise ratio (SNR) in MRI, such an approach would sample insufficient data for reliable parameter fitting. Furthermore, the resolution of MRI is limited, even at ultra-high field strength, to both render a sufficiently densely sampled intensity profile and to precisely compute the normal to the ROI-surface that would be a prerequisite for unbiased sharpness estimation. Finally, the interpolation required to sample along arbitrary lines would reduce the sharpness we aim to measure.

We propose an alternative approach for estimating sharpness at sub-voxel resolution in noisy data. Fig. 2 illustrates the clustering procedure followed to arrive at spatially coherent regions for curve fitting. Through clustering, as specified below, locally homogeneous tissue is sampled on either side of the ROI-boundary, from 3 mm internal to 4 mm external. The external part is designed not to overlap with multiple anatomical structures (e.g. only the corpus callosum, see (Fig. 2c)). The average cluster size is targeted to be 500 voxels (equivalent to a sphere with a radius of approximately 5 voxels). Thus, the total number of clusters per ROI can vary largely, dependent on its size. Within each cluster, each voxel is assigned its normal distance $d$ to the boundary and the sigmoid function (Eq. (1)) is fitted to the normal distances, from which the FWHM for this cluster is obtained.
In the abovementioned procedure, two stage k-means clustering is performed in the external region only (Fig. 2c). An initial clustering stage is run on z-transformed and concatenated spatial coordinates and signal values, so that contiguous regions with similar signal intensity are grouped together. Intensities are Gaussian smoothed with a standard deviation of 3 voxels to suppress noise (Fig. 2d). Four classes of tissue types are segmented in this initial clustering stage. A subsequent, more refined clustering is performed on spatial coordinates alone, separately within each of the initially obtained clusters (Fig. 2e). This stage aims to obtain spatially coherent clusters, something which is not guaranteed with signal value added as a feature during clustering. All voxels in the edge and internal part of the ROI are assigned to a cluster following a nearest neighbour rule to arrive at regions in which signal profiles are derived and curve fitting is performed (Fig. 2f).

2.3. Single motion parameter

To quantify general motion, we derive a single motion parameter $m_{ROI}$ describing the extent of a rigid motion pattern over time within a given ROI. Previous work proposed k-space weighted motion metrics through partition-weighted integrated motion (Castella et al., 2018; Todd et al., 2015). Similar to (Oosenbach et al., 2017), we consider these to be estimated through rigid realignment on a series of N FatNavs images. For the realignment of image i to some reference image, we can define the rigid transformation matrix $T_i$

$$T_i = \begin{bmatrix} R_i & t_i \\ 0 & 1 \end{bmatrix},$$

(2)

given an estimated rotation matrix $R_i$ and translation vector $t_i = t'_i \hat{x} + t'_y \hat{y} + t'_z \hat{z}$.

For each voxel in the brain, the displacement vector according to the FatNavs is calculated through $d_i(x) = (T_i^{-1} \bar{x} - \bar{x})$. For each ROI, the absolute mean ROI displacement is computed for each time point:

$$m_{ROI}^i = \int_{V_{ROI}} d_i(x) dx$$

(3)

The average extent of motion over time is defined as a weighted average over all estimated $m_{ROI}$

$$m_{ROI} = \frac{1}{N} \sum_{i=1}^{N} w_i m_{ROI}^i$$

(4)

We opted for a Gaussian normalized weighting $w_i$ with an empirically chosen FWHM of 50% of the second phase encoding dimension of k-space $k_x$. This normalization emphasized motion states which are centered in time, i.e., corresponding to the center of k-space in our sequence readout pattern (Fig. 3b), which dominates image contrast. Here, a motion-induced sampling error in only a few k-space points propagates to a large error in image domain. High-resolution spatial details are instead decomposed into a larger set of high frequencies scattered throughout k-space, much less likely to be affected by one instance of motion. Note that ideally this weighting of FatNavs were to be applied identically along both phase encoding dimensions. Practically, we were constrained by the scanners’ line-by-line readout, such that each FatNav samples the entire first phase encoding dimension (apart from the elliptical shutter, Fig. 3b). Finally, a summarizing average motion parameter $m = \frac{1}{N} \sum_{i=1}^{N} m_{ROI}$ is estimated over n ROIs. For comparison purposes, the Framewise Displacement (FD) was computed, following the implementation in Dosenbach et al. (2017).

3. Experiments

3.1. Subjects

A subset of 24 participants from the AHEAD adult lifespan database (Alkemade et al., 2020) were selectively included to achieve sex balance (12 F) and a uniform age range distribution (between 21 and 81 years of age). The study was approved by the local ethical committee. All volunteers provided written informed consent to usage of their data for this study prior to participation.

3.2. Data acquisition

Volunteers were scanned at a 7 T scanner (Philips, Best, NL), equipped with a Nova Medical head coil (Wilmington MA, USA), con-
taining a two-channel transmit and a 32-channel receive head coil. Second-order image bases R0-shimming was performed.

The sequence was built on top of the previously published MP2RAGEME (Magnetization Prepared 2 Rapid Acquisition Gradient Echoes Multi Echo) sequence (Caan et al., 2019) for simultaneous $R_1$, $R_2^*$ and QSM mapping (see Fig. 3(a)). Briefly, in this sequence two different gradient echo (GRE) blocks are read out after an inversion pulse, the first being a single echo and second a multi echo readout. This flexible design allows for longer echo times (TEs) in the second readout block while maintaining a short repetition time of the sequence (TR$_{MP2RAGEME}$). A 3D Echo Planar Imaging (3D-EPI) fat-exciting motion-navigator (FatNav) was inserted into the sequence after the two GRE readout blocks (Gallichan and Marques, 2017; Gretsch et al., 2019). The Multiple Interleaved Scanning Sequences (MISS) environment, as provided by the vendor, was used to alternately acquire the two gradient echo blocks and the fat-navigated EPI-readout. The total scanning time amounted to 17 min.

The sequence parameters of the two GRE readout blocks were: Field of View (FOV) 205 mm $\times$ 205 mm $\times$ 164 mm, 234 sagittal slices, voxel size 0.7 mm isotropic, fold-over direction AP, 150 lines per block, bandwidth 405 Hz, parallel imaging undersampling (APxFH) 2x1, elliptical shutter with sequential line-by-line k-space readout (see Fig. 3(b)), TR$_{MP2RAGEME}$ = 6.8 s, inversion times $T_I_1 = 0.67$ s and $T_I_2 = 3.7$ s, repetition times $T_R_1 = 6.2$ ms and $T_R_2 = 31$ ms, first echo time TE = 3.0 ms for both readouts, for the second readout four echoes were acquired with $\Delta T_E = 8.5$ ms, flip angle 4° for both readouts.

For the FatNav-readout (see Fig. 3(c)), fat was selectively excited using a three-subpulse binomial excitation pulse. The sequence parameters were: FOV= 240 mm $\times$ 240 mm $\times$ 160 mm, resolution 2 mm isotropic, SENSE (APxRL) 4 $\times$ 2, half scan (Partial Fourier) 0.75 $\times$ 0.75, EPI-factor 29, TR = 15 ms, TE = 5.8 ms, flip angle 1°, total read-out duration 477 ms. Note that the frame rate corresponds to TR$_{MP2RAGEME}$ = 6.8 s.

An additional coil sensitivity reference scan was acquired to perform a GRAPPA (generalized autocalibrating partial sharing) reconstruction (Griswold et al., 2002) correction. This GRE matched the FOV of the MP2RAGEME sequence, had a flip angle of 6° and a resolution of 2.0 mm isotropic. The scanning time was 42 s.

3.3. Motion correction and reconstruction

Motion correction and reconstruction were performed offline in Retro-MoCo-Box\(^1\) (Gallichan and Marques, 2017) a Matlab (The MathWorks, Inc., Natick, MA) toolbox for retrospective motion-correction of 3D MRI k-space data. GRAPPA calibration data were used to interpolated undersampled GRE-data, with a kernel size of 2x2. FatNaves were rigidly realigned, i.e., with six Degrees Of Freedom (DOF), using Statistical Parametric Mapping software (SPM8) (Ashburner and Friston, 2005) (see Fig. 3(d)). Subsequently, registration parameters were interpolated in time, accounting for the elliptical shutter readout of subsequent shots (see Fig. 3(b)). The motion parameters of the 11 center FatNaves correspond to the readout of the center of k-space (see Fig. 3(b)) and were averaged and used as anatomical reference point during reconstruction.

Motion correction was performed per coil element, after GRAPPA reconstruction. All reconstructed k-space lines were assigned to the closest corresponding FatNav, and subsequently corrected for the translation and rotation components by multiplying by a phase factor and corresponding rotation. Subsequently, data were simultaneously regridded and Fourier transformed through the non-uniform Fast Fourier Transform (nuFFT) (Fessler and Sutton, 2003). Coil images $m_i$ were combined using complex conjugated normalized sensitivity weighting $\hat{S}_{ji}^m$, to obtain complex-valued images $m = \sum_{i=1}^{C} \hat{S}_{ji}^m m_i$.

Finally, quantitative $R_1$, $R_2^*$ and Quantitative Susceptibility Maps (QSM) maps were computed as described elsewhere (Caan et al., 2019; Liu et al., 2015). Motion uncorrected images and parameter maps were generated by omitting correction steps in an otherwise unchanged reconstruction pipeline.

3.4. Segmentation and clustering

$R_1$-maps were segmented using the Nighres toolbox (Huntenburg et al., 2018), and a set of (sub)-cortical ROIs was selected: the left/right/fourth ventricle, left/right thalamus and striatum, and the cortical GM/WM boundary for analysis (Fig. 4). The per-voxel distance to the ROI-boundary could be specified with sub-voxel precision using the computed segmentation, which provided a level-set representation (Bazin et al., 2014).

Clustering was performed according to the procedure mentioned in Section 2.2 (see Supplementary Fig. S3). To obtain the required correspondence for computing differences in sharpness between motion uncorrected and corrected data $\Delta$FWHM (Eq. (2.1)), only one of these had to be segmented and clustered for analysis. We opted to segment motion corrected and not uncorrected data, because of the anticipated higher image quality. Furthermore, the objective function enabled to model a spatial offset in the boundary location (Eq. (1)), which compensates for small segmentation deviations between corrected and uncorrected data. Through these steps, and curve fitting validity assessment as described below, the required correspondence in clustering for comparative analysis could be obtained.

3.5. Sharpness measurement

$R_1$, $R_2^*$, QSM and $T_1$-weighted images were analyzed after motion correction. Within all clusters of all ROIs, signal profiles as a function of signed distance over the ROI-boundary were computed. Non-linear least squares fitting of the objective function (Eq. (1)) was performed in MATLAB using Levenberg-Marquardt optimization with bisquare robust weighting (Levenberg, 1944; Marquardt, 1963). Estimated parameter values, uncertainties and normalised error values were obtained.

Curve fitting validity was assessed using three criteria, that had to be met in both uncorrected and corrected data fits for a cluster to be con-

\(^1\) https://github.com/dgallichan/retroMoCoBox
sidered valid. First, the relative confidence bound, obtained from the Cramér-Rao Lower Bound (CRLB) of \( \sigma \) had to be smaller than 50%. Second, the number of internal data points inside the ROI had to be more than 10% of the total number of points. Third, the noise level needed to be smaller than 50% of the estimated height \( h \) of the objective function, in which the noise level was obtained from the normalised error of the fit. Sharpness metrics for (un)corrected datasets \( \text{FWHM}_{\text{uncorr,corr}} \) and the improvement \( \Delta \text{FWHM} \) were computed for all clusters, and median values over ROIs and subjects were obtained. Similarly, the extent of motion \( m_{\text{ROI}} \) was computed. A one-way Analysis of Variance (ANOVA) on the \( \Delta \text{FWHM} \) score of all clusters and subjects was conducted to assess a significant improvement in sharpness per subject in a post-hoc analysis, using SPSS (IBM, Armonk, NY).

Because of non-normally distributed data, non-parametric Spearman’s correlation analyses between sharpness and motion were performed, from which correlation coefficients \( \rho \) were obtained. This was done both on the subject and ROI level.

To investigate potential effects of subject age, motion and sharpness were plotted against age at time of scanning, and non-parametric Spearman’s correlation analyses were performed.

The source code for the clustering and sharpness assessment is made available online\(^2\).

### 3.6. Evaluation and comparison against other metrics

To validate the choice for segmenting motion corrected and not uncorrected data, \( R_1 \)-maps were analysed using motion uncorrected data as the reference, while sharpness was only determined in the cortical GM/WM boundary.

The presented method contains a number of parameters for which heuristically chosen parameter values are proposed. To assess the robustness against variation in these parameters, a number of settings were varied and the effects evaluated. The extent of the sampling region was changed, from 4 to 3 mm externally while maintaining a 3 mm internal region. Meanwhile, the outer layer used for clustering was increased from 1 mm to 2 mm. Furthermore, the cluster size was changed from 500 to 250 and 1000 voxels. Lastly, the relative confidence bound was changed from 50% down to 25% and up to 100%.

In an early study, Normalized Gradient Squared (NGS) and Gradient Entropy were reported as sensitive image metrics for studying the effect of motion correction (Mcgee et al., 2000). In the context of limited motion in this study, we expected NGS to be a more sensitive metric than the histogram-based entropy metric and therefore included NGS in the analysis, computed on \( R_1 \)-maps.

MRI Quality Control (MRiQC) is a software package including a large set of metrics (Esteban et al., 2017), which are computed in a standardized way. Because of ill-defined background values, we computed MRiQC-metrics on \( R_1 \)-maps for within-brain metrics only, and used the magnitude image of the second inversion with the shortest echo time \( \text{INV}_{\text{TE}2} \) for image background related metrics.

For all metrics, we computed difference scores of uncorrected and corrected data, and considered a positive difference an improvement in image quality. We then exploratively analysed the ensemble of metrics, by performing one-sided Student’s t-tests to assess the improvement, and non-parametric Spearman correlation tests to evaluate the relation to the extent of motion \( m \). Based on the test results, a subset of most descriptive metrics was selected for comparison against the proposed sharpness metric.

The Framewise Displacement (FD) was correlated with \( m \) and FWHM-metrics of \( R_1 \), using non-parametric Spearman correlation tests.

Contrast-to-Noise Ratios (CNR) were computed for one participant experiencing median motion in all clusters for \( R_1 \) and \( R_1^{c} \). The estimated height \( h \) (Eq. (1)) was used as contrast measure, and the Mean Absolute Difference (MAD) of the fitting residuals as robust noise measure, such that \( \text{CNR} = h / \text{MAD} \).

### 4. Results

An example reconstruction of \( R_1 \)-maps of uncorrected and corrected data in a selected subject is given in Fig. 5. The thalamus is a structure located deep inside the brain and this location might not be much affected by rotations of the head. Nevertheless, there is clear blurring visible of the ventricular border at the level of the thalamus, which is significantly reduced in the rightmost panel with the corrected image (white arrowhead). Similar sharpening can be seen at the CSF-WM and GM/WM boundaries (white diamonds). In Fig. 6, the result of motion correction on sharpness in the prefrontal cortical areas is shown for selected subjects with a visually observed increasing level of motion artifacts before correction. In the case of limited motion (average motion \( m = 0.21 \text{ mm} \)), better visibility of a perivascular space and longitudinal fissure could be seen (Fig. 6a, white arrowhead/diamond). In the case of more apparent motion blurring (\( m = 0.52 \text{ mm} \)), distinct improvement in sharpness at the sulcal GM/CSF boundary can be seen (Fig. 6b, white arrowhead).

In the two selected subjects with the largest extent of motion, remarkable differences are seen, with significant residual ghosting in one \( (m = 0.55 \text{ mm}, \text{Fig. } 6c) \) and restoration of image quality in the other subject \( (m = 1.54 \text{ mm}, \text{Fig. } 6d) \). Detailed inspection of motion plots of these two subjects (Fig. S2) revealed respectively continuous oscillatory patterns and a large shift midway through the experiment.

Fig. 7 illustrates motion correction in \( R_1 \), \( R_1^{c} \), and QSM-maps. The anterior limb of the internal capsule appeared sharper in the corrected \( R_1 \) map (white arrowhead). Of note, enlarged Virchow-Robin spaces can be observed as hypointensities in the basal ganglia. In uncorrected data, one of these in the caudate nucleus was visible in the \( R_1 \)-map only after motion correction (white arrowhead).

Over all subjects, the median and 95%-percentile values of the extent of motion were \( m = 0.21 \text{ mm} \) and 0.55 mm respectively. The median sharpness in motion uncorrected data was \( \text{FWHM}_{\text{uncorr}} = 0.88 \text{ mm} \), reducing to \( \text{FWHM}_{\text{corr}} = 0.70 \text{ mm} \) in corrected data. The median improvement in \( \Delta \text{FWHM} \) was 26%. Converted to voxel volume, this implies an effective 2.0 times larger voxel volume if no motion correction were applied. The One-way ANOVA on \( \Delta \text{FWHM} \) revealed that all but one subject showed a significant improvement in sharpness \((\Delta \text{FWHM} = 0.12 \text{ mm}, 95\%\text{ confidence interval} \approx 0.03 - 0.27 \text{ mm})\), corresponding to the subject depicted in Fig. 6c.

Fig. 8 shows the summary sharpness metrics as a function of the extent of motion \( m \) for the quantitative as well as the T1-weighted images. Sharpness on average improved for all subjects in all modalities. For both the \( R_1 \) and the \( T_1 \)-weighted images, a significant correlation between motion and sharpness was found in the uncorrected data and in the improvement score but not in the corrected data. Furthermore, the \( R_1^{c} \)-sharpness values did not correlate with motion with or without motion correction. Finally, QSM-sharpness values correlated with motion in both uncorrected and motion corrected images.

Focusing on \( R_1 \), one subject has relatively non-sharp corrected \( \text{FWHM}_{\text{corr}} = 1.1 \text{ mm} \), with no significant improvement \( \Delta \text{FWHM} = 0.12 \text{ mm} \), in concordance with the ANOVA (Fig. 6c). One other subject experienced a large extent of motion \( (m > 1.5 \text{ mm}, \text{corresponding to the subject shown in (Fig. 6d)}) \) but also shows the largest improvement in \( \Delta \text{FWHM} \).

Studying the sharpness in more detail on the ROI-level, as shown in Fig. 9 it can be seen that on average, the improvement is largest in the cortical GM/WM-boundary, and smallest in the thalamus. It also appeared that in the thalamus the lowest relative number of valid clusters was found, 38% and 37% respectively in left and right hemispheres.

Table 1.

In the analysis of existing metrics as depicted in Fig. 10, selected metrics were the Normalized Gradient Squared (NGS), the Coefficient of Joint Variation (CJV) with which high values are associated with the

\(^2\) https://doi.org/10.21942/uva.12220658.v1
**Fig. 5.** Example cropped sagittal slice of an uncorrected and corrected $R_1$-map. The white arrowhead indicates the boundary of the thalamus (Tha). White diamonds point to CSF/GM and CSF/GM boundaries. See Fig. S1 for a plot for all included subjects.

**Fig. 6.** Example cropped transverse slices of $R_1$-maps in the prefrontal cortex of selected subjects with increasing apparent level of motion artifacts before correction. (a) White arrowhead and diamond: perivascular space and longitudinal fissure. (b) White arrowhead: GM/CSF boundary. See Supplementary Fig. S2 for estimated motion parameters of these subjects.

**Fig. 7.** Illustration of motion correction in multiple quantitative maps. From left to right: $R_1$, $R^*_2$ and QSM. A transverse slice of motion corrected data (top) with an inset of uncorrected (center) and corrected data (bottom) is displayed. White arrowheads point to the anterior limb of the internal capsule ($R_1$) and an enlarged Virchow-Robin space ($R^*_2$) in corrected data insets.
Fig. 8. Estimated median sharpness in $R_1$, $R_2^*$, QSM and T1-weighted images for all subjects in full width at half maximum (FWHM) in mm as a function of estimation motion in mm, in uncorrected and corrected data, with the improvement in sharpness. Spearman’s correlation coefficient $\rho$ is printed, where an asterisk (*) denotes significance ($p < 0.05$). The dashed line in the sharpness plot denotes the imaging resolution.

presence of motion artifacts \cite{Poldrack2016}, kurtosis in CSF $k_{\text{csf}}$, residual partial volume effect in CSF $rPVE_{\text{csf}}$, median background intensity $b_{\text{med}}$ and the amount of artifactual intensities in the air background $QI_1$ \cite{Mortamet2009}. This figure illustrates that this ensemble of metrics confirms a significant improvement in image quality, as well as a correlation of the improvement in image quality with motion. The metrics related to aliasing in the image background $b_{\text{med}}$ and $QI_1$ point to a measurable increase in apparent artifacts, correlated with the extent of motion in uncorrected and corrected data ($b_{\text{med}}$).

The sharpness in FWHM and its uncertainty (Cramér-Rao Lower Bound, CRLB) were plotted against CNR for $R_1$ and $R_2^*$ in two ROIs, the left and right ventricles, and the cortical GM/WM-boundary, see Fig. 11. CNR in $R_1$ is approximately twice as high as in $R_2^*$, and uncertainty correspondingly lower. Also for low CNR-values in the range
while

not

GM/WM

uncertainty.

As

Bazin,

CNR

9.

3

hemispheres.

(Tha

ventricle

corrected

Statistics

Table

Cluster

FWHM-values

are

averaged

over

hemispheres.

ROI

FWHM_{uncorr}  FWHM_{corr}  clusters  rel. valid  clusters  total

Vent_{lat,lr}  0.81 (0.22)  0.64 (0.09)  0.81 ± 0.10  28 ± 4

Vent_{4}  0.77 (0.26)  0.68 (0.18)  0.67 ± 0.09  27 ± 3

Str_{lr}  0.91 (0.22)  0.67 (0.11)  0.59 ± 0.12  25 ± 3

Tha_{lr}  0.97 (0.34)  0.90 (0.35)  0.38 ± 0.11  16 ± 2

GW-b  1.50 (0.35)  1.15 (0.11)  0.93 ± 0.06  533 ± 63

2 < CNR < 5, sufficient valid cluster fits are observed, albeit at higher uncertainty.

As a validation experiment, sharpness was computed at the cortical GM/WM boundary by segmenting motion uncorrected instead of corrected data. The obtained median (Interquartile Range) values were not dissimilar from those reported in Table 1, being FWHM_{uncorr} = 1.51(0.34) mm and FWHM_{corr} = 1.15(0.11) mm.

To assess the robustness of the method, heuristically chosen parameter values were varied. First, when changing the thickness of the external region from 1 to 2 mm and reducing the external sampling region from 4 to 3 mm while maintaining an internal region of 3 mm, the total number of clusters (computed in the external layer) approximately doubled, while cluster validity dropped by 20%. The reported FWHM in uncorrected and corrected data both increased by 4%. Subsequently, reducing the cluster size from 500 to 250 voxels led to an increase in FWHM of 7%, while an increase to 1000 voxels resulted in a large increase in FWHM by 27%. Lastly, the relative confidence bound was assessed. When increasing the bound for R\(_t\) to 25% or 100%, the reported FWHM-values did not change. For 25%, all clusters in the thalamus were judged invalid, while changing to 100% resulted in a larger visually observed number of false positive cluster fits. For R\(_t\)\(^*\) (and QSM), we had to relax the validity constraint on uncertainty to 100%, to obtain a sufficient number of valid clusters (Figs. 9 and 11).

The proposed motion metric \(m\) was compared against the Frame-wise Displacement (FD). These metrics correlated significantly (\(p=0.49, p=0.015\)). The sharpness in uncorrected \(R_t\)-maps correlated significantly with FD (\(p=0.44\)), but the improvement in sharpness did not correlate with FD (\(p=0.17\)).

Fig. 12 shows no significant relation between age and correspondingly motion, uncorrected and corrected sharpness metrics (\(p = 0.88, p = 0.88, p = 0.30\)). The subject with unsuccessful motion correction was above 70 years of age, the subject with a large extent of motion and a large improvement younger than 25.

5. Discussion

We have presented a method for estimating sharpness in motion compensated quantitative imaging at 7T. Through a combined clustering and sigmoidally shaped error function curve fitting approach, sharpness could be locally estimated as the edge width of a selected set of segmented anatomical structures at sub-voxel resolution. The structures of choice characterized different regions and tissue contrasts in the brain, including cortical boundaries, deep subcortical structures, and the ventricular system. By performing retrospective motion correction using fat-excited motion navigators, we could precisely quantify the improvement in sharpness. We were able to show that this improvement corre-
lated significantly to the extent of motion experienced during scanning. Sharpness estimation was performed in a group of 24 subjects with a large and uniform age range covering the entire adult life span. Motion correction was illustrated to be feasible in multiparametric $R_1$, $R_2^*$ and Quantitative Susceptibility Mapping (QSM)-data, as well as in $T_1$-weighted images.

In $R_1$-maps, motion correction significantly improved sharpness in all but one subject. Our sharpness metric did not point to a degraded image quality in any of the $R_1$-maps. In general, a strong, almost linear correlation between motion and sharpness improvement was observed. Computing motion per ROI averaged over clusters proved beneficial, since no correlation between the Framewise Displacement (FD) metric and the improvement in sharpness was observed. The median sharpness in motion uncorrected data was 0.88 mm, reducing to 0.70 mm in corrected data. The median improvement was 26%. Converted to voxel volume, this implies an effective 2.0 times larger voxel volume if no motion correction were applied.

With regard to $R_2^*$- and QSM-maps, an overall significant improvement in sharpness could also be demonstrated, using ROIs defined in $R_1$-maps. In uncorrected data, a significant correlation of sharpness with motion (with non-zero slope) is visible in QSM but not in $R_2^*$ (Fig. 8). First, boundaries were defined on $R_1$, while $R_2^*$ and QSM might not as systematically change on the same ROIs. Second, for $R_2^*$-maps, lower CNR and resulting higher uncertainty (CRLB) in the estimated FWHM as compared to $R_1$ (Fig. 11) are thought to be the underlying cause. Low CNR thus still allows for assessing the improvement in sharpness using our proposed metric, albeit with a reduced ability to measure edge information precisely enough to identify a relation between the improvement in sharpness and motion. Also, QSM, exploiting phase information, is more sensitive to motion effects as compared to $R_2^*$ estimated from magnitude data. However, QSM-maps after correction were still correlated with motion where $R_1$ was not, pointing to residual phase artifacts present in the data, possibly induced by $B_0$-fluctuations which were not corrected for.

Our results add to earlier work on motion correction in quantitative imaging in multi-parameter mapping (MPM) (Callaghan et al., 2015) and QSM (Mattern et al., 2019). With regard to the MPM-sequence, which comprises of a series of shorter acquisitions, we suspect that FatNav motion correction might lead to a smaller improvement but comparable final sharpness compared to the MP2RAGE-ME sequence. A limitation here would be that the acquisition time would have to be extended, because in contrast to the MP2RAGE-ME sequence no idle time is available to be exploited for the FatNav readouts in the GRE-readouts of MPM. In $T_1$-weighted images, nearly identical results as in $R_1$-maps were observed, illustrating that our method is generalizable to non-quantitative data. Future work should confirm our hypothesis that wide application in different weighted contrasts is feasible, also at 3T.

Sharpness in $R_1$ across all tested ROIs was improved by motion correction, from limited amounts (in the thalamus and fourth ventricle) to systematically large positive improvements (cortical WM boundary), see Table 1. We anticipate that subcortical structures, including the thalamus and fourth ventricle, experience less displacement than cortical structures such as the GM/WM cortical boundary. The relative number of valid clusters used in the estimation may further play a role here: only 38% of the clusters were valid for the thalamus, compared to well above 50% for the other structures. One explanation for this is the fact that the boundary of the thalamus with the neighboring WM of the internal capsule is very gradual, making the sigmoid fit not accurate enough over small windows. The fourth ventricle on the other hand has fairly reliable boundaries with the neighboring brainstem and cerebellum tissues, but is located in a region with increased pulsation artefact and lower overall SNR. And, due to its small size, only 8 clusters could be defined to estimate sharpness from. A strength of our study is the uniform and wide age distribution. We could see that everybody moves, regardless of age. This makes us confident to state that our metric can be successfully applied in a broader population.

The reported FWHM in corrected $R_1$- and $T_1$-weighted data falls below the imaging resolution of 0.7 mm for a subset of subjects. We attribute this to the Gaussian PSF that has been used. While this allows for a precise first order approximation to the sinc(⋅) function for measuring the improvement ∆FWHM, it may result in an systematically underestimated FWHM because of ignored Gibbs ringing.

The analysis of existing metrics showed that none of the tested metrics achieved the same strong correlations with motion as the proposed
Fig. 11. Sharpness (FWHM) and its uncertainty (Cramér-Rao Lower Bound, CRLB) per cluster labeled by validity as a function of Contrast-to-Noise Ratio (CNR) for $R_1$ and $R_2^*$ in two ROIs: left/right ventricles (Vent) and GM/WM-boundary (GW-b). Note the different CNR-ranges for $R_1$ and $R_2^*$. Uncorrected and corrected data are jointly plotted.

Fig. 12. Motion and sharpness in uncorrected and corrected data plotted as a function of age. The dashed line in the sharpness plot denotes the imaging resolution.

metric does. This could prove to be of added value, potentially also in the general MRI quality control setting (Esteban et al., 2017). Interestingly, the amount of aliasing in the background of the corrected data increased compared to the uncorrected data. Visual inspection indeed confirmed a minute increase in aliasing artifacts in the corrected image of a subject with extensive motion. We attribute this to the retrospective rotation of k-lines, such that the sampling pattern is no longer regular. This is a limitation of retrospective motion correction. Sparsity-constrained reconstruction using compressed sensing (Lustig et al., 2007) or deep learning (Lønning et al., 2019) were proposed as approaches to reconstruct irregularly sampled data.

We constrained ourselves to locally assessing image quality by quantifying sharpness at tissue boundaries, which imposes a limitation on the applicability of our approach. Motion-induced measurement errors in k-space propagate not only to a local blur but also to global aliasing artifacts throughout the Field-of-View, as was observed above. The latter effect is most prominent within the brain for large displacements. This was confirmed by the outcomes of our analysis, in the two sub-
jects showing the largest extent of motion. The first of the two showed significant aliasing artifacts that could not be corrected for, caused by higher frequency motion (Fig. 6(c), Supplementary Fig. S2). The second subject experienced a large shift midway through the scan, inducing a strong ghosting artifact jeopardizing our local sharpness quantification. The FatNavs could however accurately capture this motion pattern, resulting in a removal of the ghosting artifact and an improved and qualitatively restored image (Fig. 6(d)).

The second limitation of our approach is that the error function fitting needed to be computed over a certain spatial extent of 7 mm, for an imaging resolution of 0.7 mm. Small or thin anatomical structures are therefore challenging to assess, for instance at the GM/CSF boundary or within the brainstem. Furthermore, the requirement for intensity samples on both sides of the boundary makes it challenging to measure sharpness in highly curved regions. However, because we systematically discard regions with unreliable estimates, this measurement noise primarily biased the uncertainty of the sharpness estimation. Estimated FWHM-values proved to be invariant against changes in heuristically chosen parameter settings, provided that clusters remained sufficiently small (500 voxels) in order to locally sample tissue values. The validity criterion on uncertainty needed to be relaxed for the more noisy $R^2_c$ and QSM data as compared to $R^2_d$ data, to balance between false positive and negative clusters. Indeed, CNR-values were on average a factor two lower in $R^2_c$ than in $R^2_d$. Still, an average improvement in sharpness could be demonstrated.

Our work focused on retrospective motion correction using FatNavs only, which were initially proposed in 2D (Skare et al., 2015) and collapsed (Engström et al., 2015) form. In 3D, fat navigators were applied in ultra-high resolution imaging (Federau and Gallichan, 2016), and in a comparison against Moiré phase tracking, both methods were shown to result in excellent motion correction (Gretsch et al., 2019). Furthermore, application in the clinical setting of patients with brain tumors led to improvement in image quality (Glessgen et al., 2019). However, our method of sharpness quantification can be more broadly applied. In retrospective motion correction, other approaches to which our sharpness estimation could be applied include the use of 3D radial acquisitions (Anderson et al., 2013), field monitoring (vanNesjo et al., 2015) and FID navigators (Kober et al., 2011; Wallace et al., 2019). Prospective motion correction dates back more than 25 years ago (Maclaren et al., 2013), and the methods proposed include volumetric navigators (Keckemeti and Alexander, 2020; Tisdall et al., 2012), fat navigators (Anderson, 2019; Boer, 2020; Truong, 2019), optical markers (Callaghan et al., 2015; Stucht et al., 2015; Todd et al., 2015), real-time field control (Özay et al., 2017) and NMR field probes (Eschelbach et al., 2019). Prospective motion correction does not allow for a direct computation of the improvement in imaging sharpness. Reverse retrospective motion correction was proposed to demonstrate the improvement (Zahneisen et al., 2016). A cross-sectional comparison would be another approach to quantitatively evaluate sharpness for prospective motion correction using the proposed method. Alternatively, analyzing residual motion could be considered, such as in a cortical laminar fMRI-study at 9.4 Tesla (Bause et al., 2020).

Several studies indicate that motion differs with age, and between index and control groups (Greene et al., 2016). Additionally, differences in motion may, at least in part, explain differences observed in MRI measures. In the adult population above 20 years of age, a significant positive association between age and the extent of motion was found in a cohort of 266 subjects (Savalia et al., 2017). Note that our study was not powered to confirm this relation in our data (Fig. 12). Conversely, in the pediatric population below 20 years of age, a significant negative relation was found (Dosenbach et al., 2017). Importantly, head motion during scanning was shown to affect both structural (Brown et al., 2010) and functional pediatric imaging (Greene et al., 2018), and reduce gray matter volume and cortical thickness measures in adults (Reuter et al., 2015). Effects of motion were also demonstrated in neuropsychiatric patient groups. A clinical ultra-high field studies indicated that motion significantly affected $R^2_c$-values in Alzheimer’s patients (Versluis et al., 2010). Motion correction is thus indispensable to alleviate these biases which hamper quantitative comparisons between groups and may become an essential practice in modern neuroimaging.

Beyond evaluating the effectiveness of motion correction techniques and quantifying the patterns of motion in pediatric and clinical populations, the sharpness of anatomical boundaries might be a feature of interest for developmental and plasticity studies. Although regions where the error function fitting is not robust should be considered with caution, sharpness differences at the boundary between WM and GM may reflect differences in cortical and sub-cortical myelination (Dinsse et al., 2015; Keukens et al., 2017; Tardif et al., 2016) which may reveal subtle and important differences in the underlying micro-circuits (Turner, 2019).

6. Conclusion

The proposed metric revealed that limited sub-voxel motion almost linearly affects the apparent resolution in most investigated parameter maps and image contrasts, and further allows to quantify the improvement in sharpness irrespective of the extent of motion in high resolution quantitative and weighted imaging.

Declaration of Competing Interest

M.W.A. Caan is shareholder of Nico-lab Ltd.

CRediT authorship contribution statement


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Supplementary material

Supplementary material associated with this article can be found in the online version, at 10.1016/j.neuroimage.2020.117227.

References


