Spitzer phase curve observations and circulation models of the inflated ultra-hot Jupiter WASP-76b

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ABSTRACT

The large radii of many hot Jupiters can only be matched by models that have hot interior adiabats, and recent theoretical work has shown that the interior evolution of hot Jupiters has a significant impact on their atmospheric structure. Due to its inflated radius, low gravity, and ultra-hot equilibrium temperature, WASP-76b is an ideal case study for the impact of internal evolution on observable properties. Hot interiors should most strongly affect the non-irradiated side of the planet, and thus full phase curve observations are critical to ascertain the effect of the interior on the atmospheres of hot Jupiters. In this work, we present the first Spitzer phase curve observations of WASP-76b. We find that WASP-76b has an ultra-hot day side and relatively cold nightside with brightness temperatures of 2471 ± 27 K/1518 ± 61 K at 3.6 µm and 2699 ± 32 K/1259 ± 44 K at 4.5 µm, respectively. These results provide evidence for a dayside thermal inversion. Both channels exhibit small phase offsets of 0.68 ± 0.48° at 3.6 µm and 0.67 ± 0.2° at 4.5 µm. We compare our observations to a suite of general circulation models that consider two end-members of interior temperature along with a broad range of frictional drag strengths. Strong frictional drag is necessary to match the small phase offsets and cold nightside temperatures observed. From our suite of cloud-free GCMs, we find that only cases with a cold interior can reproduce the cold nightsides and large phase curve amplitude at 4.5 µm, hinting that the hot interior adiabat of WASP-76b does not significantly impact its atmospheric dynamics or that clouds blanket its nightside.

Keywords: Exoplanet atmospheres (487) — Exoplanet detection methods (489) — Hot Jupiters (753)

1. INTRODUCTION

Ultra-hot Jupiters, gas giants with equilibrium temperatures ≥ 2200 K, have recently been recognized to be a new class of exoplanets with observable properties that are distinct from cooler hot Jupiters. Notably, spectra of ultra-hot Jupiters generally show diminished absor-
tion features (Stevenson et al. 2014a; Haynes et al. 2015; Beatty et al. 2017; Evans et al. 2017; Arcangeli et al. 2018; Kreidberg et al. 2018; Mansfield et al. 2018; Baxter et al. 2020; Fu et al. 2020; Mikal-Evans et al. 2020) due to a combination of thermal dissociation of molecules (most importantly H$_2$O) and H$^-$ continuum opacity (Parmantier et al. 2018; Lothringer et al. 2018; Kitzmann et al. 2018). Recent work has found population-level evidence for dayside thermal inversions in ultra-hot Jupiters, but not hot Jupiters, from a large sample of Spitzer secondary eclipse depths (Baxter et al. 2020; Garhart et al. 2020; Mansfield & et al. 2021).

While secondary eclipse spectra are able to probe the presence (or lack) of a thermal inversion on the planet’s dayside, phase resolved observations are required to make this determination on the planet’s nightside. Nightside thermal inversions on tidally locked gas giant planets are generally not expected due to the lack of stellar flux combined with the low efficiency of heat transport at the pressure levels in question. However, nightside observations from Spitzer phase curves have often been inconclusive or suggestive of atmospheric conditions not in line with these predictions from circulation models, potentially due to cloud-free models while observations imply a uniform nightside cloud coverage as identified in Beatty et al. (2019) and Keating et al. (2019). For example, Wong et al. (2015) find higher than expected nightside emission at 4.5 µm in the atmosphere of WASP-14b, indicative of an excess absorber, potentially explained by an emitting layer of CO in the upper atmosphere, or simply an enhanced C/O ratio. More recently, Kreidberg et al. (2018) find evidence for a thermal inversion on the dayside of the ultra-hot Jupiter WASP-103b with no inversion on the nightside. As an ultra-hot Jupiter with an inflated radius, WASP-76b is a particularly useful target for further exploring the effect of inversions in the atmospheres of this class of planets.

Novel processes play a key role in the atmospheric physics and chemistry of ultra-hot Jupiters and can significantly impact their atmospheric circulation. As hydrogen is partially dissociated on the day sides of ultra-hot Jupiters, the latent heat release of hydrogen recombination on the cool night side and intake through hydrogen dissociation on the hot day side is expected to greatly impact the phase curve amplitudes of ultra-hot Jupiters (Bell & Cowan 2018; Komacek & Tan 2018; Tan & Komacek 2019; Gandhi & Jermyn 2020). Tentative evidence of the effect of hydrogen dissociation and recombination on heat transport has been seen in recent Spitzer and TESS phase curve observations of the ultra-hot Jupiter KELT-9b (Mansfield et al. 2020; Wong et al. 2020).

Most recently, ground-based high-resolution spectroscopy (spectral resolution $\gtrsim$ 25,000) has shown a wealth of extreme chemistry in the hot upper atmospheres of ultra-hot Jupiters through a broad range of discoveries of both atomic and ionized metal lines and hydrogen Balmer features (Nugroho et al. 2017; Hoeijmakers et al. 2018; Jensen et al. 2018; Seidel et al. 2019; Cabot et al. 2020; Ehrenreich et al. 2020; Hoeijmakers et al. 2020; Wytenbach et al. 2020; Yan et al. 2020). These high-resolution spectroscopic observations also provide a path toward directly probing the atmospheric dynamics of hot gas giants through measuring the Doppler shifts and broadening of spectral lines (Kempton & Rauscher 2012; Showman et al. 2013; Kempton et al. 2014; Louden & Wheatley 2015; Brogi et al. 2016; Zhang et al. 2017; Flowers et al. 2019; Beltz et al. 2021).

WASP-76b has emerged as a baseline ultra-hot Jupiter due to its inflated radius of 1.85 $R_{\text{Jup}}$ and bright ($m_v = 9.5$) F7 host star (West et al. 2016). A broad range of previous studies (Fu et al. 2017; Tsiaras et al. 2018; Fisher & Heng 2018; Edwards et al. 2020; von Essen et al. 2020; Fu et al. 2020; Garhart et al. 2020) have analyzed Spitzer and HST transmission and emission observations of WASP-76b. The emission spectrum of WASP-76b is typical of ultra-hot Jupiters, with a diminished water absorption feature due to dissociation and an emission feature due to CO at 4.5 µm indicative of a thermal inversion (Fu et al. 2020). This thermal inversion may be due to a combination of the strong optical absorption by metals and/or TiO and reduced longwave cooling due to water dissociation near the photosphere (Lothringer et al. 2018). The strong optical opacity of metals also enhances the transit depth at optical wavelengths (Lothringer et al. 2020a), and the largely cloud-free atmosphere of WASP-76b as seen in both transmission and emission (Fu et al. 2020) provides an opportunity to constrain atmospheric elemental ratios and link the composition to formation scenarios (Lothringer et al. 2020b; Ramírez et al. 2020).

Ground-based high spectral resolution observations have also constrained the properties of the upper atmosphere of WASP-76b, detecting a range of atomic features with ESPRESSO (Ehrenreich et al. 2020; Tabernero et al. 2020) and HARPS (Seidel et al. 2019; Zak et al. 2019). Most notably, Ehrenreich et al. (2020) found evidence for iron condensation on the night side of the planet, as the iron absorption signal was asymmetric between the eastern and western limb. This detection of asymmetric iron absorption was recently confirmed with archival HARPS observations (Kesseli & Snellen 2021). Ehrenreich et al. (2020) also found evi-
cence for a uniform day-to-night wind with a blueshift of ≈ 5.3 km s⁻¹ on both limbs after compensating for planetary rotation. Additionally, Seidel et al. (2019) found that sodium lines in the upper atmosphere of WASP-76b are strongly broadened, which may be indicative of an evaporative torus of material surrounding the planet (Gebek & Oza 2020).

As WASP-76b is a highly inflated and low gravity planet with an ultra-hot equilibrium temperature, a variety of processes are expected to affect its atmospheric dynamics and resulting spatial pattern of emitted flux. Notably, the present-day radius of WASP-76b indicates the need for a hot interior adiabat in order to provide a sufficient central entropy to match its present-day radius (Arras & Bildsten 2006; Spiegel & Burrows 2013; Komacek & Youdin 2017; Thorngren & Fortney 2018; Thorngren et al. 2019; Sarkis et al. 2021). In this work, we will test this theoretical expectation of a hot interior through measuring its impact on the atmospheric circulation with phase curve observations.

If WASP-76b has a hot internal adiabat, it would coincide with a high internal heat flux that may drive a strong magnetic field (Christensen et al. 2009; Yadav & Thorngren 2017) as has been observed for other hot Jupiters through signals of star-planet interactions (Cauley et al. 2019). The combination of a strong internal magnetic field and a hot and thermally ionized atmosphere would imply that magnetic effects (e.g., Lorentz forces) affect the atmospheric circulation of WASP-76b (Perna et al. 2010; Menou 2012a; Batygin et al. 2013; Rauscher & Menou 2013; Rogers & Showman 2014; Rogers 2017; Rogers & Mcelwaine 2017). The strong atmospheric flows driven by the large day-to-night irradiation contrast may also undergo large-scale turbulence due to fluid instabilities and/or shocks (Li & Goodman 2010; Heng 2012; Menou 2012b; Perna et al. 2012; Polichtchouk & Cho 2012; Fromang et al. 2016; Koll & Komacek 2018; Menou 2019). As expected from the iron condensation observed by Ehrenreich et al. (2020), condensate clouds likely form on the night side and western limb of WASP-76b and radiatively feed back on the temperature structure (Helling et al. 2016; Parmentier et al. 2016; Wakeford et al. 2017; Powell et al. 2018; Gao et al. 2020; Roman et al. 2020; Helling et al. 2021). Additionally, this non-uniform aerosol distribution can impact observable properties (especially in transmission, Fortney 2005; Kempton et al. 2017; Powell et al. 2019) and lead to a dynamic interplay with the atmospheric circulation (Lee et al. 2016; Lines et al. 2018, 2019; Roman & Rauscher 2019; Parmentier et al. 2020; Roman et al. 2020; Steinruessc et al. 2020).

In this work, we constrain the atmospheric circulation of WASP-76b in detail utilizing the first Spitzer 3.6 and 4.5 µm phase curve observations of this planet. We conduct novel general circulation model (GCM) simulations of the atmospheric circulation of WASP-76b over a wide range of atmospheric frictional drag strength and internal temperature, and utilize these GCMs to interpret the observed Spitzer phase curve. This manuscript is organized as follows. In Section 2, we describe the data reduction of and results from our Spitzer 3.6 and 4.5 µm phase curve observations. We then describe the setup of our GCMs and present results from simulations with varying internal temperature and atmospheric drag in Section 3. We compare these GCM simulations to our observed phase curve in Section 4, and we outline our conclusions in Section 5.

2. SPITZER OBSERVATIONS

2.1. Observations

Three phase curves of WASP-76b were observed with Spitzer’s InfraRed Array Camera (IRAC, Fazio et al. 2004), two at 3.6 µm and one at 4.5 µm (Program 13038, PI: Kevin Stevenson). Each phase curve covers approximately 51 hours, including one transit and two secondary eclipses, with two-second frame times at 4.5 µm and 0.4-second frame times at 3.6 µm. Table 1 overviews these observations.

Figure 1 shows the changes in x and y centroids over the course of all three phase curve observations, as well as the corresponding raw flux. The first 3.6 µm phase curve is split into three astronomical observation requests (AORs) with the gaps occurring just before the start of transit and in the middle of the second eclipse, showing significant jumps in centroids at these gaps. Because the eclipses are crucial anchoring points, and large gaps in centroids can be difficult to detrend due to strong intrapixel effects, particularly with the 3.6 µm channel, a second 3.6 µm phase curve was observed to ensure no AOR gap occurred near the eclipse events. This second phase curve is similarly split into three AORs, however there are no significant jumps in the centroid position at the AOR gap. The 4.5 µm phase curve is also split into three AORs with a significant gap between the first two, resulting in two groups of non-overlapping AORs. However, our detrending method discussed below is well suited to address this.

2.2. Data Analysis

2.2.1. Initial Data Reduction

We use the Photometry for Orbits, Eclipses, and Transits (POET, Campo et al. 2011; Stevenson et al. 2012; Cubillos et al. 2013) pipeline for data reduction and...
analysis, including recent updates from May & Stevenson (2020) to improve systematic modeling at 4.5 μm.

Centroiding of each frame is done using a 2D Gaussian fit following the suggestions of Lust et al. (2014). Both wavelength channels are extracted using a fixed aperture size optimized for signal difference to noise ratio (SDNR). For this, we test apertures between 2.0 and 4.0 pixels in 0.25 pixel increments. Background subtraction is done in a fixed annulus between 7 and 15 pixels away from the centroids. We select an aperture of 2.25 pixels for the 3.6 μm channel and 3.0 pixels for the 4.5 μm channel.

2.2.2. The Intrapixel Effect

Systematics are modeled using Bilinearly Interpolated Subpixel Sensitivity (BLISS) mapping (Stevenson et al. 2012) to address the dominant source of Spitzer IRAC systematics at 3.6 and 4.5 μm. As explored in May & Stevenson (2020), BLISS mapping is degenerate with point response function at full width half max (PRF FWHM) detrending, which accounts for variations in the shape of the PRF as the centroid moves towards the edges of the pixel. This effect is exacerbated by temporally binning the data, so we choose to not perform any binning in this analysis. For the 4.5 μm phase curve, we use the fixed intrapixel sensitivity map presented by May & Stevenson (2020) with a modification described below to address the nearby companion of WASP-76. Because such a map does not yet exist at 3.6 μm, we instead perform a joint fit of both 3.6 μm phase curves using standard BLISS mapping techniques. Figure 2 shows our best fit BLISS maps for both 3.6 μm visits, as well as the dual-map results at 4.5 μm as further addressed below.

We note that the fixed sensitivity map method used at 4.5 μm provides particularly strong constraints on phase curve parameters (most notably, the phase offset) when a significant portion of the centroids overlap with the fixed map, as is the case for WASP-76. Similarly, at 3.6 μm, because we perform a joint fit of both 3.6 μm visits, there are smaller uncertainties than a single visit fit on the phase curve parameters (again, most notably for the phase offset) due to this additional constraints of the multiple visits.

2.2.3. Astrophysical Source Models

For all phase curves we model the planet’s emission with spherical harmonics using SPIDERMAN (Louden & Kreidberg 2018), with both 2nd order (symmetric) and 3rd order (asymmetric) models considered. For the 2nd
order case, we only consider the two terms that create a dipole centered at a latitude and longitude of zero degrees, and use SPIDERMAN’s longitude offset parameter. The transit events are modeled using BATMAN (Kreidberg et al. 2015) and eclipses are modeled following the formalism of Mandel & Agol (2002). We apply quadratic limb darkening for the transit events calculated using ExoCTK’s limb darkening tool and Kurucz stellar models (Castelli & Kurucz 2004) with stellar values of $T_{\text{eff}} = 6250$ K, $\log g = 4.13$, and $[\text{Fe/H}] = 0.23$ (West et al. 2016). At 3.6 $\mu$m, the two limb darkening parameters used are $[0.08, 0.13]$ and at 4.5 $\mu$m they are $[0.081, 0.097]$. In addition to the astrophysical signals and aforementioned BLISS mapping, we consider the addition of a temporal ramp applied across the entire data set. At 4.5 $\mu$m we compare a linear temporal ramp to a no-ramp model (here a quadratic ramp produces unphysical results, namely negative nightside flux values.). At 3.6 $\mu$m we consider combinations of ramps in our joint fit: both visits with no ramp, both visits with linear ramps, both visits with quadratic ramps, and a mixed-ramp case where the first visit has a quadratic ramp and the second visit has a linear ramp. Our choice of the mixed ramp case in our joint 3.6 $\mu$m fit reflects the unreliability of the first visit due to the start and end of the visit experiencing strong changes in the measured flux (See visit 1 panels in Figure 1 and Figure 3), which affects the results without removing these points. Notably, we find the exact amount trimmed from the start and end of the first 3.6 $\mu$m phase curve heavily affects the shape of the resulting phase curve model when using a linear ramp, but that this can be constrained by performing the joint fit. Specifically, we tested trimming 30, 60, and 90 minutes of data from the start and end of the first 3.6 $\mu$m visit and found that the resulting nightside flux heavily depended on the amount trimmed. For that reason we decided to only consider the joint fit in this work. Our mixed temporal ramp (quadratic for visit 1 and linear for visit 2) test was to add additional flexibility in the fit of the first visit while allowing the second visit to more tightly constrain the possible phase curve. Our final fit does not trim any data from the start or end of the first 3.6 $\mu$m phase curve.

Our best fit combination of the above models is selected using the Bayesian Information Criterion (BIC, Liddle 2007). These best fit models are computed using a Levenberg-Marquardt minimizer with parameter uncertainties estimated using a custom Differential-Evolution Markov Chain algorithm (ter Braak & Vrugt 2008). Simultaneously, parameters that describe the BLISS maps (subpixel grid size and minimum number of data points in a map grid) are chosen by comparing model fits to a nearest neighbor approach and selecting the step size that produces the best BIC and SDNR, respectively.

Table 2 overviews the results of our various model combinations for both channels. The combination with the best BIC for each observation was identified as our ‘best-fit’ model and all subsequent discussions use that model combination. While not shown in the table for simplicity, we also consider the addition of PRF FWHM detrending. As also found in May & Stevenson (2020), the use of our fixed sensitivity map at 4.5 $\mu$m accounts for the PRF FWHM variations and its addition is not a preferred model solution for this data set. For the 3.6 $\mu$m phase curves we find that the addition of a 2nd order PRF FWHM detrending function provides improvements to the fit as demonstrated by a lower BIC value. Table 5 includes the best fit (or adopted) parameters for all values included in the total functional form of the fit.
WASP-76 has a nearby companion $0.4438 \pm 0.0053^\circ$ away with confirmed common proper motion (Wöllert & Brandner 2015; Ginski et al. 2016; Ngo et al. 2016; Bohn et al. 2020; Southworth et al. 2020). This separation places both WASP-76 and its companion well within a single Spitzer pixel. The system’s $\Delta K_{\text{mag}}$ of $2.30 \pm 0.05$ suggests that the companion is a late G or early K star and gives a flux differential within the Spitzer 4.5 $\mu$m band of $\sim 5.5$. This relative closeness of the two components compared to the Spitzer PSF and large flux differential prevents a standard double-Gaussian aperture fit to account for the secondary component. However, because we use Gaussian centroiding and not, for example, center of light centroiding, we do not expect our WASP-76 centroids to be affected by the significantly fainter companion. We therefore use the position angle and offset calculated in Wöllert & Brandner (2015) and Ginski et al. (2016) to determine the location of the companion relative to our measured WASP-76 centroids in Spitzer pixel coordinates and compare to HST images of the system that resolve the two components to ensure we have correctly identified the relative location of the companion in our Spitzer photometry in RA and DEC space. We consider both the dilution of eclipse depths and the intrapixel effect due to the companion, as addressed in the following paragraphs.

Following Stevenson et al. (2014b) and Stevenson et al. (2014a), we calculate the wavelength dependent dilution effect for both 3.6 and 4.5 $\mu$m. Previously resolved imaging of the system from Ngo et al. (2016) report the companion’s surface gravity and mass (log($g$) = 4.608 cm/s$^2$, $M = 0.712 M_\odot$), giving a companion radius of 0.695 $R_\odot$. We adopt the stellar log($g$), mass, and radius of WASP-76 from West et al. (2016). The dilution factors at 3.6 and 4.5 $\mu$m are calculated to be 0.0936 $\pm$ 0.002 and 0.0901 $\pm$ 0.003, respectively.

To address the intrapixel effect of the companion star, at 3.6 $\mu$m we perform our standard fits such that our resulting BLISS map now encapsulates the flux from both stellar components. After obtaining the best fit, we perform a contamination correction based on the above dilution factors. However, at 4.5 $\mu$m our use of a fixed sensitivity map means we must account for each stellar component independently by performing a two-map fit. This process requires a two step approach: (1) First, we remove the fixed intrapixel sensitivity map component centered at the location of WASP-76 such that we are left only with the flux variations due to the shifting location of the companion and the planet’s phase curve. (2) Second, we shift the residual flux’s centroids to the companion’s location and rescale the variations in our

<table>
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<th>Table 2. Light Curve Models</th>
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<td>wa076bo1*</td>
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<td>+ 2$^{nd}$ order</td>
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<td>PRF-FWHM</td>
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wa076bo21 | Fixed Map | ... | Symm. | 79.66 |
| Linear | Symm. | 0.0 |
| Linear | Asymm. | 91.06 |
| Linear | Asymm. | 11.41 |

Note—For the joint ramp fits, L stands for linear and Q stands for quadratic. The bolded rows represent the best-fit model combinations, as denoted by the $\Delta$BIC of 0.0.

fixed sensitivity map using the flux differential between the two components in the 4.5 $\mu$m band. At this point, we run our standard fitting techniques on the residual data which produces an intrapixel map at the companion’s location and the planet’s best fit phase curve. The centroids at the location of the companion lay approximately half on and half off of our fixed intrapixel sensitivity map, so it is partially constrained by this overlap. The rightmost panel of Figure 2 shows the maps from this dual map fit. The shaded grey region denotes where our fixed intrapixel sensitivity map data exists, which is an extension of that in May & Stevenson (2020). Both components are shown on the same scale, highlighting that the companion contribution is significantly smaller than that of the primary, but still non-negligible. We then perform a contamination correction based on the above dilution factors.

2.3. 3.6 $\mu$m Phase Curves

For parameter estimation, we perform a joint fit of both 3.6 $\mu$m phase curves, requiring that the transit depth and phase function parameters are the same for both visits. Because the first visit is split into two non-overlapping AORs and the second visit has a slight drift during one AOR, our joint fit requires both observations to have the same phase and occultation parameters and serves to constrain the independent BLISS maps for both visits. Our joint best fit model compared to the two visits is shown in Figure 3.

For our 3.6 $\mu$m phase curves, our joint best fit has a hot spot offset of 0.68 $\pm$ 0.48° with a phase amplitude
of $804.0 \pm 42.5$ ppm. We measure a contamination-corrected eclipse depth of $2539 \pm 30$ ppm, corresponding to a disk integrated day side brightness temperature of $2471 \pm 27$ K. The disk integrated night side brightness temperature is measured to be $1518 \pm 61$ K. Performing a joint fit on two $3.6 \mu m$ phase curves allows us to reach a higher precision on these parameters while tightening the constraint on the allowed BLISS maps by tying the phase curve parameters between visits. Brightness temperatures were calculated based on an interpolated Kurucz stellar model with stellar parameters from West et al. (2016) as discussed above.

2.4. 4.5 \mu m Phase Curves

As addressed above, we perform a two-map fixed sensitivity map removal to address the intrapixel effect at 4.5 \mu m due to WASP-76 and its nearby companion star. 99.9\% of the centroids for WASP-76 fall on the fixed sensitivity map, while the companion star centroids fall approximately half-on and half-off of its shifted fixed sensitivity map. We allow these regions off the map to fit using a standard BLISS mapping routine. Our best fit is shown in Figure 4. The top panel denotes the relative contribution from the two map components.

With WASP-76’s centroids falling nearly entirely on the fixed sensitivity map, the shape of the phase curve is highly constrained by the pre-determined systematic model. This allows us to place a strong constraint on the hotspot offset of $0.67 \pm 0.2^\circ$ with a phase amplitude of $1464 \pm 38$ ppm. We measure a contamination-corrected eclipse depth of $3729 \pm 52$ ppm, corresponding to a day side disk integrated brightness temperature of $2699 \pm 32$ K. The disk integrated night side brightness temperature is measured to be $1259 \pm 44$ K.

3. NUMERICAL MODELS OF THE ATMOSPHERIC CIRCULATION OF WASP-76b

3.1. Model setup

To simulate the atmospheric circulation of WASP-76b, we solve the primitive equations of meteorology with the MITgcm (Adcroft et al. 2004) coupled to double-gray radiative transfer with the TWOSTR (Kylling et al. 1995) package of DISORT (Stamnes et al. 1988). This model has previously been applied to study the atmospheric circulation of hot Jupiters and brown dwarfs (Komacek et al. 2017, 2019; Komacek & Showman 2020; Steinrueck et al. 2020; Tan & Showman 2021a,b), and it has been modified to take into account the effects of hydrogen dissociation and recombination on the thermodynamics of ultrahot Jupiter atmospheres (Tan & Komacek 2019; Mansfield et al. 2020). This is an intermediate-complexity GCM that builds on the heritage of previous work studying gaseous exoplanet atmospheres with GCMs that utilize double-gray radiative transfer (e.g., Dobbs-Dixon et al. 2010; Heng et al. 2011; Perna et al. 2012; Rauscher & Menou 2012a, 2013; Rauscher & Kempton 2014; Rauscher 2017; Zhang et al. 2017; Mendon ca et al. 2018b; Flowers et al. 2019; Roman & Rauscher 2019; Dietrick et al. 2020; May & Rauscher 2020; Mendon ca 2020; Roman et al. 2020; Beltz et al. 2021; Harada et al. 2021). Generally, double-gray GCMs provide broadly similar predicted phase curve properties as more complex non-gray models (Parmentier et al. 2020). In this work, we utilize such an intermediate-complexity model in order to conduct a broad suite of simulations to scan possible parameter space. As discussed in Section 4.2, we then post-process our GCM output with a state-of-the-art radiative transfer code (Zhang et al. 2017) in order to compare with Spitzer observations.

The GCM assumes an atmosphere that is composed purely of hydrogen. We include the effects of hydrogen dissociation and recombination by tracking the local atomic hydrogen mass mixing ratio, which is treated as a passive tracer that is dynamically coupled to the atmospheric flow as in Tan & Komacek (2019). We then include local cooling in regions where the atomic hydrogen fraction increases (and local heating where the atomic hydrogen fraction decreases). This atomic hydrogen tracer is forced to relax quickly toward the expected local chemical equilibrium abundance given by the Saha equation (Berardo et al. 2017; Bell & Cowan 2018). In order to both maintain numerical stability and keep the mixing ratio of atomic and molecular hydrogen close to chemical equilibrium values, as in Tan & Komacek (2019) we set the relaxation timescale of the atomic hydrogen tracer to be 1.5 times the dynamical time step.

As discussed in the introduction, WASP-76b lies in a region of parameter space in which both large-scale drag due to magnetic effects and/or large scale turbulence and deposited heating in its interior may affect its atmospheric circulation. As a result, we conducted two coupled parameter sweeps covering a range of atmospheric frictional drag and internal heating. First, we crudely represented the effects of Lorentz forces (Perna et al. 2010, 2012; Batyg in et al. 2013; Rauscher & Menou 2013; Rogers & Showman 2014; Rogers & Komacek 2014; Hindle et al. 2019) and/or large-scale turbulence (Li & Goodman 2010; Youdin & Mitchell 2010; Fromang et al. 2016) as a Rayleigh drag (i.e., linear in wind speed) characterized by a spatially constant drag timescale $\tau_{drag}$, as done previously (e.g., Perez-Becker & Showman 2013; Komacek & Showman 2016; Arcangeli et al. 2019; Tan & Komacek 2019). As in Mansfield et al. (2020), we
Figure 3. 3.6 $\mu$m best joint fit. The horizontal shaded region denotes the maximum to minimum of the phase function to guide the eye, while the vertical dashed line denotes the peak of the phase function.

Figure 4. 4.5 $\mu$m best fit. **Top:** the intrapixel map components compared to the temporal ramp. The largest effect is due to WASP-76 (orange), with a smaller effect due to the companion star (5.548 times fainter, purple). **Middle:** Data with uncertainties and best fit model. The horizontal shaded region denotes the maximum to minimum of the phase function to guide the eye, while the vertical dashed line denotes the peak of the phase function. **Bottom:** Best fit model residuals.

vary the drag timescale over a wide range (from $10^3$ s to $10^7$ s) to encompass the uncertainties in the magnetic field strength (Yadav & Thorngren 2017) and scale of turbulent dissipation (Koll & Komacek 2018) in the atmosphere of WASP-76b.

Second, because WASP-76b is both low-gravity and receives strong stellar irradiation, it likely undergoes intense deposited heating that acts to inflate its radius (Thorngren & Fortney 2018). This deposited heating may affect the atmospheric structure of the planet by heating the deep atmosphere and forcing a shallower radiative-convective boundary (Sainsbury-Martinez et al. 2019; Thorngren et al. 2019; Carone et al. 2020; Bayens et al. 2021; Sarkis et al. 2021). We conducted simulations for two end-members of internal heating. The first case assumes a forced thermal heat flux from the bottom boundary (100 bars) of $F_{int} = 3543.75$ W m$^{-2}$, corresponding to a temperature...
\( T_{\text{int}} = (F_{\text{int}}/\sigma)^{1/4} \) of 500 K, which lies at a similar order of magnitude to the value commonly assumed in GCMs of hot Jupiters that include an interior heat flux (e.g., Rauscher & Menou 2012a; Showman et al. 2015; Komacek et al. 2017; Mayne et al. 2017; Mendonça 2020; Roman et al. 2020). Note that the strength of convective perturbations in gas giant atmospheres is expected to be relatively isotropic, with only a slight increase in heat flux at the poles (Showman & Kaspi 2013). As a result, we assume in all GCMs presented here that the heat flux at the bottom of the domain is horizontally isotropic.

We also considered the end-member of an extremely hot planet with a deep adiabatic interior, with a thermal heat flux from the bottom boundary of \( F_{\text{int}} = 4.474 \times 10^7 \) W m\(^{-2}\) corresponding to a temperature \( T_{\text{int}} = 5300 \) K, chosen to lead to a nearly-uniform atmospheric temperature structure at pressures above \( \sim 1 \) bar. Note that this value is larger than in one-dimensional models that include hot interiors (Gao et al. 2020), because the GCM used here includes a weak bottom drag as in Komacek et al. (2017) that extends from 100 bars to 10 bars, placed to ensure insensitivity to initial conditions (Liu & Showman 2013). As a result, here we choose the value of interior temperature to force the pressure at which the atmosphere becomes horizontally uniform to be comparable to the radiative-convective boundary expected from one-dimensional atmospheric structure models (Thorngren et al. 2019; Gao et al. 2020). Future work will include long timescale model integrations and convective parameterizations in order to explore the detailed effect of the internal heat flux on the deep atmospheric circulation of hot and ultra-hot Jupiters.

Table 3 shows our assumed model parameters for the suite of GCMs with varying drag timescale and interior temperature presented in this work. Specifically, we perform simulations for five different drag timescales covering \( 10^3 - 10^7 \) s with two different assumptions of the interior temperature (which we term the “cold interior” and “hot interior” cases), resulting in a grid of 10 GCMs. We use the pressure-dependent double-gray opacity formulation similar to Tan & Komacek (2019), and additionally impose a minimum opacity in the planetary thermal band of \( 10^{-3} \) m\(^2\) kg\(^{-1}\), equivalent to the constant opacity used in the previous 1D and 3D double-gray modeling work of Guillot (2010) and Rauscher & Menou (2012a). As in Tan & Showman (2021b), we include this minimum opacity to ensure that the upper levels of the model at pressures \( \lesssim 1.5 \) mbar where this opacity is larger than our pressure-dependent opacity are radiatively active. The horizontal resolution of the GCM is C48, which is equivalent to 192 \times 96 grid points in longitude and latitude. The GCM has 70 vertical layers, equally spaced in log-pressure from 100 bars to 10 \( \mu \)bars. Each GCM simulation is initialized from a rest state with an isothermal atmosphere at \( T = 2200 \) K. Each simulation is then run until it reaches an equilibrium state in domain-integrated (i.e., extending from the top of the domain to 100 bars) kinetic energy, which for simulations with weak frictional drag typically takes \( \approx 5,000 \) Earth days of model time. All results shown are averages over the last 500 Earth days of model time.

### 3.2. GCM results

The interior temperature of hot Jupiters is linked to their atmospheric dynamics through its impact on the three-dimensional atmospheric temperature structure. Hot Jupiters that undergo deposited heating in the interior are expected to have larger internal heat fluxes, which causes the upper boundary of the convective zone (the radiative-convective boundary) to move to lower pressures (Guillot & Showman 2002; Arras & Bildsten 2006). Notably, the pressure at which the radiative-convective boundary of hot Jupiters lies is expected to vary with both longitude and latitude due to incident stellar radiation suppressing cooling from the interior on the dayside (Guillot & Showman 2002; Spiegel & Burrows 2013; Rauscher & Showman 2014), leading to a larger interior cooling rate and shallower radiative-convective boundaries on the non-irradiated nightside than on the irradiated dayside. Recently, Thorngren et al. (2019) showed that the interior heat fluxes of hot Jupiters can be large enough to cause the radiative-convective boundaries in the irradiated regions of low-gravity hot Jupiters to lie at pressures \( \lesssim 1 \) bar. Given that these pressures approach the levels probed by low-resolution spectroscopy (Dobbs-Dixon & Cowan 2017), the interior heat flux of hot Jupiters can potentially impact observable properties of the planetary atmosphere.

The key impact of a hot internal temperature is to reduce the pressure at which the atmosphere departs from a nearly spatially uniform adiabat. As a result, a hotter internal temperature will force the temperature distribution of the deep atmosphere to be more horizontally uniform. Figure 5 shows temperature and wind maps at various pressures from two GCM simulations of WASP-76b, both with a weak frictional drag timescale of \( 10^7 \) s but for separate cases of a cold and hot interior temperature. Additionally, Figure 6 shows temperature-pressure profiles from these cold and hot interior cases with \( \tau_{\text{drag}} = 10^3 \) s along with those for cases with \( \tau_{\text{drag}} = 10^4 \) s. The main difference between the cases with a cold and hot interior is that the day-night
temperature contrast is significantly larger in the case of a cold interior. This difference is largest at pressures of \(\approx 10 \sim 100 \text{ mbar}\), which are near the pressure levels probed by warm Spitzer photometry. This is because in the hot interior case, the deep atmosphere at pressures \(\gtrsim 1 \text{ bar}\) is nearly adiabatic and is characterized by small horizontal temperature contrasts. Additionally, the temperature of the deep atmosphere in the hot interior case is not affected by the assumed \(\tau_{\text{drag}}\), while in the cold interior case the deep atmosphere is warmer for longer \(\tau_{\text{drag}}\). This may be due to enhanced downward heat transport by the stronger atmospheric circulation at longer \(\tau_{\text{drag}}\) (Tremblin et al. 2017; Sainsbury-Martinez et al. 2019; Carone et al. 2020), and requires further detailed study. Overall, because the pressure levels near \(\sim 100 \text{ mbar}\) probed by Spitzer lie only a few scale heights above the deep flow, the isobaric day-to-night temperature contrasts in the observable atmosphere can be significantly reduced by a hot interior.

Critically, the decrease in the day-night temperature contrast with a hot interior reduces the amplitude of large-scale waves that are triggered by this temperature contrast (Showman & Polvani 2011; Perez-Becker & Showman 2013). This in turn will reduce eastward equatorial eddy momentum transport (Showman & Polvani 2011; Tsai et al. 2014; Hammond & Pierrehumbert 2018), leading to a decrease in the strength of equatorial superrotation at observable levels (Kempton & Rauscher 2012; Showman et al. 2013) and greater influence of the divergent component of the circulation (i.e., day-night flow) (Hammond & Lewis 2021). Figure 7 shows the zonal (east-west) average of the zonal wind from our full suite of GCMs. As expected, in the cases with weak drag (characterized by drag timescales \(\gtrsim 10^5 \text{ s}\)) the maximum wind speed of the equatorial jet is over two times slower in the hot interior case relative to the cold interior case. Additionally, the jet is shallower in the hot interior case because the day-night forcing decays more quickly with depth than in the cold interior case.

In both cases with a cold and hot interior, the strength of applied frictional drag significantly impacts the speed of the equatorial jet. This has been found by a wide range of previous work (e.g., Perna et al. 2010; Rauscher & Menou 2013; Showman et al. 2013; Koll & Komacek 2018), and is because applied drag acts to remove momentum from the flow and convert it to heat. Notably, there is a transition from flow characterized by a strong equatorial jet with weak drag to flow characterized by day-to-night circulation at strong drag. This transition occurs in our GCMs at a drag timescale of \(\sim 10^5 \text{ s}\), similar to that found by Perez-Becker & Showman (2013); Showman et al. (2013); Komacek & Showman (2016). This is because for drag timescales \(< 10^5 \text{ s}\),

<table>
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<td>(2.079 \times 10^4)</td>
<td>J kg(^{-1}) K(^{-1})</td>
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<td>J kg(^{-1}) K(^{-1})</td>
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<tr>
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<td>H tracer relaxation timescale</td>
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Table 3. Planetary and atmospheric properties assumed for GCM simulations of WASP-76b. Brackets indicate parameter sweeps performed over ranges of interior temperature and drag timescale.
Figure 5. GCM predictions for the pressure-dependent temperature and wind pattern of WASP-76b. Shown are temperature and wind maps with varying pressure from 1 bar to 100 µbar from our cold interior case (left column) and hot interior case (right column), both with an assumed drag timescale of $\tau_{\text{drag}} = 10^7$ s. Each map shares the same temperature color scale, and colorbars are shown for each map to display the temperature variation for each case. The normalization of the wind vectors is different for each map. The dot at the center of each map corresponds to the substellar point. We find that day-night contrasts are muted in the hot interior case, leading to weaker east-west equatorial winds and a reduced offset of the temperature maximum from the substellar point relative to the cold interior case.

Frictional drag becomes the dominant term in the momentum equation balancing the pressure gradient driven by day-night temperature contrasts (Komacek & Showman 2016; Koll & Komacek 2018). As a result, though the local wind speeds in our GCMs with short frictional drag timescales can be as large as $\approx 3$ km s$^{-1}$ for the case with $\tau_{\text{drag}} = 10^4$ s, the flow is almost uniformly eastward east of the substellar point and westward west of the substellar point. This flow geometry leads to a circulation that is not characterized by jets, but instead by substellar-to-antistellar flow.

The impact of interior temperature on the atmospheric temperature pattern and wind speeds has consequences for the interpretation of phase curve observations of hot Jupiters. Specifically, the interior temperature may impact both the phase curve amplitude and phase curve offset of WASP-76b. As discussed above, a hotter interior will reduce day-night temperature contrasts, leading to a reduction in the day-to-night flux contrast and resulting in a diminished phase curve amplitude. Because the reduced day-night temperature contrast leads to a slowed equatorial jet, a hotter in-
Figure 6. GCM predictions for the temperature-pressure profile of WASP-76b. Shown are latitudinally averaged temperature-pressure profiles centered at the anti-stellar point, west limb, sub-stellar point, and east limb. Results are shown for cases with a cold interior (top panel) and hot interior (bottom panel) and for cases with strong drag characterized by $\tau_{\text{drag}} = 10^4$ s (solid lines) and weak drag with $\tau_{\text{drag}} = 10^7$ s (dashed lines). The contrast between the day and night side thermal profiles is largest for cases with strong drag and a cold interior. All models show a deep day-side thermal inversion, with no corresponding inversion on the nightside at similar pressures.

terior will also cause the phase curve offset to decrease (Cowan & Agol 2011; Showman & Polvani 2011). Both of these effects of the interior temperature on the emitted flux distribution are evident in Figure 8, which shows brightness temperature maps calculated from the bolometric infrared flux output from our GCM simulations of WASP-76b. For all drag timescales considered, the hotter interior case has a smaller brightness temperature (and emitted flux) contrast between the day side and night side hemispheres than the cold interior case. Additionally, the hotter interior cases have a smaller offset of the hottest hemisphere from the substellar point (i.e., a smaller “hot spot” offset) than the cold interior cases.

The assumed atmospheric frictional drag timescale also greatly impacts the emitted flux distribution predicted by our GCMs. This is because drag acts to reduce atmospheric heat transport from day side to night side by damping the large-scale waves that act to diminish temperature variations (Perez-Becker & Showman 2013). As a result, increasing the strength of drag (reducing the frictional drag timescale) leads to an increased day-to-night temperature contrast and causes a resulting increase in the phase curve amplitude (Komacek et al. 2017). Because these waves driven by the day-night temperature contrast also act to drive equatorial superrotation, increasing the strength of drag leads to a reduction in the speed of the eastward equatorial jet (Rauscher & Menou 2012b, 2013; Showman et al. 2013). As a result, increasing the drag strength leads to a reduction in the phase curve offset (Komacek et al. 2017). Both of these effects of drag on the phase curve amplitude and offset can be seen in Figure 8. In both the cold and hot interior cases, simulations with stronger drag have a larger day-to-night brightness temperature contrast and a smaller offset of the hottest hemisphere from the substellar point. In cases with weak drag characterized by a drag timescale $\gtrsim 10^5$ s, the equatorial wave pattern and resulting eastward jet cause the day side temperature structure to show a “chevron” pattern (Showman & Polvani 2011) that is associated with a significant phase curve offset. Meanwhile, with strong drag characterized by a drag timescale $\lesssim 10^4$ s, the equatorial jet does not form and as a result the brightness temperature maps shown in Figure 8 become nearly symmetric around the substellar point.

4. INTERPRETING THE SPITZER PHASE CURVE OF WASP-76b

4.1. Comparing our Eclipse Depths to the Literature

Table 4 overviews the eclipse depths taken from our phase curves compared to literature values from Fu et al. (2020) and Garhart et al. (2020). Our 3.6 $\mu$m depth combines 4 eclipses from 2 phase curves and our 4.5 $\mu$m depth combines 2 eclipses from 1 phase curve. Our 4.5 $\mu$m values are in agreement with previous work; however there is a significant discrepancy in our 3.6 $\mu$m values. Both Fu et al. (2020) and Garhart et al. (2020) use Pixel-
Figure 7. Longitudinal average of the eastward winds from GCM simulations with varying interior temperature and drag strength. Shown are maps of the zonal-mean zonal wind with varying drag timescale from $\tau_{\text{drag}} = 10^7$ s $- 10^3$ s for the cold interior case (left column) and the hot interior case (right column). To facilitate comparison between the hot and cold interior cases, maps for a given $\tau_{\text{drag}}$ (i.e., each row) share a wind color scale. The peak wind speed of the equatorial jet is significantly faster in simulations with a cold interior than in those with a hot interior. This is because the day-night forcing that drives equatorial superrotation is larger in the cold interior case. Strong drag prevents the formation of east-west jets in both cases, and instead the flow in cases with $\tau_{\text{drag}} < 10^5$ s is characterized by day-to-night winds.

Level Decorrelation (PLD) to address the intrapixel effect, while we only consider BLISS mapping in this work. While work by Kilpatrick et al. (2017) shows a general agreement between the Pixel Gain Map (PMAP), Nearest Neighbors, and PLD systematic removal methods for eclipses at both 3.6 $\mu$m and 4.5 $\mu$m, upcoming work by Fu et al., 2021 (in preparation) finds that discrepancies can exist between PLD and BLISS mapping for eclipse and transit observations, and that eclipse and transit depths from single event observations can depend heavily on the amount of data trimmed from the start due to an initial instrument ramp. This is a significant effect at 3.6 $\mu$m, regardless of the temporal ramp used to detrend the data, and is seen to go away with the use of a fixed intrapixel sensitivity map at 4.5 $\mu$m. For a direct comparison, we reduced the stand-alone eclipses considered in Garhart et al. (2020) using BLISS mapping instead of their PLD method. While we see the same trends as discussed above (i.e., the upcoming work from Fu et al. showing eclipse depths depend on the amount of data trimmed from the start), we can reproduce the eclipse depths of Garhart et al. (2020) within 1-$\sigma$ using
Figure 8. Maps of brightness temperature from GCM simulations with varying interior temperature and drag strength. Shown are maps of brightness temperature with varying drag timescale from $\tau_{\text{drag}} = 10^7$ s to $10^8$ s for the cold interior case (left column) and the hot interior case (right column). The brightness temperature shown here is calculated from the bolometric infrared flux output from our GCM simulations. All maps share a temperature color scale in order to facilitate comparison between them, while individual color bars display the temperature variation in each map. The brightness temperature in the standard cold interior case with weak drag has the expected chevron pattern, with a resulting eastward offset of the brightest point from the substellar point. Meanwhile, the hot interior case has a significantly reduced offset, along with a smaller contrast in brightness between the day side and night side. In both cases, the hot spot offset decreases and day-night brightness contrast increases with decreasing drag timescale.

Their same ramps and temporal trimming — suggesting that the discrepancy between our 3.6 $\mu$m depth from the phase curves and the stand-alone eclipse in the above works is due to intrinsic difference in the eclipse depths. This is likely a result of the lower reliability of the 3.6 $\mu$m channel due to its enhanced intrapixel effect causing additional unknown systematics. Further, the additional eclipses added in Fu et al. (2020) use the first eclipse of both phase curves presented in this paper, which we find are more affected by initial instrumental ramps than the second eclipse in each phase curve.

4.2. Post-Processed Spitzer Phase Curve Models

To compare the GCM results to the Spitzer phase curves, we “post-process” each of the GCM outputs with a radiative transfer (RT) code that determines the hemisphere-averaged, wavelength-by-wavelength thermal emission. This allows us to generate thermal emis-
Table 4. Dilution Corrected Eclipse Depths

<table>
<thead>
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<th>Fu et al. (2020)</th>
<th>Garhart et al. (2020)</th>
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<td>3.6 μm</td>
<td>2539 ± 30 ppm</td>
<td>2988 ± 65 ppm *</td>
<td>2979 ± 72 ppm</td>
</tr>
<tr>
<td>4.5 μm</td>
<td>3729 ± 52 ppm</td>
<td>–</td>
<td>3762 ± 92 ppm</td>
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</table>

Note—“*” weighted average of the values reported. These three 3.6 μm depths reported in Fu et al. (2020) include the first eclipses of both of our 3.6 μm phase curves and the stand alone eclipse analyzed in Garhart et al. (2020). All three values in these previous works are more than 1-σ different from one another, suggesting the 3.6 μm data is unreliable.

Section spectra for each orbital phase. We then integrate these spectra over the Spitzer 3.6 and 4.5 μm bandpasses to produce simulated phase curves that can be compared directly against the observational data (Figure 9).

The RT post-processing code that we use is described in Zhang et al. (2017). Briefly, the code solves the radiative transfer equation for the approximation of pure thermal emission along \( n \times m \) individual 1-D observer-directed sightlines through the atmosphere, where \( n \) is the number of latitude points and \( m \) is half the number of longitude points in the GCM output (in this case 94 and 96, respectively). The flux coming out along each ray is then multiplied by the projected area of its respective grid cell and added together to calculate the total power emanating from the visible hemisphere. We assume an atmosphere comprised of solar composition gas in thermochemical equilibrium.

For the current work, we have updated the opacity and chemical equilibrium data used in our RT post-processing code to extend to the higher temperatures of ultra-hot Jupiters like WASP-76b. Our opacity and chemical composition tables now cover the range 500 – 5,000 K and have been updated to include opacities and abundances from key high-temperature absorbers — of note for this work is the inclusion of H\(^{-}\), which can significantly impact the thermal emission spectra in the Spitzer bandpasses. These updated opacities are taken from Gordon et al. 2017 (C\(_2\)H\(_2\)); Yurchenko & Tennyson 2014 (CH\(_4\)); Li et al. 2015 (CO); Rothman et al. 2010 (CO\(_2\)); Barber et al. 2006 (H\(_2\)O); Azzam et al. 2016 (H\(_2\)S); Harris et al. 2006 (HCN); Yurchenko et al. 2011 (NH\(_3\)); Sousa-Silva et al. 2015 (PH\(_3\)); Ryabchikova et al. 2015 (TiO); McKemmish et al. 2016 (VO); Malik et al. 2019; Burrows et al. 2000; Burrows & Volobuyev 2003; Allard et al. 2012, 2016 (Na, K); John 1988 (H\(^{-}\)), and extrapolated from Zhang et al. 2019, 2020 for H and H\(_2\). HELIOS-K (Grimm et al. 2021) is used to generate molecular opacities from the molecular line lists, and GGChem (Woitke et al. 2018) is used to calculate the resulting chemical equilibrium data. We also now account for the thermal dissociation of H\(_2\) when calculating the vertical altitude (\( z \)) coordinate of the atmosphere based on hydrostatic equilibrium, using the H/H\(_2\) fractions output by the GCM. This involves calculating the mean molecular weight separately and self-consistently in each grid cell of the GCM, prior to performing the hydrostatic equilibrium calculation for the \( z \)-coordinates. This step is critical for correctly implementing the line-of-sight ray striking geometry in our RT calculations.

4.3. Model comparisons

Figure 9 shows our Spitzer phase curve results compared to the hot and cold interior models discussed in Section 3. The left panels show the 3.6 μm best fit phase curve and data compared to the hot interior models on the top, and the cold interior models on the bottom. The right panels show the same for 4.5 μm. Each panel contains models with the five different drag timescales considered in our GCMs. Qualitatively, we find better agreement between the shapes of the modeled phase curves and the observations for short drag timescales (i.e. strong drag), particularly when considering the phase offset and night side temperature. The comparison between the data and models is explored further and in more detail below and in Figure 10. The smaller phase amplitude of our 3.6 μm phase curves, combined with the hotter night side temperature at 3.6 μm, suggest that the 3.6 μm channel probes deeper into the planet’s atmosphere. However, the differing eclipse depths within the previous literature, combined with the centroid jumps between AORs and the inconsistency of the two observed phase curves when fit independently, suggests that these 3.6 μm data may be unreliable.

Figure 10 compares observed phase curve parameters (day side and night side flux, phase curve amplitude, and phase curve offset) to model predictions for both the hot and cold interior cases. Our Spitzer 4.5 μm phase curve is most consistent with the cold interior models that have strong drag (\( \tau_{\text{drag}} \leq 10^4 \) s). Models with weaker drag have both phase curve amplitudes that are smaller and phase curve offsets that are larger than found in our 4.5 μm phase curve. As a result, we rule out all weak drag models. This may point toward the presence of strong frictional drag due to Lorentz forces, which has been inferred from previous phase curve observations of ultra-hot Jupiters (Kreidberg et al. 2018; Arcangeli et al. 2019). Though the day side flux at 4.5 μm is well matched by a range of models, the post-processed GCMs consistently over-predict the 3.6 μm day side flux. However, the GCM with a cold interior and \( \tau_{\text{drag}} = 10^4 \) s does approximately match the observed night side flux.
at 3.6 µm. In general, the 3.6 µm data only moderately agree with the cold interior models. While this may be explained by the 3.6 µm data being unreliable, GCMs have generally struggled to match Spitzer observations (e.g., Stevenson et al. 2017; Zhang et al. 2018; Crossfield et al. 2020). Typically, 3D models are unable to capture all physics that is important due to their computational costs, and simplifying assumptions (e.g. clouds, opacity sources) that are made can bias models in ways that produce discrepant results with observations. However, because of our 4.5 µm’s agreement with our models, we suggest that additional data for WASP-76b is necessary to determine the accuracy of the Spitzer 3.6 µm phase curve.

As discussed above, and shown here, the 4.5 µm observations are well explained by the cold interior, strong drag models. Of note, this model produces a thermal inversion at pressures of approximately 1 bar to 10^{−1} bar on the dayside (see Figure 6). Fu et al. (2020) require a thermal inversion on the dayside of WASP-76b to explain their Hubble Space Telescope eclipse spectrum, however their PHOENIX models suggest it occurs at higher in the atmosphere around 10^{−2} bar. As a result, we expect that the strength, location, and presence of the inversions in our models may be impacted by the lack of clouds or enhanced metal opaquities. Regardless, the Spitzer observations presented here also show evidence of a dayside temperature inversion with excess emission at 4.5 µm, as well as a lack of inversion on the nightside as seen by the lower nightside emission at 4.5 µm. If the observational results from the 3.6 µm Spitzer phase curve prove robust to future follow up, WASP-76b is one of the first planets with a clearly detected dayside inversion transitioning, as expected, to no measured inversion on the planet’s nightside. This result follows in the footsteps of the similar ultra-hot Jupiter WASP-103b (Kreidberg et al. 2018). The presence of this transition in these Spitzer data suggests that WASP-76b is an ideal target for future follow up observations.

Our requirement of strong drag to explain the 4.5 µm observations is notable in comparison to recent observations of WASP-76b at high spectral resolution. Ehrenreich et al. (2020) detected a strong blue shift of the neutral atomic iron line during transit, necessitating strong day-to-night winds of ≈5 km s^{−1} that are only achieved in the weak drag GCMs presented in this work that have τ_{drag} ≥ 10^{5} s. Additionally, the asymmetric iron condensation signal observed by Ehrenreich et al. (2020) requires a significant temperature differential between the eastern and western limbs. A large temperature contrast between the eastern and western limbs is a feature of the weak drag GCMs, while the GCMs with strong drag (τ_{drag} ≤ 10^{4} s) have a more longitudinally symmetric temperature distribution. Follow-up ESPRESSO observations by Tabernero et al. (2020) also show strong blueshifts in a variety of atomic lines, including those of Mn, Na, K, and Li.

Post-processing of the GCMs presented in this work with a ray tracing radiative transfer model adapted from that of Rauscher & Kempton (2014) and Flowers et al. (2019) at high resolution requires weak drag to provide the best match to these high spectral resolution observations (Savel et al. in prep., see also Wardenier et al. 2021). One possibility is that the dynamics of the high-
Figure 10. Model phase curve parameters as a function of drag timescale. From top to bottom, day side planet-to-star flux ratio, night side planet-to-star flux ratio, phase curve amplitude, and phase curve offset for the cold interior (solid lines) and hot interior (dashed line) models. 3.6 μm models and Spitzer results are shown in orange, while 4.5 μm is shown in blue. All of the properties of the 4.5 μm phase curve are well matched by our cold interior models with strong frictional drag (i.e., short drag timescales). None of the models can entirely reproduce the behavior of the 3.6 micron observed phase curve – specifically its low dayside flux and small amplitude – which may indicate the persistence of systematics in that data set or shortcomings of our double gray GCM framework.

We find that simulations of the atmospheric circulation of WASP-76b including the hot interior expected from evolutionary calculations assuming deep heating (Thorngren & Fortney 2018; Thorngren et al. 2019) produce phase curve amplitudes that are too small to match the observed 4.5 μm phase curve. Instead, our results are consistent with a small upward heat flux at the bottom of the atmosphere. One possible explanation for the low internal heat flux is for WASP-76b to lie on the low end of the bulk metallicity distribution for gas giants with similar mass (Thorngren et al. 2016). A low bulk metallicity would reduce the amount of deposited heating in the interior required to explain its present-day radius (Bodenheimer et al. 2003; Fortney et al. 2006; Burrows et al. 2007; Fortney et al. 2007; Baraffe et al. 2008), leading to a corresponding reduction in the expected internal temperature (Thorngren & Fortney 2018). Another possible explanation for the low internal heat flux is that the atmosphere drives a downward heat flux into the interior (Guillot & Showman 2002; Show-
This may offset the thermal flux from the planetary interior and further reduce the interior cooling rate. However, recent observations of re-inflation of hot Jupiters orbiting both main-sequence (Hartman et al. 2016; Thorngren et al. 2021) and post-main-sequence (Grunblatt et al. 2016, 2017, 2019) stars require deposited heating within the deep interior, rather than downward heat transport by a shallow atmospheric circulation, to explain the rapid timescales of planetary re-inflation (Wu & Lithwick 2013; Lopez & Fortney 2016; Ginzburg & Sari 2016).

The GCMs presented in this work did not consider night side cloud formation, which could potentially enhance the phase curve amplitude (Mendonca et al. 2018a; Parmentier et al. 2020; Roman et al. 2020). Additionally, they did not consider optical absorbers that can significantly affect the pressure of the visible photosphere and day-night heat redistribution (Fortney et al. 2008). However, cloud formation is expected to be suppressed in the atmospheres of gas giants at ultra-hot equilibrium temperatures similar to that of WASP-76b (Gao et al. 2020). The recent GCM simulations of Roman et al. (2020) including radiatively active clouds found that clouds have only a minor effect on the emitted night side flux and phase curve amplitude of ultra-hot Jupiters. In this work, we also considered GCMs with strong drag that suppresses day-night heat transport, resulting in a cooler night side temperature than in cases with weak drag. The cooler night side temperatures in our simulations with strong drag may be more favorable for nucleation of silicate clouds (Powell et al. 2018; Gao et al. 2020; Helling et al. 2021). Both night side cloud formation and optical absorbers reducing the visible photosphere pressure may reduce both the emergent flux from the night side and the phase curve offset (Parmentier et al. 2020), both of which are over-predicted in our double-gray cloud-free GCMs with $\tau_{\text{drag}} \geq 10^4$ s. However, the hotter night sides in our simulations with a hot interior may limit the effect of clouds on the resulting phase curve, further necessitating cold interior models to match the Spitzer observations. Future work is needed to determine to what extent cloud formation may impact the observable properties of ultra-hot Jupiters with strong frictional drag and/or a high-entropy interior.

5. CONCLUSIONS

We measured the thermal phase curve of the ultra-hot Jupiter WASP-76b with Spitzer IRAC’s 3.6 and 4.5 $\mu$m channels. Below we outline our key conclusions from this observation.

1. WASP-76b has an ultra-hot day side, with a day side brightness temperature of $2471 \pm 27$ K at 3.6 $\mu$m and $2699 \pm 32$ K at 4.5 $\mu$m. The night side brightness temperature of WASP-76b at 3.6 $\mu$m is $1518 \pm 61$ K, much hotter than the 1259 $\pm$ 44 K night side temperature at 4.5 $\mu$m. As a result, we find that the phase curve amplitude at 3.6 $\mu$m of 804.0 $\pm$ 42.5 ppm is significantly lower than the 1464 $\pm$ 38.8 ppm amplitude at 4.5 $\mu$m.

2. We observe a small phase curve offset at 3.6 $\mu$m of 0.68 $\pm$ 0.48$^\circ$ and a similarly small phase curve offset of 0.67 $\pm$ 0.2$^\circ$ at 4.5 $\mu$m. These small observed phase curve offsets are similar to recent phase curves of the ultra-hot Jupiters WASP-18b and WASP-103b that receive a comparable level of incident flux to WASP-76b. In agreement with previous WASP-76b observations, this is suggestive of a thermal inversion on the planet’s dayside transitioning to a lack of inversion on the planet’s nightside. We caution that the 3.6 $\mu$m data is less reliable than the 4.5 $\mu$m data and follow up observations are necessary to confirm the presence of the dayside inversion.

3. We calculated a grid of GCMs for the atmospheric circulation of WASP-76b including the impact of large-scale drag on the flow, parameterizing the effects of magnetism and/or turbulence. We find that the small observed phase curve offset at both 3.6 $\mu$m and 4.5 $\mu$m and the large phase curve amplitude at 4.5 $\mu$m require strong frictional drag to explain. We find that a drag timescale of $\lesssim 10^4$ s is required to match the observed 4.5 $\mu$m phase curve, which is similar to the level of drag required from previous GCM simulations of WASP-18b and WASP-103b. However, we note that we cannot explain the relatively small phase curve amplitude observed at 3.6 $\mu$m with any GCM in our model suite. Of note, though, is the relatively large impact of systematics in these 3.6 $\mu$m data, potentially pointing to unreliability of the 3.6 $\mu$m Spitzer observations of WASP-76b. One source of this may be the companion star that is unresolved from WASP-76 in these data at a separation of only 0.3 pixels, exacerbating the strong 3.6 $\mu$m intrapixel effect.

4. Due to the inflated radius of WASP-76b, we also consider atmospheres that overlie a high-entropy interior. We find that cloud-free, double-gray GCMs without a high-entropy interior provide a better match to the observed night side flux and
phase curve amplitude at 4.5 μm. This may imply that the interior evolution of WASP-76b does not significantly affect its atmospheric circulation at the photosphere, or that clouds strongly reduce the outgoing thermal emission from the night side of the planet.

**Software:**
IPython (Pérez & Granger 2007),
Matplotlib (Hunter 2007),
NumPy (van der Walt et al. 2011; Harris et al. 2020),

**ACKNOWLEDGMENTS**

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**APPENDIX**

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Table 5. Best fit parameters

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Note—We use the lon0/lat0 options in spiderman, not the corresponding spherical harmonics terms.
Spitzer phase curves of WASP-76b

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